

Search for Two-Particle Muon Decay to Positron and Goldstone Massless Boson – Familon. Project of Experiment

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ЭЛЕКТРОСИЛА"

им. С.М. КИРОВА

МАСЛЯНОЕ
ВОДОПРОВОД

2 ВА

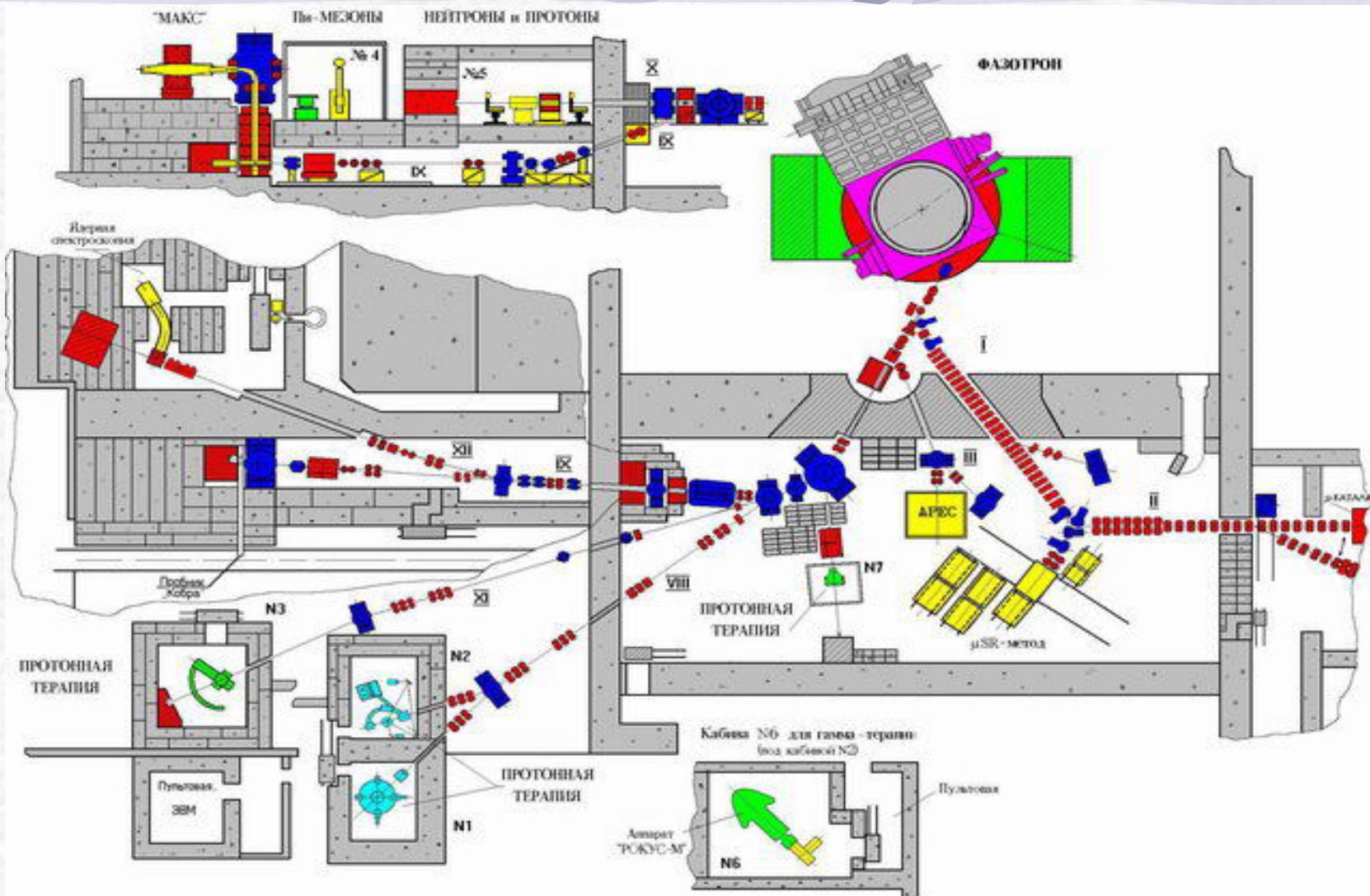
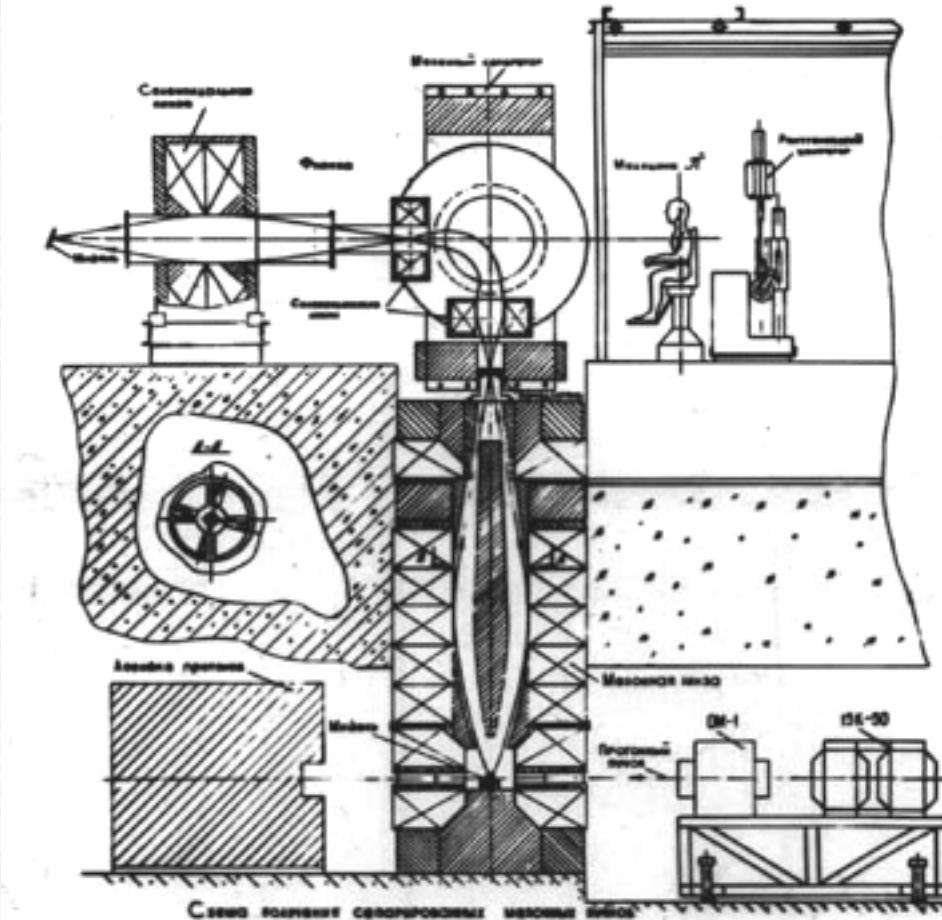


СХЕМА ПУЧКОВ ФАЗОТРОНА ЛИП ОНИИ



Intensity of charged particles

Intensity of charged particles from channel IX
of Dubna phasotron per 1 μA of the proton beam.
W-target. Momentum spread is $\Delta p/p \approx 5.8\%$

Particle momentum MeV/c	Intensity on area of 80 cm^2 , 10^5 1/s					
	Positively charged			Negatively charged		
	e^+	μ^+	π^+	e^-	μ^-	π^-
76	32	2.6	13			
95	24	3.6	30	18	1.4	10
112	16	3.8	46	11	1.2	15
123	8.0	2.9	50	8.0	0.9	17
149	4.3	1.2	42	5.0	≤ 0.7	18
165	2.8	0.6	35	3.8	≤ 0.6	17

Flux density and intensity of surface μ^+ - mesons
from channel IX of Dubna phasotron per 1 μA of
the proton beam. Cu-target. $\Delta p/p \approx 5.8\%$

Momentum MeV/c	$N_{\mu^+}/N_{e^+}\%$	Flux density $\times 10^3\text{ 1/cm}^2 \cdot \text{s} \cdot \mu\text{A}$	Intensity on area of $80\text{ cm}^2, \times 10^5\text{ 1/s} \cdot \mu\text{ A}$
26	1.9	3.8	3.0
28	3.3	6.6	5.3
30	2.7	5.4	4.3
32	0.2	0.4	

For separated beam of 24 MeV/c surface mesons the intensity
 $\approx 2 \cdot 10^5\text{ 1/s} \cdot \mu\text{A}$ was attained with the ratio $N_{\mu^+}/N_{e^+} \approx 1$

Таблица 2

Распад пиона	$m_{\pi^\pm} = 139,57018(35)$ МэВ	$\tau_{\pi^\pm} = 2,6033(5)$ $\times 10^{-8}$ сек
Моды распада π^+	Отношение (Γ_j/Γ)	Уровень достов.
$\mu^+\nu_\mu$	99,98770(4)%	
$e^+\nu_e$	$1,230(4) \times 10^{-4}$	
$\mu^+\nu_\mu\gamma$	$2,00(25) \times 10^{-4}$	
$e^+\nu_e\gamma$	$1,61(23) \times 10^{-7}$	
$e^+\nu_e\pi^0$	$1,025(34) \times 10^{-8}$	
$e^+\nu_e e^+e^-$	$3,2(5) \times 10^{-9}$	
$e^+\nu_e\nu\bar{\nu}$	$< 5 \times 10^{-6}$	90%
Моды распада с несохранием L (Lepton Family) числа		
$\mu^+\nu_e$ L	$< 1,5 \times 10^{-3}$	90%
$\mu^+\nu_e$ LF	$< 8,0 \times 10^{-3}$	90%
$\mu^-e^+e^-$ LF	$< 1,6 \times 10^{-6}$	90%
Моды распада с несохр. L (Lepton) или LF (Lepton Family)		
$\mu^+\nu_e$ L	$< 1,5 \times 10^{-3}$	90%
$\mu^+\nu_e$ LF	$< 8,0 \times 10^{-3}$	90%
$\mu^-e^+e^-$ LF	$< 1,6 \times 10^{-6}$	90%

Распад мюона	$m_{\mu^\pm} = 105,6583568(52)$ МэВ	$\tau_{\mu^\pm} = 2,19703(4)$ $\times 10^{-6}$ сек
Моды распада μ^-	Отношение (Γ_j/Γ)	Уровень достов.
$e^-\bar{\nu}_e\nu_\mu$	$\approx 100\%$	
$e^-\bar{\nu}_e\nu_\mu\gamma$	$(1,4 \pm 0,4)\%$	
$e^-\bar{\nu}_e\nu_\mu e^+e^-$	$(3,4 \pm 0,4) \times 10^{-5}$	
Моды распада с несохраниением LF (Lepton Family) числа		
$e^-\nu_e\bar{\nu}_\mu$ LF	$< 1,2\%$	90%
$e^-\gamma$ LF	$< 1,2 \times 10^{-11}$	90%
$e^-e^+e^-$ LF	$< 1,0 \times 10^{-12}$	90%
$e^-2\gamma$ LF	$< 7,2 \times 10^{-11}$	90%
$\mu^-Ti \rightarrow e^-Ti$ LF	$< 4,3 \times 10^{-12}$	90%
$\mu^-Ti \rightarrow e^+Ca$ LF	$< 3,6 \times 10^{-11}$	90%
$\mu^+e^- \rightarrow \mu^-e^+$ LF	$\leq 4,7 \times 10^{-7}$	90% **
$\mu^+e^- \rightarrow \mu^-e^+$ LF	$< 8,3 \times 10^{-11}$	90% ***
* Моды распада μ^+ зарядосопряженны приведенным выше		
** результат эксперимента группы ПИЯФ-ОИЯИ, 1997		
*** результат PSI в магнитном поле 0.1 Tc, 1999		

Higgs Bosons – H^0 and $H^{\pm\pm}$

Higgs Bosons — H^0 and H^\pm , Searches for

MASS LIMITS for $H^{\pm\pm}$ (doubly-charged Higgs boson)

VALUE (GeV)	CL%	DOCUMENT ID	TECN	COMMENT
>45.6	95	142 ACTON	92M OPAL	
• • • We do not use the following data for averages, fits, limits, etc. • • •				
		143 GORDEEV	97 SPEC	muonium conversion
		144 ASAKA	95 THEO	
>30.4	95	145 ACTON	92M OPAL	$T_3(H^{++}) = +1$
>25.5	95	145 ACTON	92M OPAL	$T_3(H^{++}) = 0$
none 6.5–36.6	95	146 SWARTZ	90 MRK2	$T_3(H^{++}) = +1$
none 7.3–34.3	95	146 SWARTZ	91 MRK2	$T_3(H^{++}) = 0$

142 ACTON 92M limit assumes $H^{\pm\pm} \rightarrow \ell^\pm \ell^\pm$ or $H^{\pm\pm}$ does not decay in the detector.
Thus the region $\mathcal{L}_{\ell\ell} \approx 10^{-7}$ is not excluded.

143 GORDEEV 97 search for muonium-antimuonium conversion and find $G_{M\bar{M}}/G_F < 0.14$ (90% CL), where $G_{M\bar{M}}$ is the lepton-flavor violating effective four-fermion coupling.
This limit may be converted to $m_{H^{++}} > 210$ GeV if the Yukawa couplings of H^{++} to ee and $\mu\mu$ are as large as the weak gauge coupling. For similar limits on muonium-antimuonium conversion, see the muon Particle Listings.

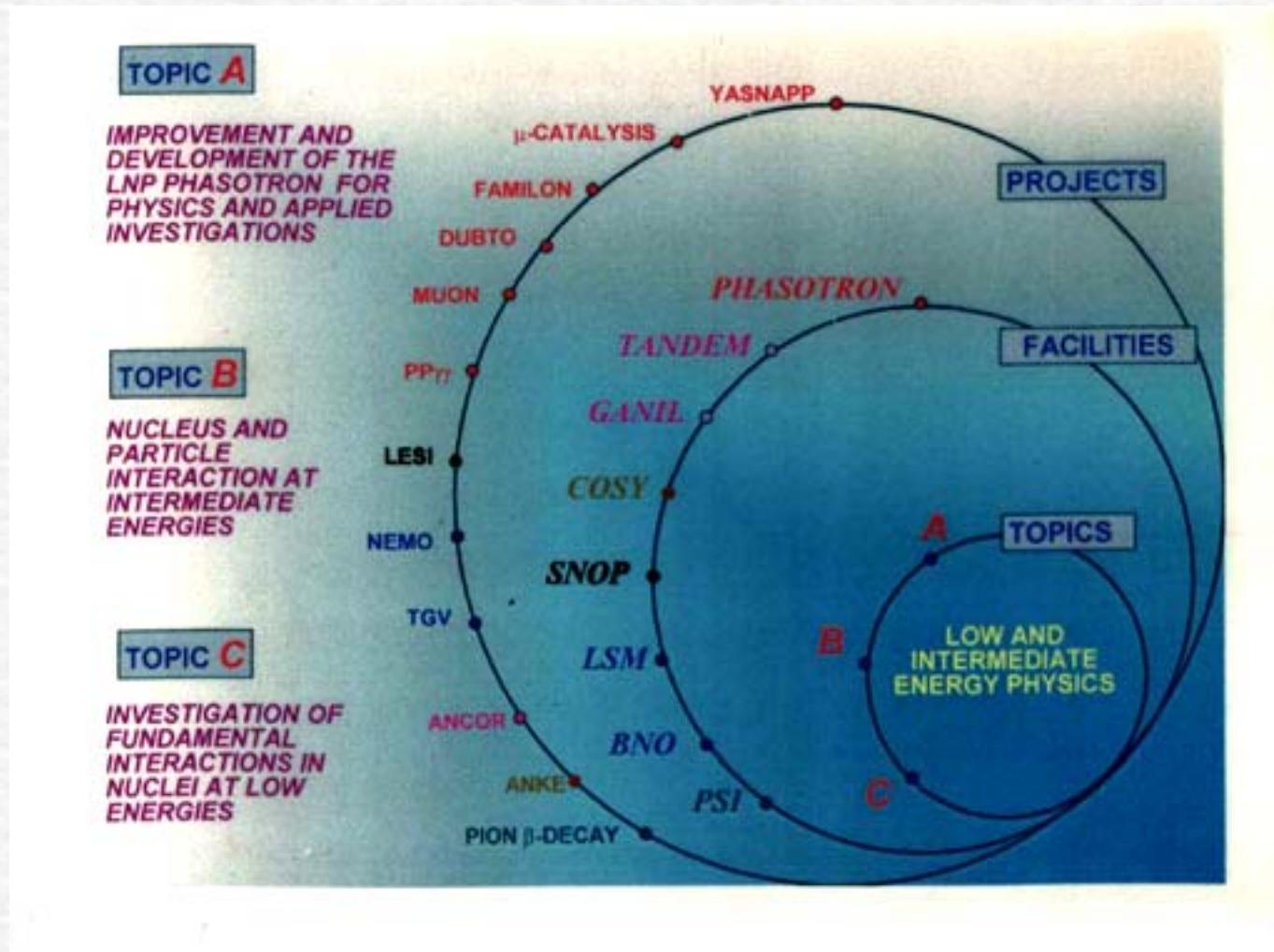
144 ASAKA 95 point out that H^{++} decays dominantly to four fermions in a large region of parameter space where the limit of ACTON 92M from the search of dilepton mode does not apply.

145 ACTON 92M from $\Delta\Gamma_Z < 40$ MeV.

146 SWARTZ 90 assume $H^{\pm\pm} \rightarrow \ell^\pm \ell^\pm$ (any flavor). The limits are valid for the Higgs-lepton coupling $g(H\ell\ell) \gtrsim 7.4 \times 10^{-7}/[m_H/\text{GeV}]^{1/2}$. The limits improve somewhat for ee and $\mu\mu$ decay modes.

H^0 and H^\pm REFERENCES

GORDEEV	97	PAN 60 1164 Translated from YAF 60 1291.	V.A. Gordeev + +Hikasa	(PNPI)
ASAKA	91	PL B345 36	+Hikasa	(TOHOKU)
ACTON	92M	PL B295 347	+Alexander, Allison, Allport, Antonov +	(OPAL Coll b.)
SWARTZ	90	PRL 64 2877	+Abrams, Adolphsen, Averill, Ballam +	(Mark II Collab.)



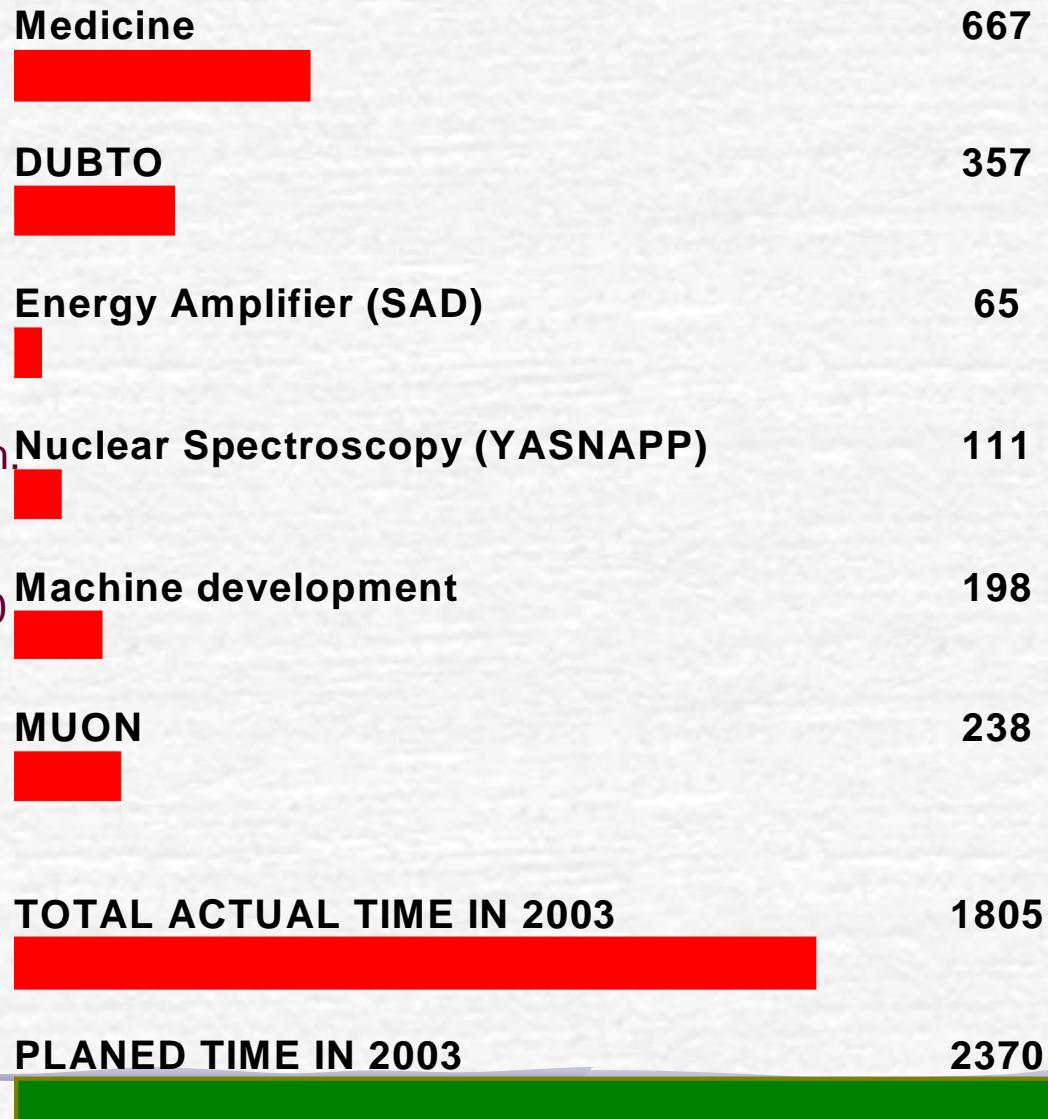
Dzhelepov Laboratory of Nuclear Problems

Investigations at Phasotron

(users' request facility)

OPERATION OF PHASOTRON (hours)

03.02-29.04.2003



Fundamental Investigations:

- DUBTO - Resonant behaviour of the both the pp π^- and nn π^+ systems, produced in π 4He interaction.
- MUON – Investigation of the muon properties and the muon interactions with matter.
- FAMILON - The study of the two-particle muon decay on an electron and golston's massless boson.
- μ -CATALYSIS- Measurements of muon catalyzed fusion cycling rate temperature dependence in a binary mixture D/T in the temperature range 40-300 K.

Applied investigations:

Cancer therapy;
SAD- Energy Amplifier

Machine development:

Upgrade of the Phasotron and its beam channels;
Design of external injection in the Phasotron.

PROJECT 02-0987-92/2000

**The Search
for Two-particle Muon Decay
to
Electron and Goldstone Massless
Boson (Familon)**

SPOKESMAN VIKTOR GORDEEV
SPOKESMAN FROM JINR VIKTOR DUGINOV



PNPI(Gatchina)



JINR(Dubna)

RUSSIAN RESEARCH CENTRE  РОССИЙСКИЙ НАУЧНЫЙ ЦЕНТР
"KURCHATOV INSTITUTE" "КУРЧАТОВСКИЙ ИНСТИТУТ"



ITEP (Moscow)

$\mu \rightarrow e + \alpha$

$\mu \rightarrow e + \alpha$

F. Wilczek, Phys. Rev., v. 49, 1549 (1982)

G. Gelmini et al., Nucl Phys., v. B219, 31 (1983)

A.A. Ансельм, ЖЭТФ, т. 84, 1961 (1983)

$s \rightarrow d + \alpha, \mu \rightarrow e + \alpha, \nu_H \rightarrow \nu_L + \alpha$

В рамках реалистической $SU(5) \times SU(3)_H$ модели взаимодействие фамилиона с кварками и лептонами описывается лагранжианом

$$L = \frac{\sqrt{2m_\alpha m_s}}{\langle B \rangle} \alpha(\bar{d}s + \bar{s}d) + \frac{\sqrt{2m_e m_\mu}}{\langle B \rangle} \alpha(\bar{\mu}e - \bar{e}\mu)$$

$\langle B \rangle$ - среднее вакуумное значение хигсовских полей

$$\Gamma_0(\mu \rightarrow e\alpha) = \frac{m_\mu^2 - m_e^2}{16\pi B_e^2}. \text{ Оценка } B_e = 2 \cdot 10^8 \text{ GeV} \quad T_0 = 4 \text{ сек}^{-1}$$

$$B = \frac{\Gamma(\mu - e\alpha)}{\int_{E_{max}}^{E_{max} - \Delta E} \frac{d\Gamma(\mu - e\nu\bar{\nu})}{dE} dE} = \frac{6\pi^2 m_e}{B_e^2 G_F^2 m_\mu^3 \Delta \varepsilon}.$$

$$\Delta \varepsilon = \frac{\Delta E}{E}.$$

\rightarrow Если $B_e = 2 \cdot 10^8$, $\Delta \varepsilon = 10^{-4}$ имеем $B = 4.5 \%$

Familon could serve as an axion in solving the strong CP puzzle.

Familon is also desirable in cosmology: the large-scale structure of the Universe could be naturally explained by the neutrino mass $\sim (40 - 100)$ eV if such a “heavy” neutrino ν_H decays rather rapidly ($10^8 - 10^9$ years) to the “light” neutrino ν_L ($m(\nu_L) < 10$ eV) and the familon.

The most stringent constraint for the couplings of the familon is imposed by the absence of $K^+ \rightarrow \pi^+ + \alpha$ decay. This decay, however, occurs only due to scalar interaction of familon: for pseudoscalar coupling the matrix element $\langle \pi | \underline{s} i\gamma_5 d | K \rangle$ vanishes by parity. But nondiagonal in flavour couplings of pseudogoldstone bosons can well be both scalar and pseudoscalar ones. For this reason the search for the $\mu \rightarrow e + \alpha$ decay appears to be important for the familon hypothesis, since scalar and pseudoscalar couplings contribute equally in this case.

The interaction of familon with massive neutrino leads to decay

$$v_H \rightarrow v_L + \alpha \text{ with}$$

$$\tau(v_H) = (16 \pi \eta_\nu^2) / [m(v_H)^2 m(v_L)]$$

If $\tau(v_H) \approx 5 \cdot 10^8$ years, $m(v_H) \approx 100$ eV and $m(v_L) \approx 10$ eV

It requires $\eta_\nu \approx 2 \cdot 10^8$ GeV.

Note that the absence of $K^+ \rightarrow \pi^+ + \alpha$ decay implies
 $\eta_{sd} > 8 \cdot 10^9$ GeV for the scalar coupling of familon.

Physical motivation

Welczek (1982), Anselm and Uraltsev (1983), Gelmini et al. (1983) have indicated to the possible existing of the massless goldston's bosons which changed fermion quantum numbers. The differential velocity $\mu \rightarrow e \alpha$ - decay is given by expression:

$$d\Gamma(\mu \rightarrow e\alpha) = \Gamma_0(\mu \rightarrow e\alpha) [1 - \vec{P}_\mu \cdot \vec{P}_e + 2(\vec{P}_e \cdot \vec{n})(\vec{P}_\mu \cdot \vec{n})] \frac{\sin\vartheta \cdot d\vartheta}{4},$$

where $\Gamma_0(\mu \rightarrow e \alpha)$ - full breadth of $\mu \rightarrow e \alpha$ - decay for a unpolarized muon, \vec{P}_μ & \vec{P}_e - polarization μ and e , \vec{n} - momentum direction of the positron.

The relative probability of the decay $\mu \rightarrow e \alpha$ to usual decay $\mu \rightarrow e \nu \bar{\nu}$ is determined by the ratio:

$$R_\alpha = \frac{\int_0^\pi d\Gamma(\mu \rightarrow e\alpha)}{\int_0^\pi \int_0^\pi d\Gamma(\mu \rightarrow e\bar{\nu}\nu)} = \frac{\Gamma_0(\mu \rightarrow e\alpha)}{\Gamma_0(\mu \rightarrow e\bar{\nu}\nu)}.$$

The relative contribution of decay $\mu \rightarrow e \alpha$ to usual decay in the narrow power interval $\Delta\epsilon$ on the spectrum edge:

$$B_\alpha = \frac{\int_0^\pi d\Gamma(\mu \rightarrow e\alpha)}{\int_{1-\Delta\epsilon}^1 \int_0^\pi d\Gamma(\mu \rightarrow e\bar{\nu}\nu)}$$

As it is clear for the decay of the $\mu \rightarrow e \alpha$ in the extremity of the decay spectrum positrons $\mu \rightarrow e^\dagger \nu \bar{\nu}$ the narrow peak should be observed.

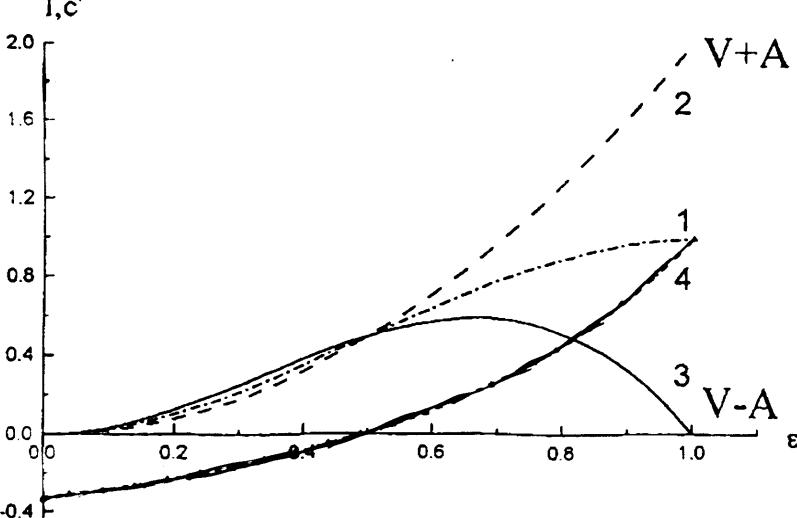


Fig.2. The energy dependence of the positron spectrum for $\mu \rightarrow e \nu\bar{\nu}$: decay (in relative units).
 1 - continuous spectrum, 2,3 - for $\cos \vartheta = -1$,
 4 - the asymmetry coefficient of $\mu \rightarrow e$ decay.

The neutrino-less mode of the muon decay will change this energy dependence of the asymmetry coefficient in high-energy region.

Table 1. Relative contribution $\mu \rightarrow e \alpha$ decay to the conventional decay in the energy interval $\Delta\epsilon$.

$\Delta\epsilon$	10^{-3}	$5 \cdot 10^{-4}$	10^{-4}	$5 \cdot 10^{-5}$	10^{-5}
B_α	$4,4 \cdot 10^{-3}$	$8,8 \cdot 10^{-3}$	$4,4 \cdot 10^{-2}$	$8,8 \cdot 10^{-2}$	0,435

Taking into account the finite capture angle and the detection energy range $\Delta\epsilon$, we have the following numbers of high energy positrons emitted along N^+ and opposite N^- to the muon spin direction of the decay $\mu \rightarrow e \nu\bar{\nu}$:

$$N^\pm = \int_{-\Delta\varepsilon}^{\Delta\varepsilon} \int_0^\vartheta [\Gamma_0(\mu \rightarrow e\bar{v}v)[(3-2e)\pm(1-2\varepsilon)P_\mu \cos\vartheta] \cdot \varepsilon^2 d\varepsilon \cdot \sin\vartheta d\vartheta$$

Hence the asymmetry factor of high energy decay positrons $\mu \rightarrow e v\bar{v}$ will be

$$C' = \frac{N^+ - N^-}{N^+ + N^-} = \frac{P_\mu}{2} (1 - 2\Delta\varepsilon)(1 + \cos\vartheta),$$

For the decay $\mu \rightarrow e \alpha$ we have due to the same reasons

$$N^+ = N^- = \frac{1}{2} \cdot \Gamma_0(\mu \rightarrow e\alpha)(1 - \cos\vartheta),$$

and due to such process, the observed asymmetry factor of the $\mu \rightarrow e$ -decay is:

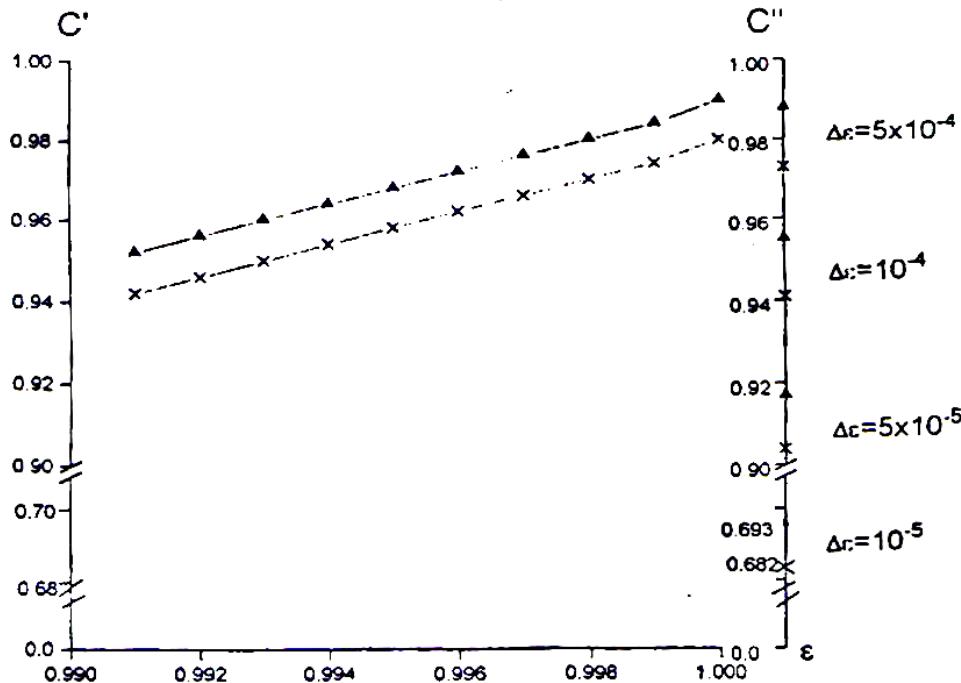
$$C'' = C' \frac{1}{1 + R_\alpha / (2\Delta\varepsilon)},$$

where C' and R_α were defined above. One can see that the ratio C''/C' is independent of ϑ . This fact is important for experimental statistic accumulation, because one can use wide-aperture detectors. In the Table 2 we have the values of N^\pm , C' and C'' for several different $\Delta\varepsilon$, ϑ , and $R=8 \cdot 10^{-6}$.

From these considerations follows, that the experimental search for the decay $\mu \rightarrow e \alpha$ can be performed by using the standard μ SR-equipment plus magnet spectrometer. The aim is to obtain the precession μ SR-spectra of polarized muon stopped in matter with high density of conductivity electrons, in perpendicular magnetic field.

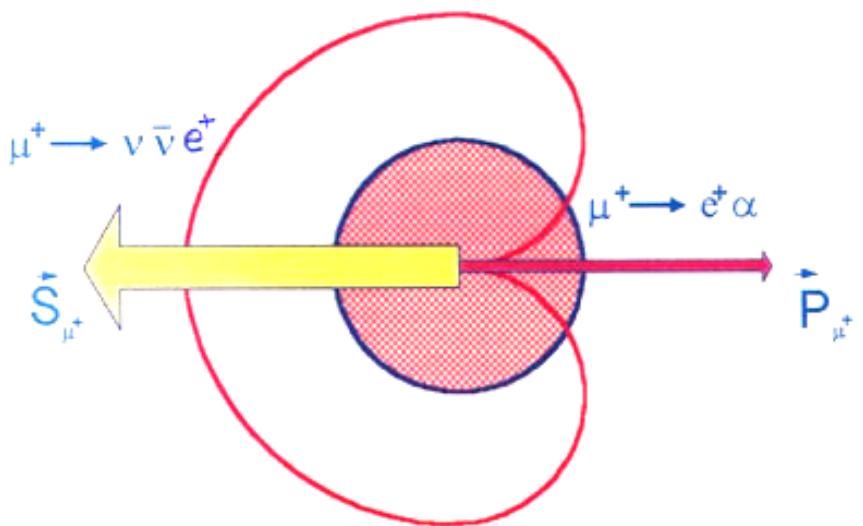
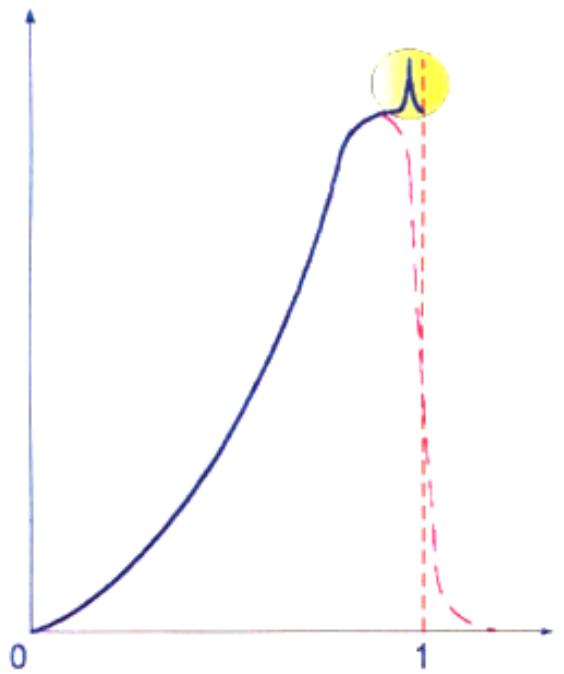
The presence of the decay $\mu \rightarrow e^+\alpha$ leads to lower asymmetry factor in the high energy region of positron spectra. The experiment has to be performed in the beam of low energy muons, generated in decays of π^+ -mesons, stopped in the surface layer of meson-producing target (the "surface" muons).

First such of type experiment was performed by A. Jodidio et al. in TRIUMF (Tr. 8-12)



This Fig.3 illustrate the energy dependence of the asymmetry coefficient C' of the $\mu \rightarrow e \bar{\nu} \bar{\nu}$ -decay for two of angular capture. Δ - $\vartheta=5^\circ$ and \times - $\vartheta=15^\circ$ and the asymmetry coefficient C'' in the spectrum end of the decay positrons for energy $\Delta\epsilon$.

It should be pointed out that the energy dependence of the asymmetry coefficient of positrons in the muon decay will be measured in the energy interval from 0.95 to 1.0 (in relative unites) with the step of 0.002. At the same time 25 μSR-spectra will be collected. The effect of the positron multiple scattering will cause a minor drop of the asymmetry coefficient measured. However, there is no physical reason to expect contribution of the positron multiple scattering to the energy dependence of asymmetry coefficient, which will be equivalent to the expected effect in a case of neutrino-less decay of muon.



Searches for Goldstone Bosons (X^0)

Searches for Goldstone Bosons (X^0)

(Including Horizontal Bosons and Majorons.) Limits are for branching ratios.

<u>VALUE</u>	<u>CL%</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	<u>TECN</u>	<u>COMMENT</u>
• • • We do not use the following data for averages, fits, limits, etc. • • •					
			134 DIAZ	98 THEO	$H^0 \rightarrow X^0 X^0, A^0 \rightarrow X^0 X^0 X^0$, Majoron
			135 BOBRAKOV	91	Electron quasi-magnetic interaction
$<3.3 \times 10^{-2}$	95		136 ALBRECHT	90E ARG	$\tau \rightarrow \mu X^0$. Familon
$<1.8 \times 10^{-2}$	95		136 ALBRECHT	90E ARG	$\tau \rightarrow e X^0$. Familon
$<6.4 \times 10^{-9}$	90		137 ATIYA	90 B787	$K^+ \rightarrow \pi^+ X^0$.
$<1.1 \times 10^{-9}$	90		138 BOLTON	88 CBOX	$\mu^+ \rightarrow e^+ \gamma X^0$. Familon
			139 CHANDA	88 ASTR	Sun, Majoron
			140 CHOI	88 ASTR	Majoron, SN 1987A
$<5 \times 10^{-6}$	90		141 PICCIOTTO	88 CNTR	$\pi \rightarrow e \nu X^0$, Majoron
$<1.3 \times 10^{-9}$	90		142 GOLDMAN	87 CNTR	$\mu \rightarrow e \gamma X^0$. Familon
$<3 \times 10^{-4}$	90		143 BRYMAN	86B RVUE	$\mu \rightarrow e X^0$. Familon
$<1. \times 10^{-10}$	90	0	144 EICHLER	86 SPEC	$\mu^+ \rightarrow e^+ X^0$. Familon
$<2.6 \times 10^{-6}$	90		145 JODIDIO	86 SPEC	$\mu^+ \rightarrow e^+ X^0$. Familon
			146 BALTRUSAIT	..85 MRK3	$\tau \rightarrow \ell X^0$. Familon
			147 DICUS	83 COSM	$\nu(\text{hvy}) \rightarrow \nu(\text{light}) X^0$

Search for right-handed currents in muon decay

Search for right-handed currents in muon decay

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D. P. Stoker,[§] M. Strovink, and R. D. Tripp

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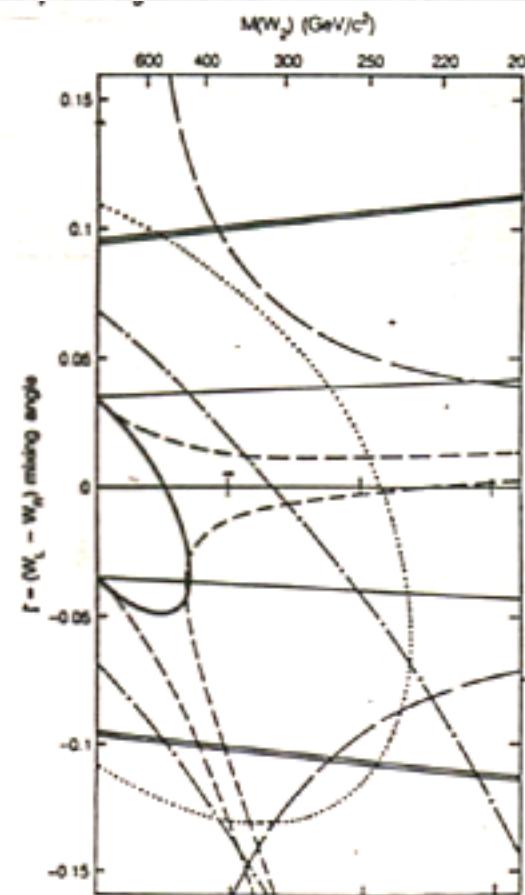
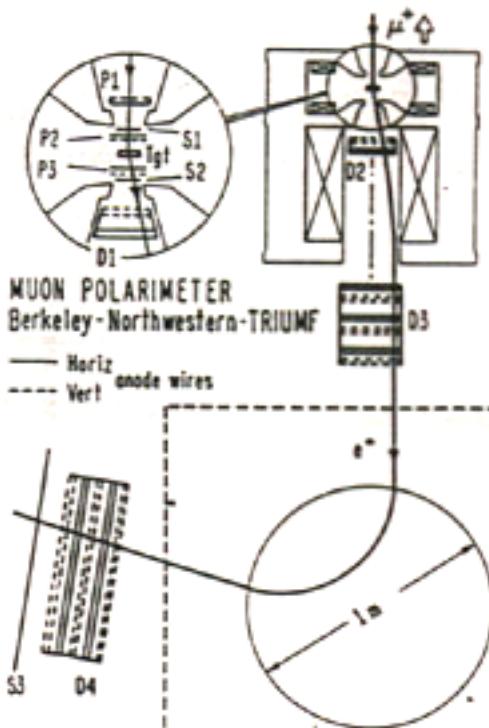
Department of Physics, Northwestern University, Evanston, Illinois 60201

C. J. Oram

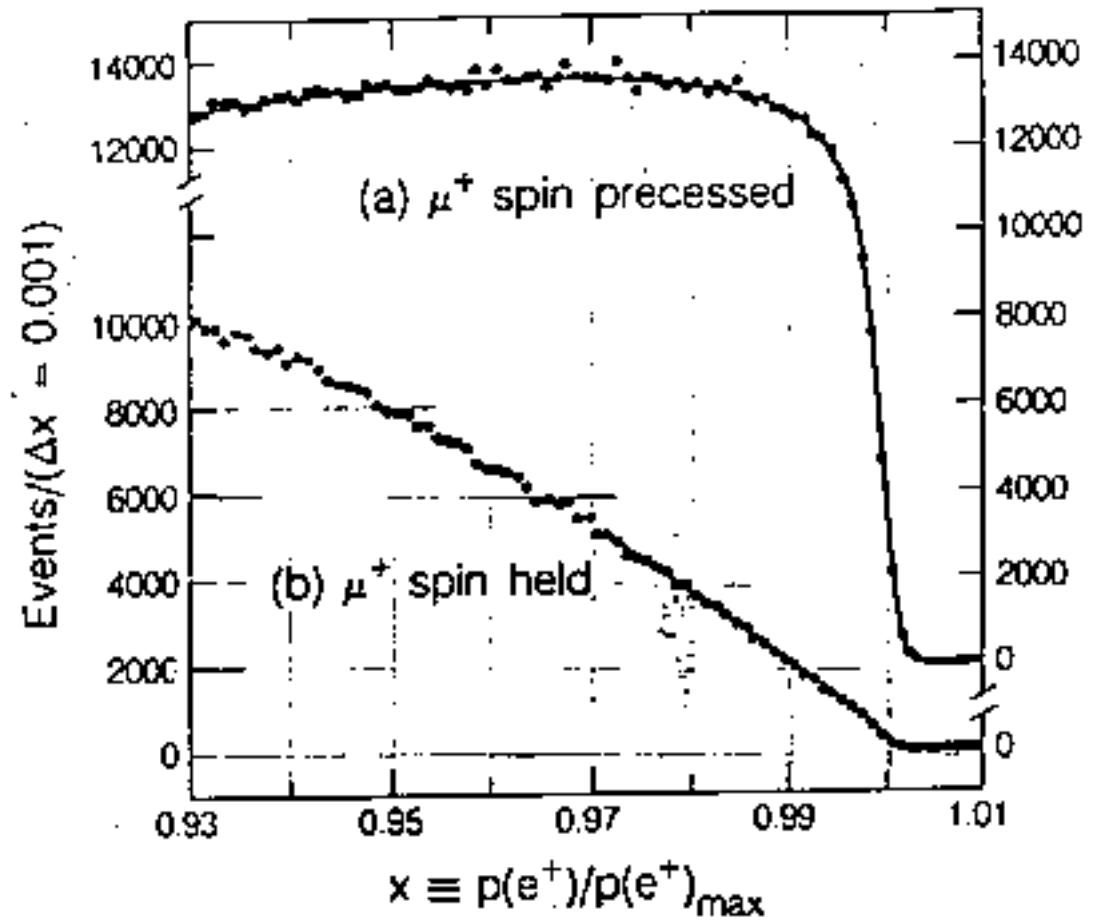
TRIUMF, Vancouver, British Columbia V6T 2A3, Canada

(Received 27 May 1986)

Limits are reported on charged right-handed currents, based on precise n point e^+ spectrum in μ^+ decay. Highly polarized μ^+ from a TRIUMF "su stopped in pure metal foil and liquid-He targets selected to minimize depol: stopping target region either a spin-precessing transverse field (70 or 110 G) tudinal field (0.3 or 1.1 T) was applied. Data collected with the spin-preces the momentum calibration of the spectrometer. The spin-held data were utive e^+ rate at the momentum end point in a direction opposite to the μ^+ spin dard muon-decay parameters this rate is given by $(1 - \xi P_\mu \delta/\rho)$ where P_μ is The combined 90% confidence lower limit from the analysis presented in th analysis of the spin-precessed data by means of the muon-spin-rotati $\xi P_\mu \delta/\rho > 0.9975$. For models with manifest left-right symmetry and massl implies the 90% confidence limits $m(W_2) > 432 \text{ GeV}/c^2$ and $-0.050 < \xi <$ predominantly right-handed boson and ξ is the left-right mixing angle. Lin the v_{AL} mass and helicity in π^+ decay, non-($V-A$) couplings in helicity pr scale of composite leptons, and the branching ratio for $\mu \rightarrow e + f$ where f massless Nambu-Goldstone boson associated with flavor-symmetry breaking

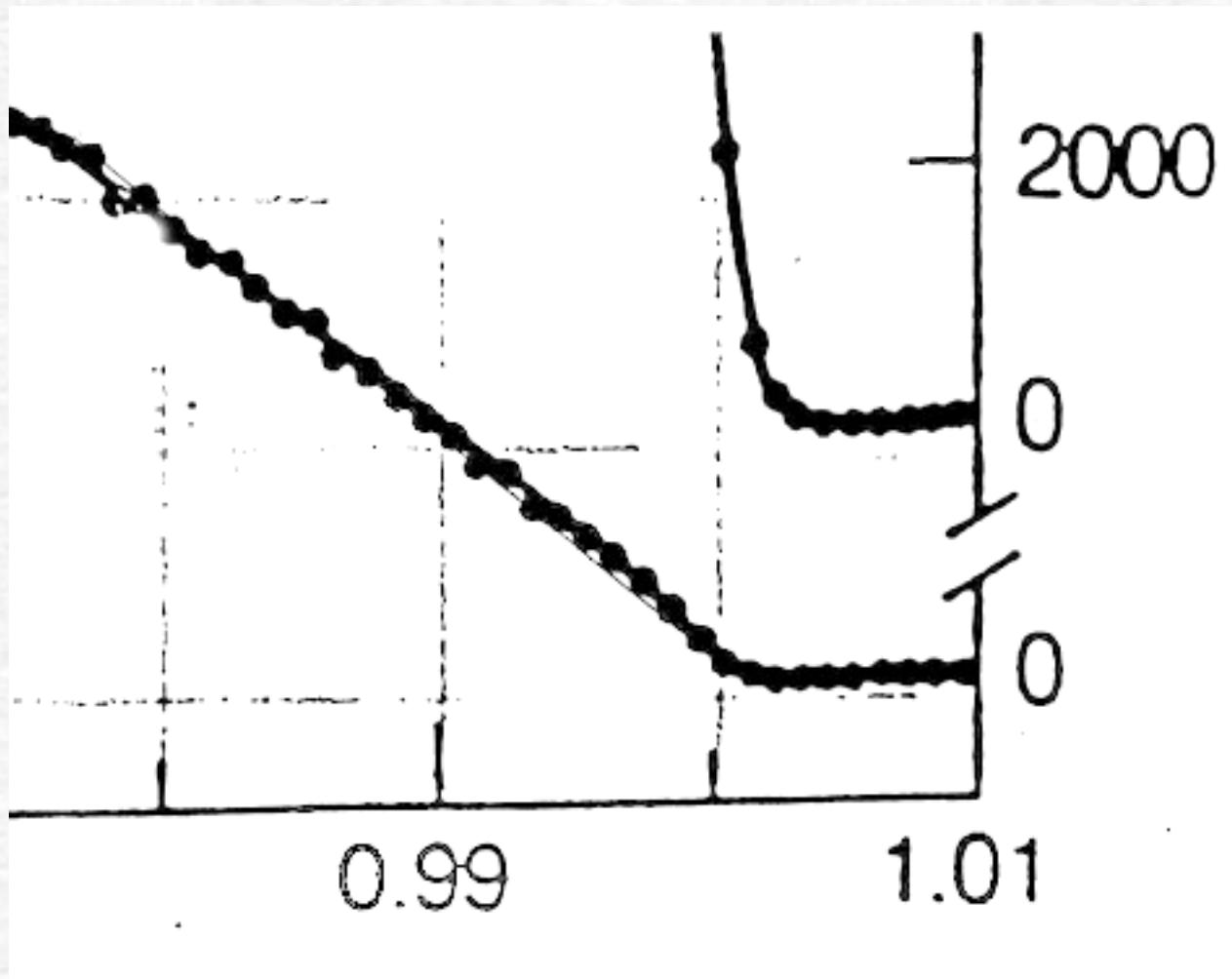


$P(e^+)/p(e^+)_{\max}$



TRIUMF limit on familon

- The decay rate $\mu \rightarrow e\alpha$ was added to the fitting function for the spin-held data.
- Was obtaind the 90% confidence limits
- $R_\alpha < 2.6 \cdot 10^{-6}$
- $\eta_{\mu e} > 9.9 \cdot 10^9 \text{ GeV}$



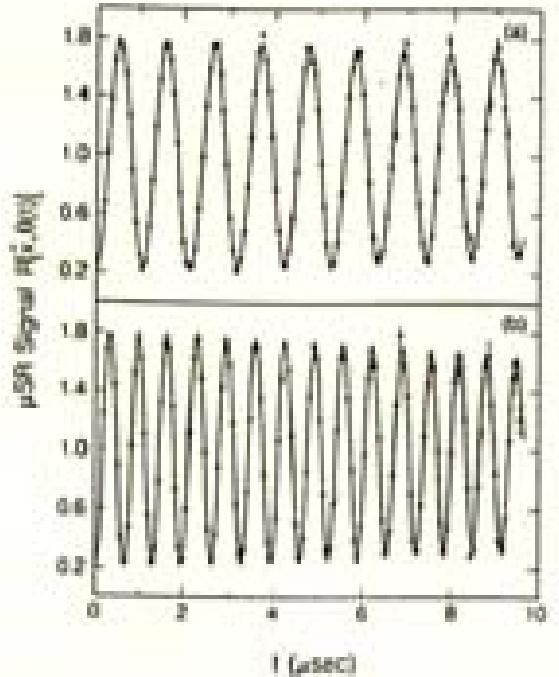


FIG. 1. Data from the second of three running periods, constituting 73% of the total μ -SR data, with (a) 70-G and (b) 110-G transverse fields. The exponential decay with μ^+ lifetime has been factored out.

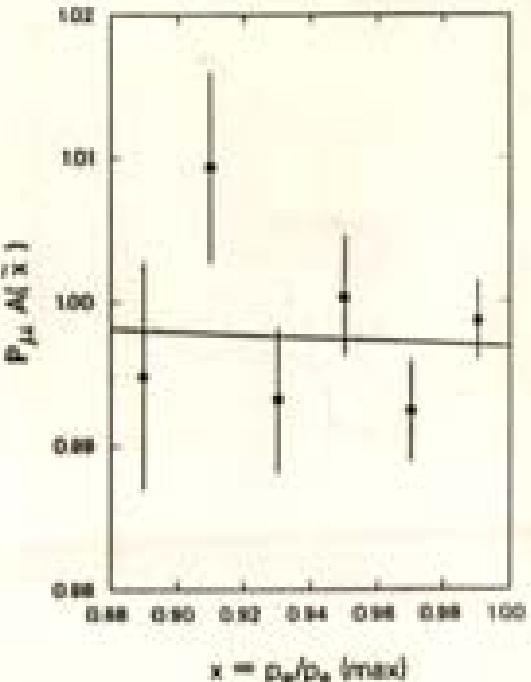


FIG. 4. Values of $P_\mu A(x)$ in each x bin for metal targets, excluding run-2 Cu. Error bars are statistical errors added in quadrature to the possible systematic error from the spectrometer momentum calibration. The line is a fit by Eq. (2) using world-average values of δ and ρ .

Crystal Box

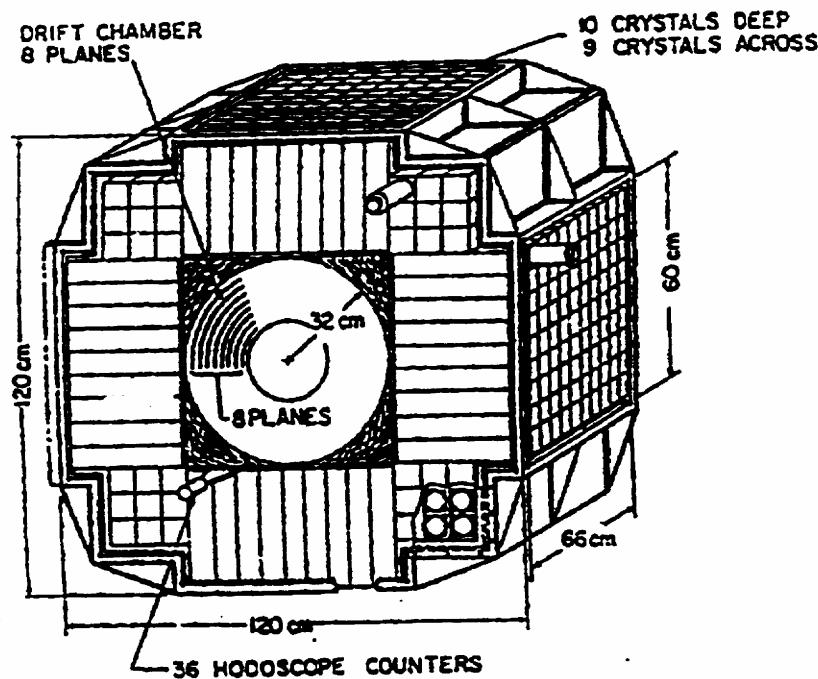


Рис. 5: Схема детектора Crystal Box[15].

для событий $\mu \rightarrow e\alpha\gamma$, $\mu \rightarrow e\bar{\nu}\nu\gamma$ и случайных совпадений, соответственно; x — вектор, компоненты которого равны M_{eff}^2 и $\Delta t_{e\gamma}$.

Пик функции $L(n_{e\alpha\gamma}, n_{IB})$ расположен при значениях $n_{IB} = 7525 \pm 120$ и $n_{e\alpha\gamma} = 0$, что находится в хорошем согласии с ожидаемым значением числа $\mu \rightarrow e\bar{\nu}\nu\gamma$ — распадов в исследуемой мишени: $(n_{IB})_{ожид} = 7460 \pm 118(stat) \pm 800(syst)$.

Приведенные результаты для величины $R_{\alpha\gamma} = \Gamma(\mu^+ \rightarrow e^+\alpha\gamma)/\Gamma(\mu^+ \rightarrow e\bar{\nu}\nu)$ дают значение:

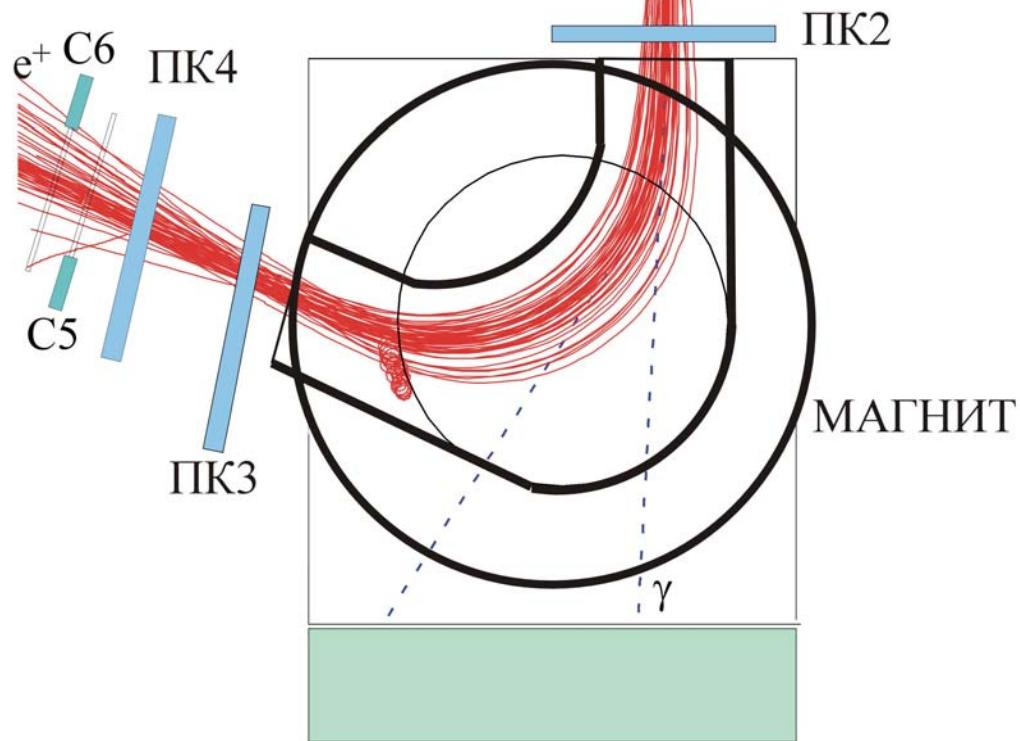
$$R_{\alpha\gamma} \leq 1,3 \cdot 10^{-9} \quad (90\% \text{ уровень достоверности}). \quad (3.12)$$

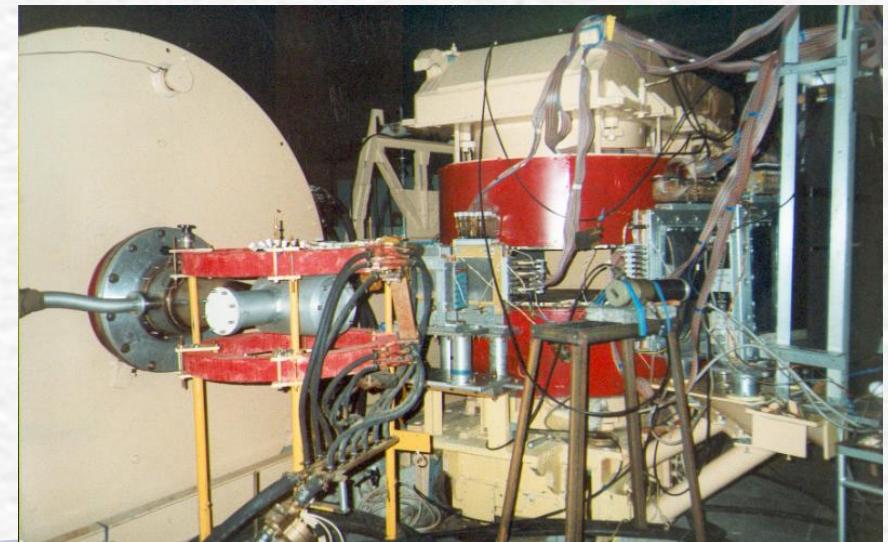
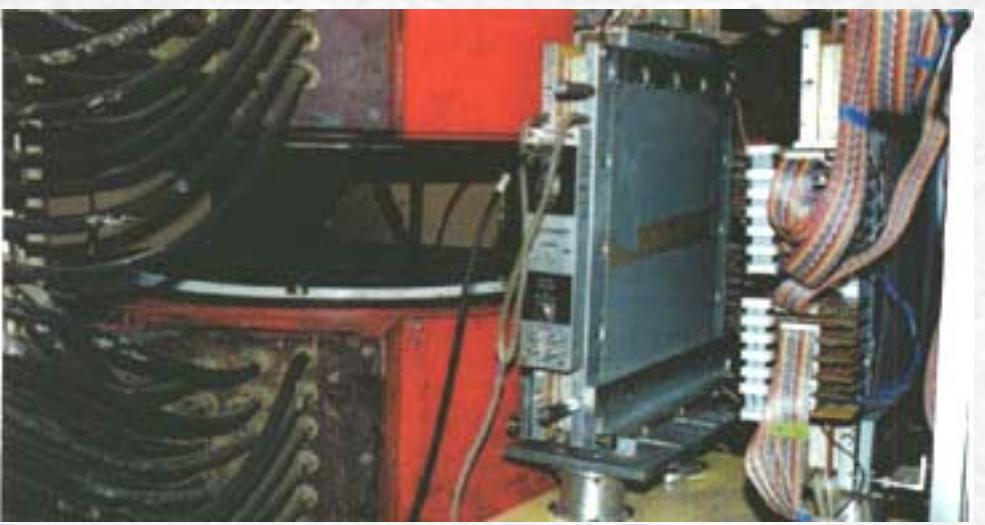
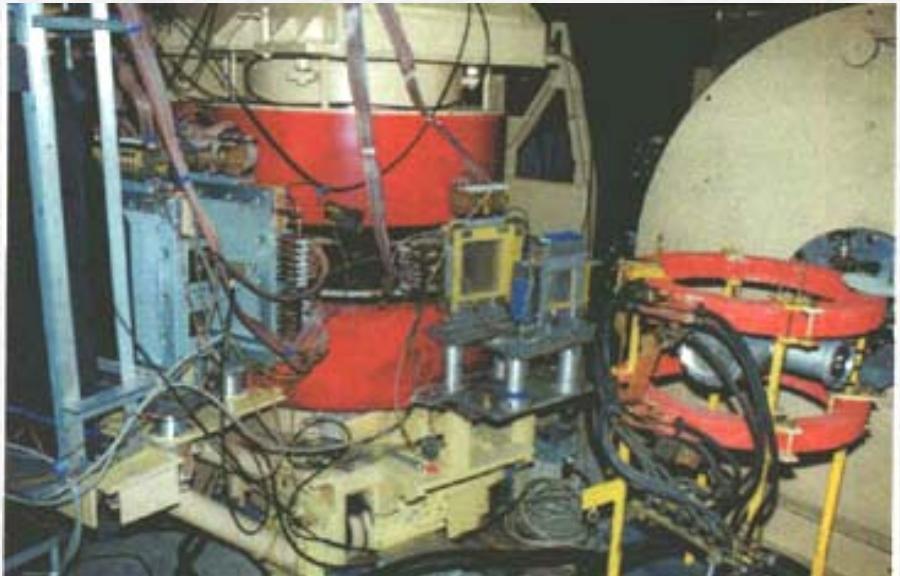
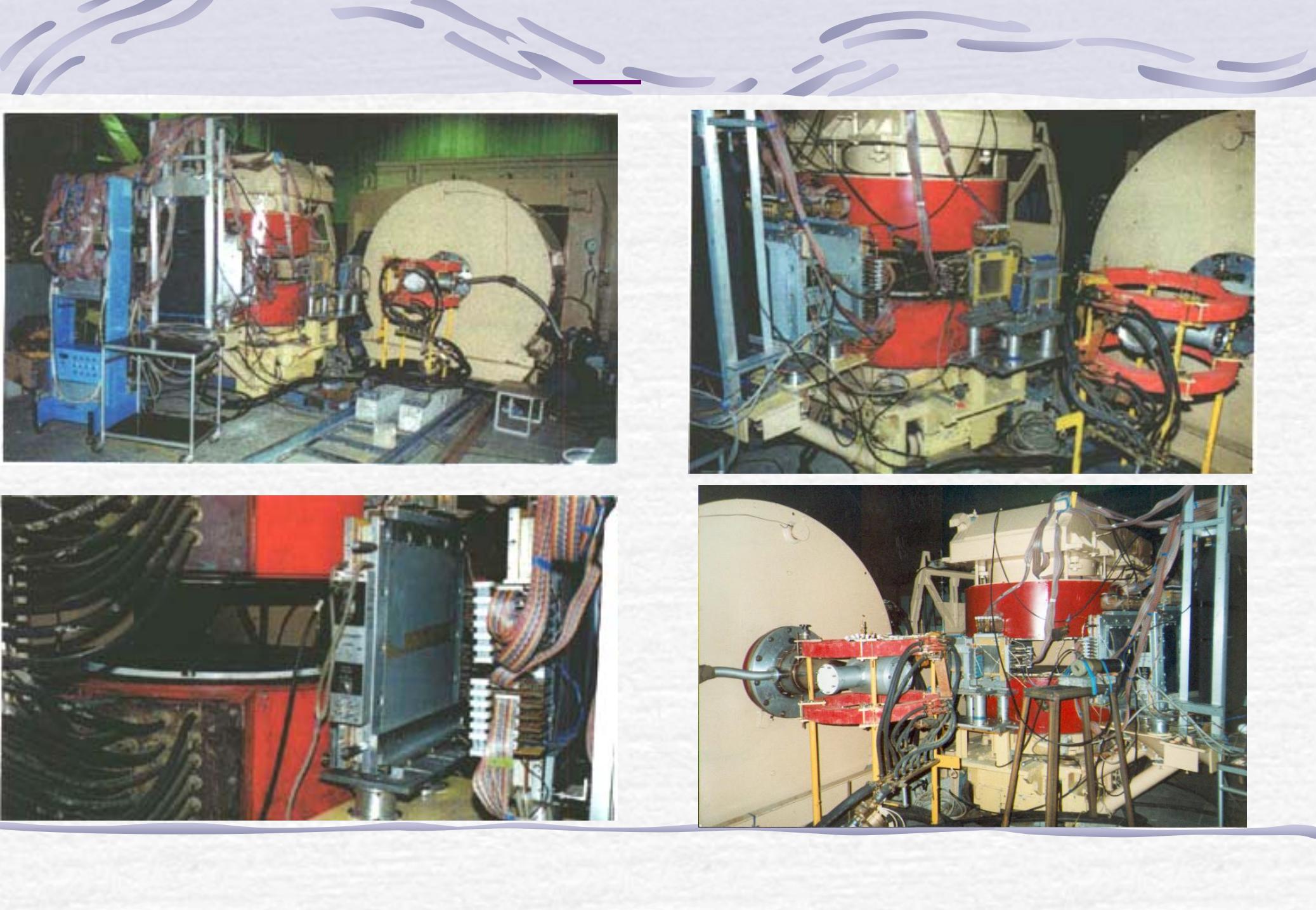
4 Анализ высокоэнергичной части спектра позитронов $\mu \rightarrow e$ — распада.

Прямое наблюдение пика от распада $\mu \rightarrow e^+\alpha$ на фоне распада $\mu \rightarrow e\bar{\nu}\nu$ помимо того, что требует магнитного спектрометра с высоким разрешением по энергии, связано и с многими трудностями абсолютных измерений — фоновые события, рассеяние и др. Однако, как показано в работах[17, 18], возможна такая постановка опыта по поиску распада $\mu^+ \rightarrow e^+\alpha$, где абсолютные измерения заменяются относительными.

Рассмотрим распады $\mu^+ \rightarrow e^+\alpha$ и $\mu^+ \rightarrow e^+\bar{\nu}\nu$ с точки зрения углового распределения позитронов относительно направления спина мюона. Из формул (3.5) и (2.6) видно, что если в первом случае имеет место изотропное распределение позитронов распада, то во втором — резко выраженная асимметрия вылета позитронов отно-

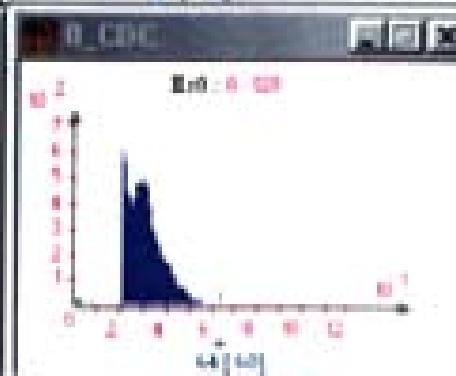
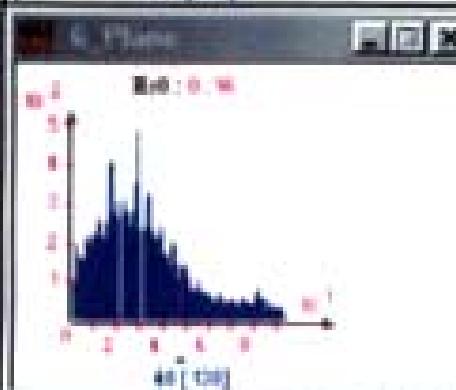
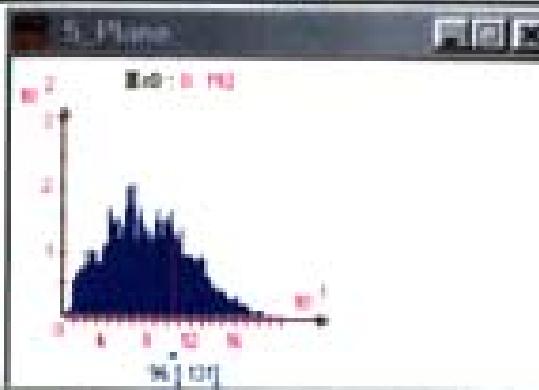
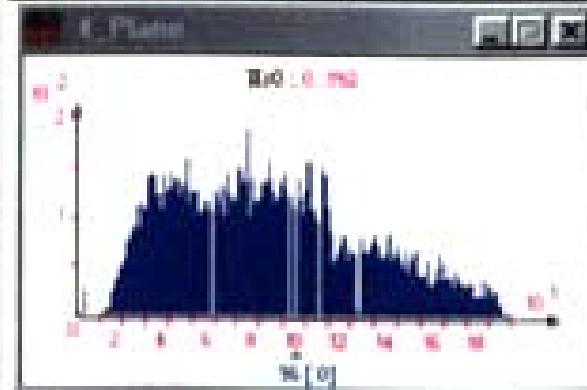
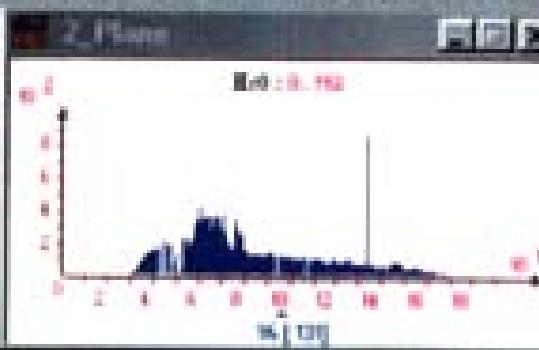
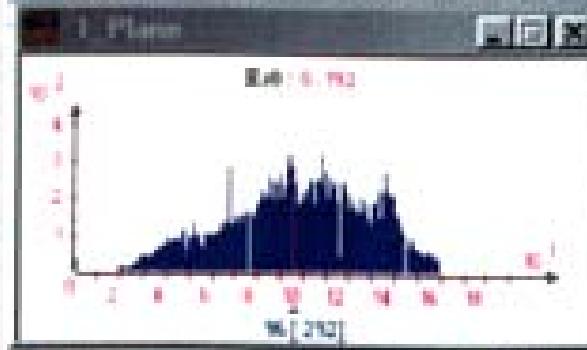
Установка ФАМИЛОН

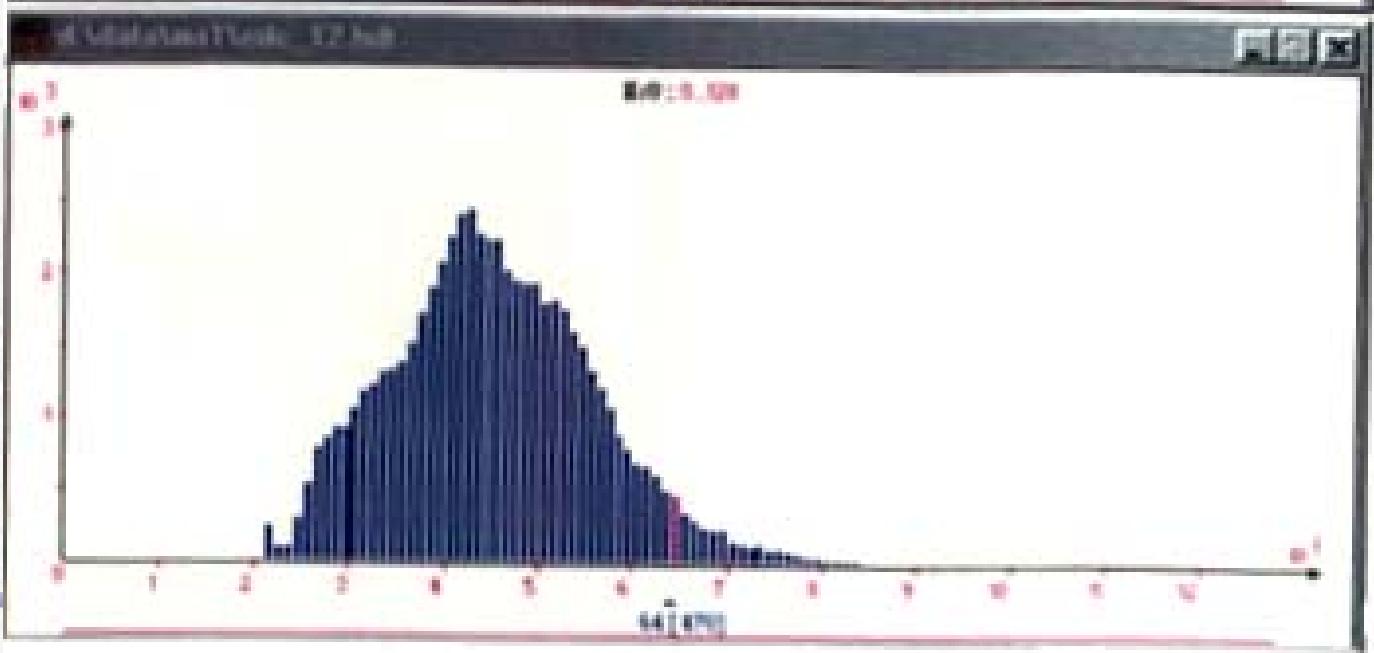
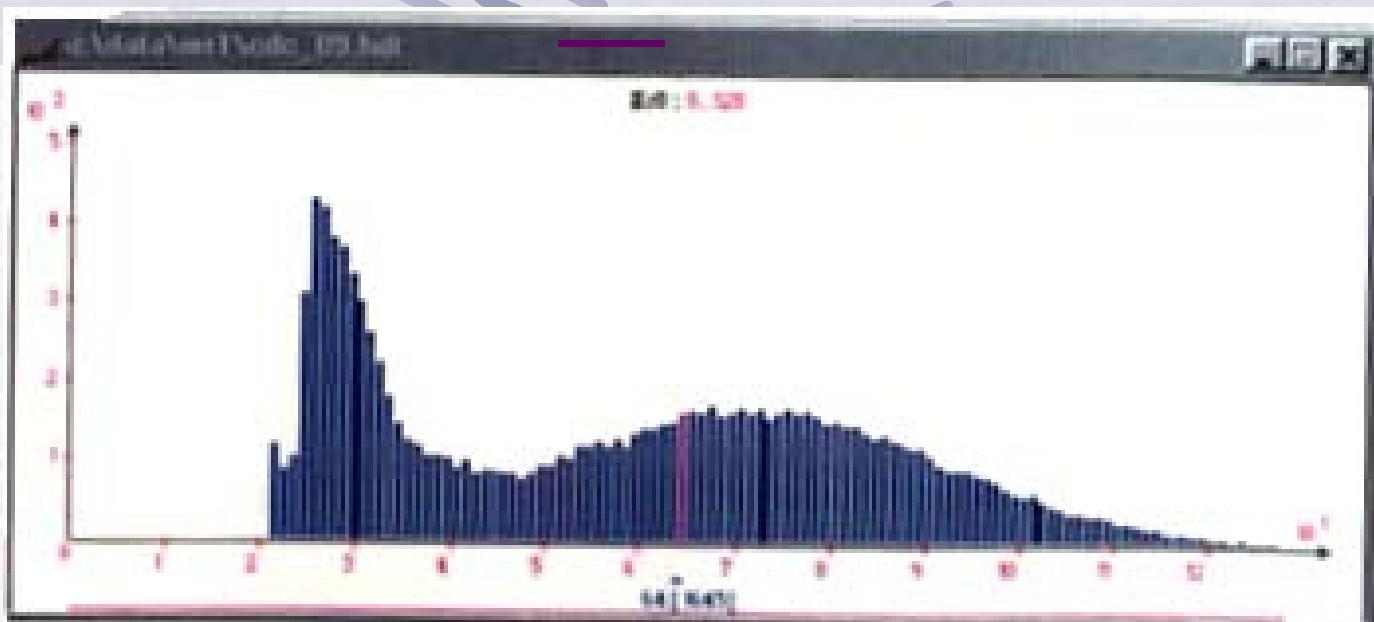


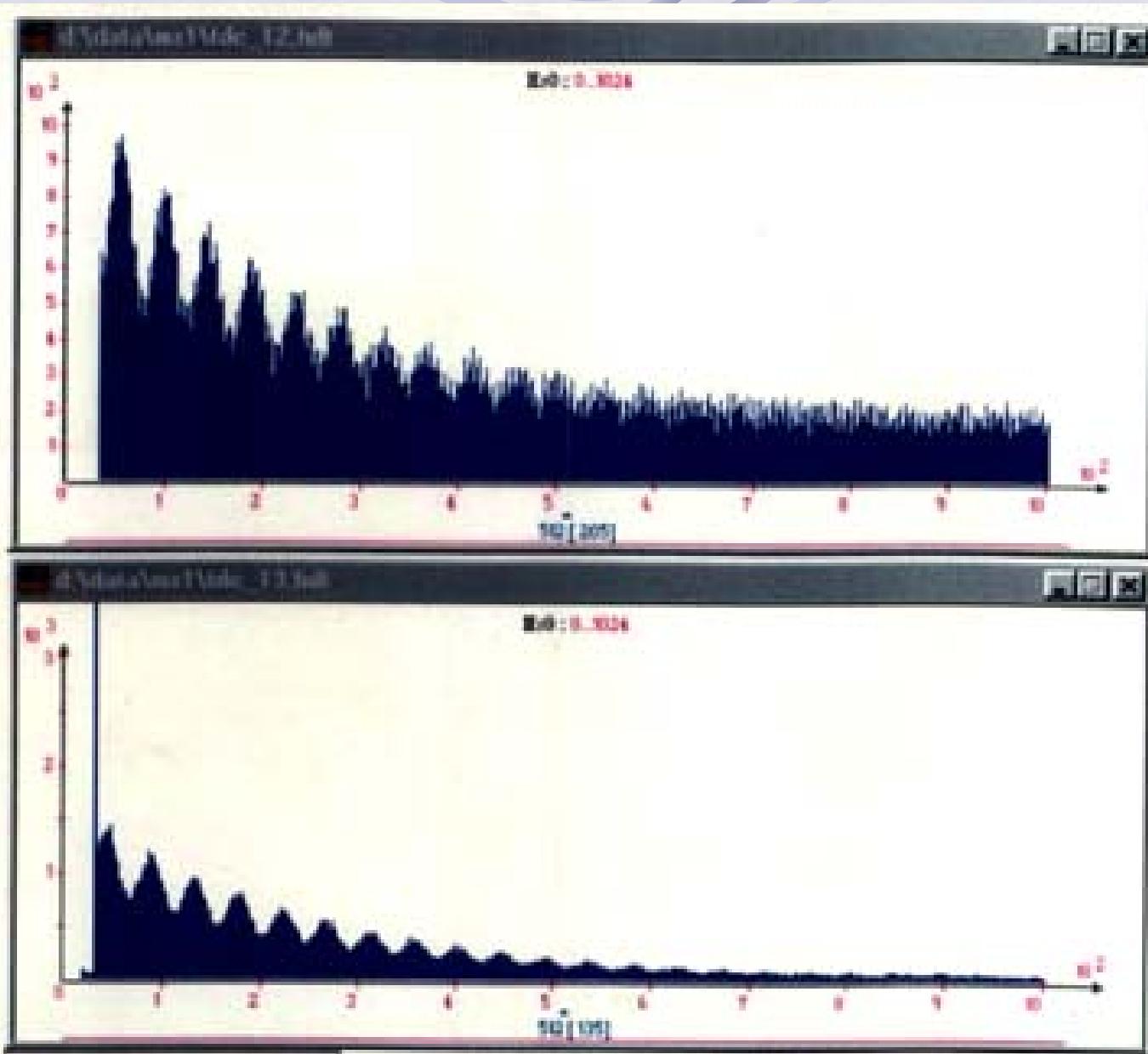


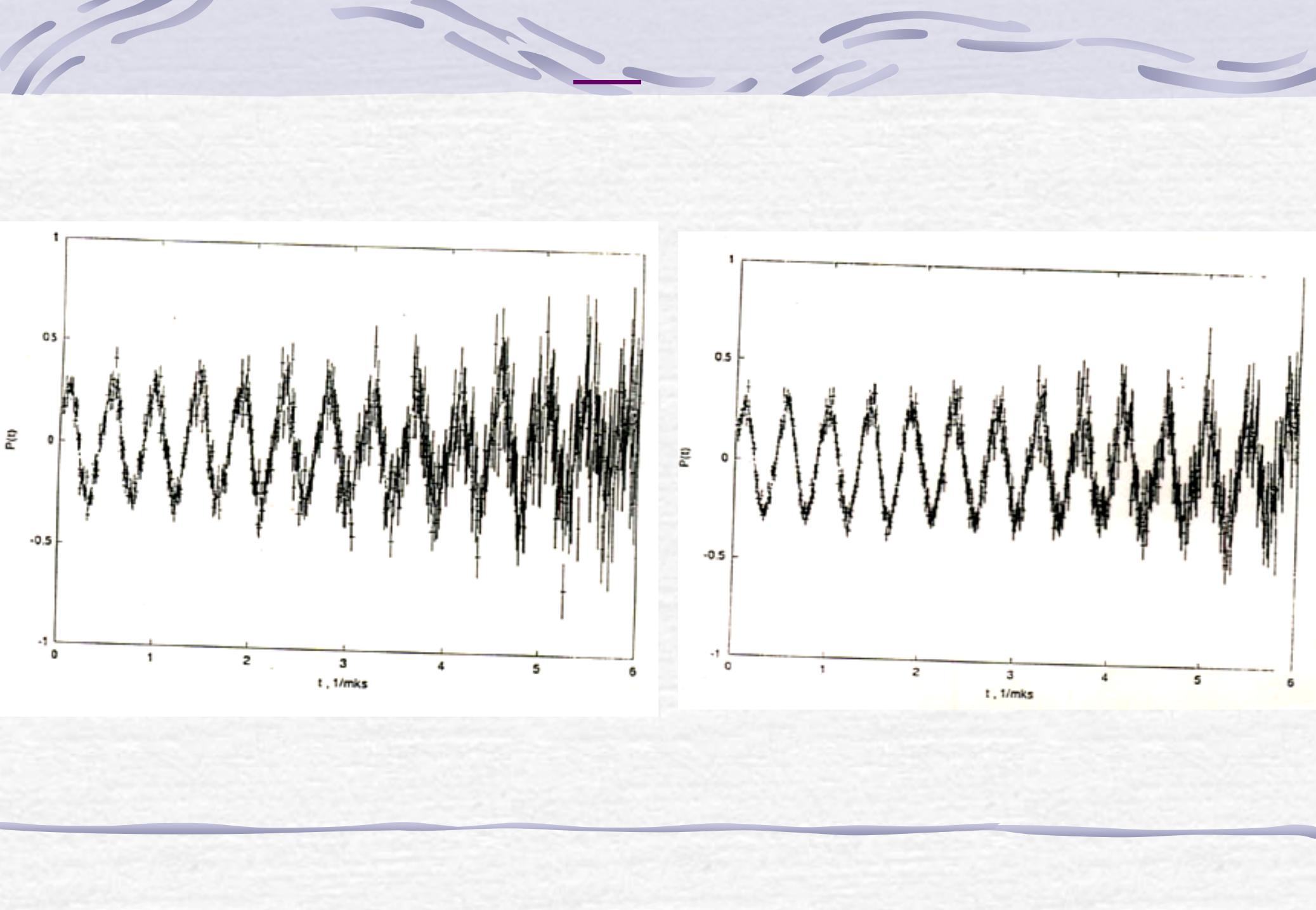
Data & Parameters View

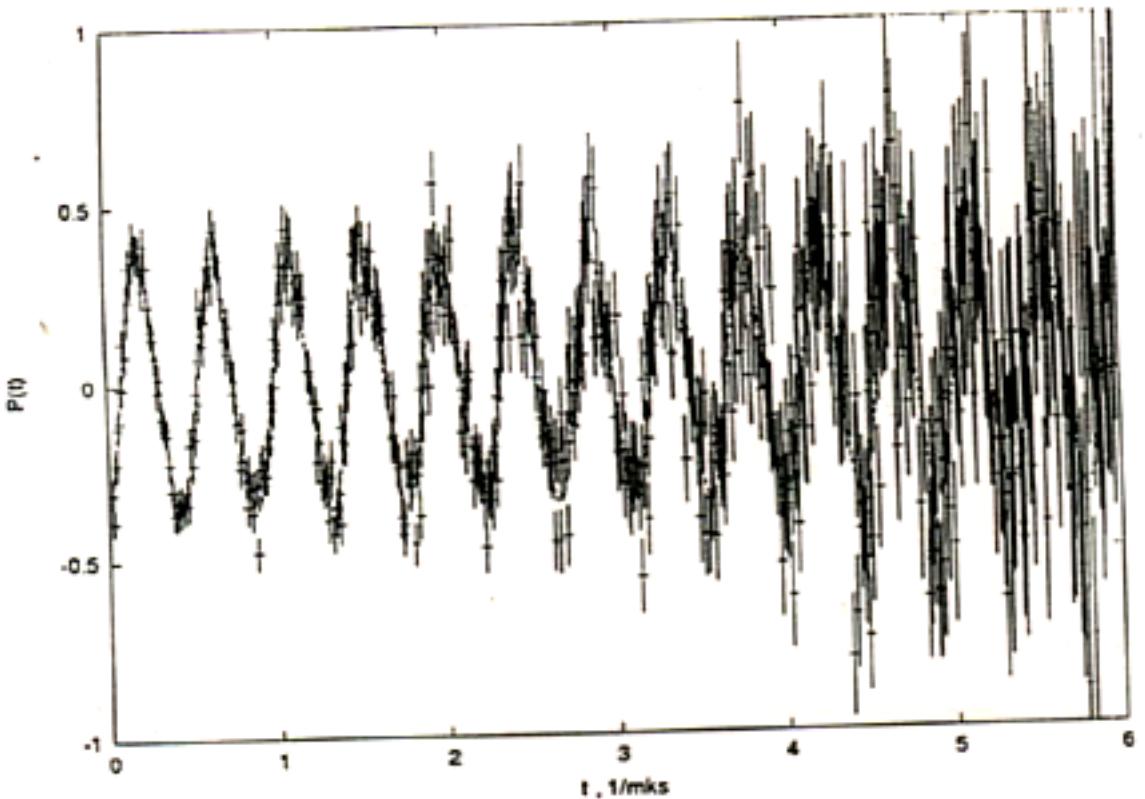
Owner/First/Last Ad/Selected ClassAll SawHut Huffyew SxDView InShow/Out ShowEndEvent End Options











-----FAMILON-----

----- TEST RUN 30.05 - 2.06.201

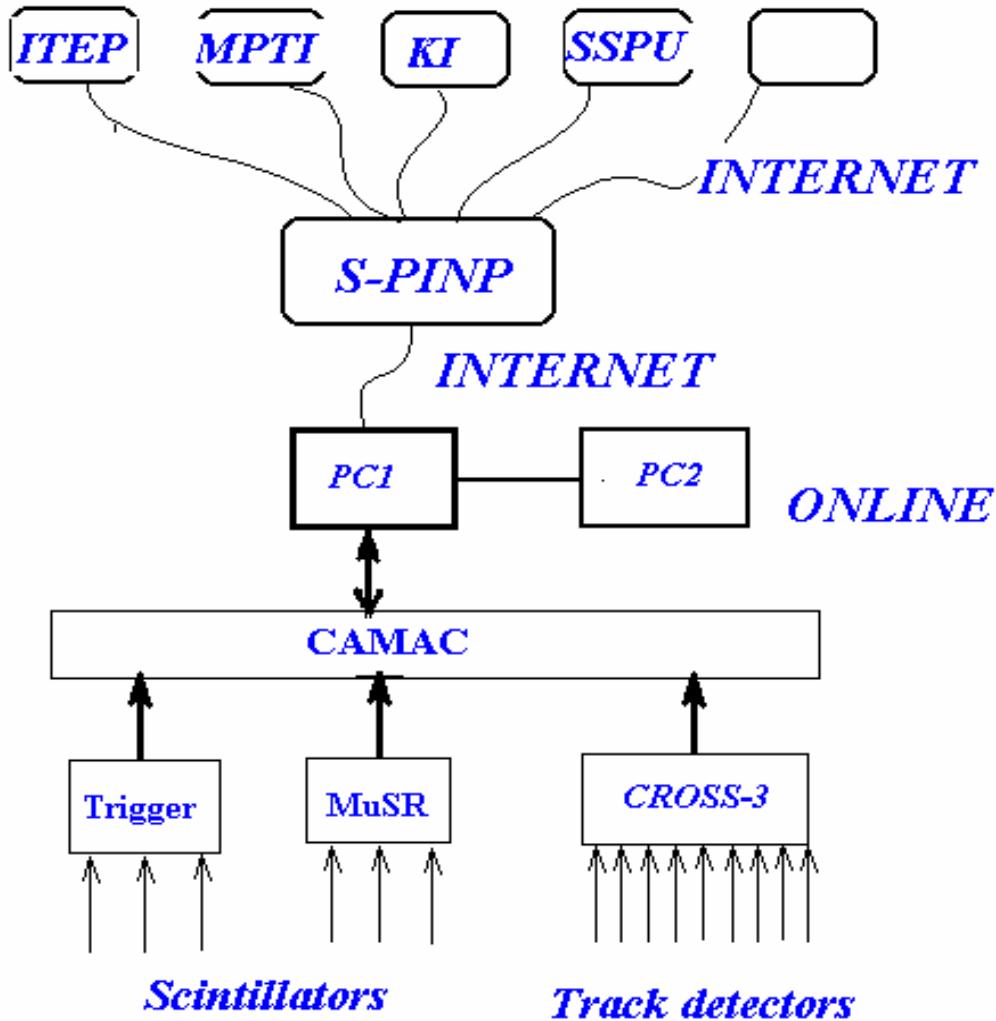
H	asymmetry	omega	t0	f & L-ch	x^2	
Gauss		rad/mks				
1 164	.358 .005	14.047 .010	35.0 37	1000 975.1	tdc1_12.	
2 164	.270 .003	14.007 .007	35.0 37	1000 1028.9	tdc1_13.	
3 164	.276 .004	13.990 .009	35.0 37	1000 1037.4	tdc1_14.	
4 164	.268 .004	14.021 .010	35.0 37	1000 1186.6	tdc1_15.	
5 164	.510 .007	13.887 .009	35.0 55	1000 1196.7	summary_	

State Scientific Center of Russian Federation



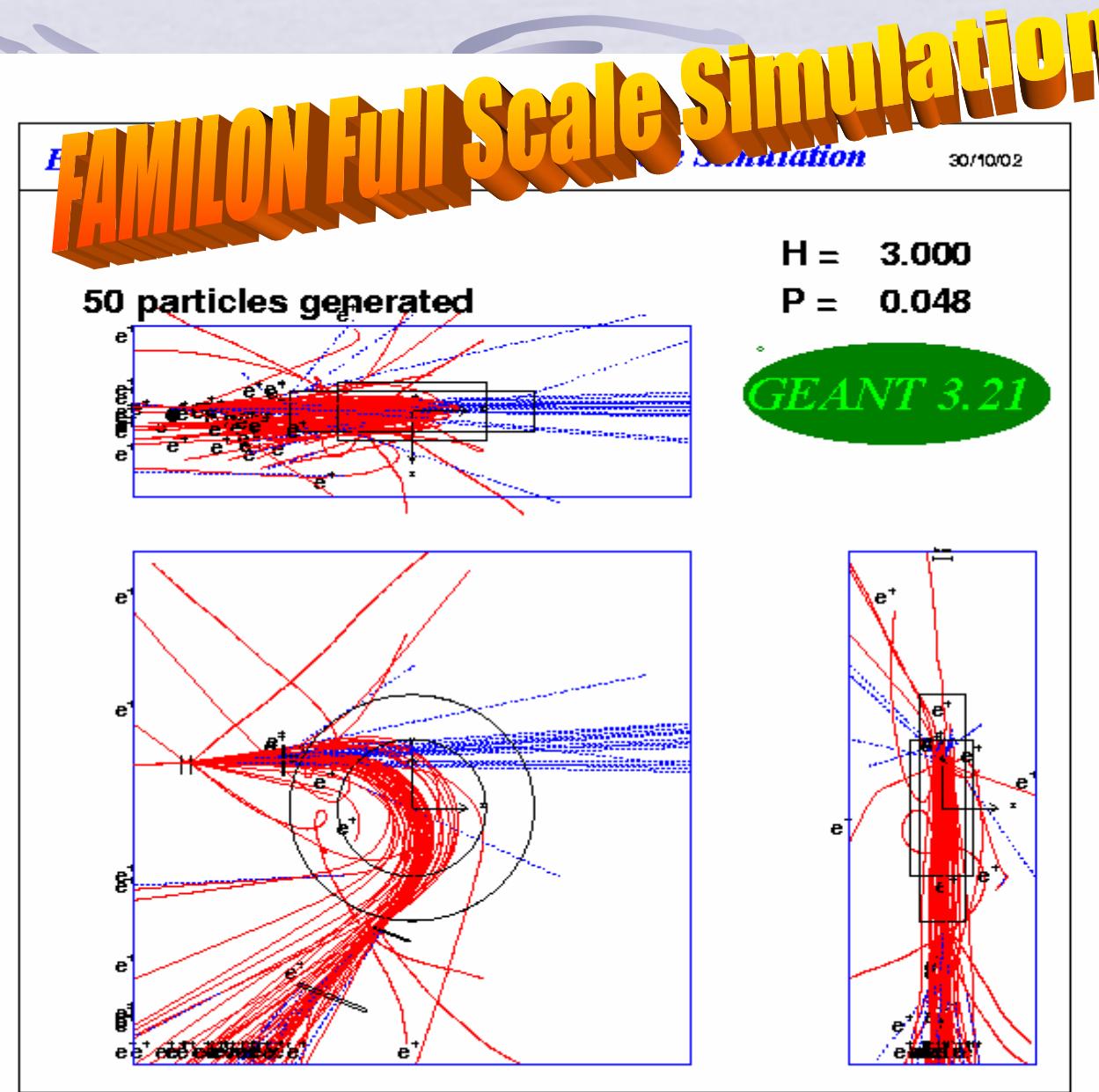
**Institute for Theoretical and Experimental Physics
(ITEP)**

Computer supply of the FAMILON experiment



The aims of simulation procedure were:

1. Optimization of the geometry arrangement of the set-up elements.
2. Analysis of the action of the density substances along the positron trace.
3. Evaluation of the positron momentum measurement precision.
4. Calculation of the positron detection efficiency.



FAMILON: Angle measurement precision

defines the distance between blocks of prop. chambers behind magnet.

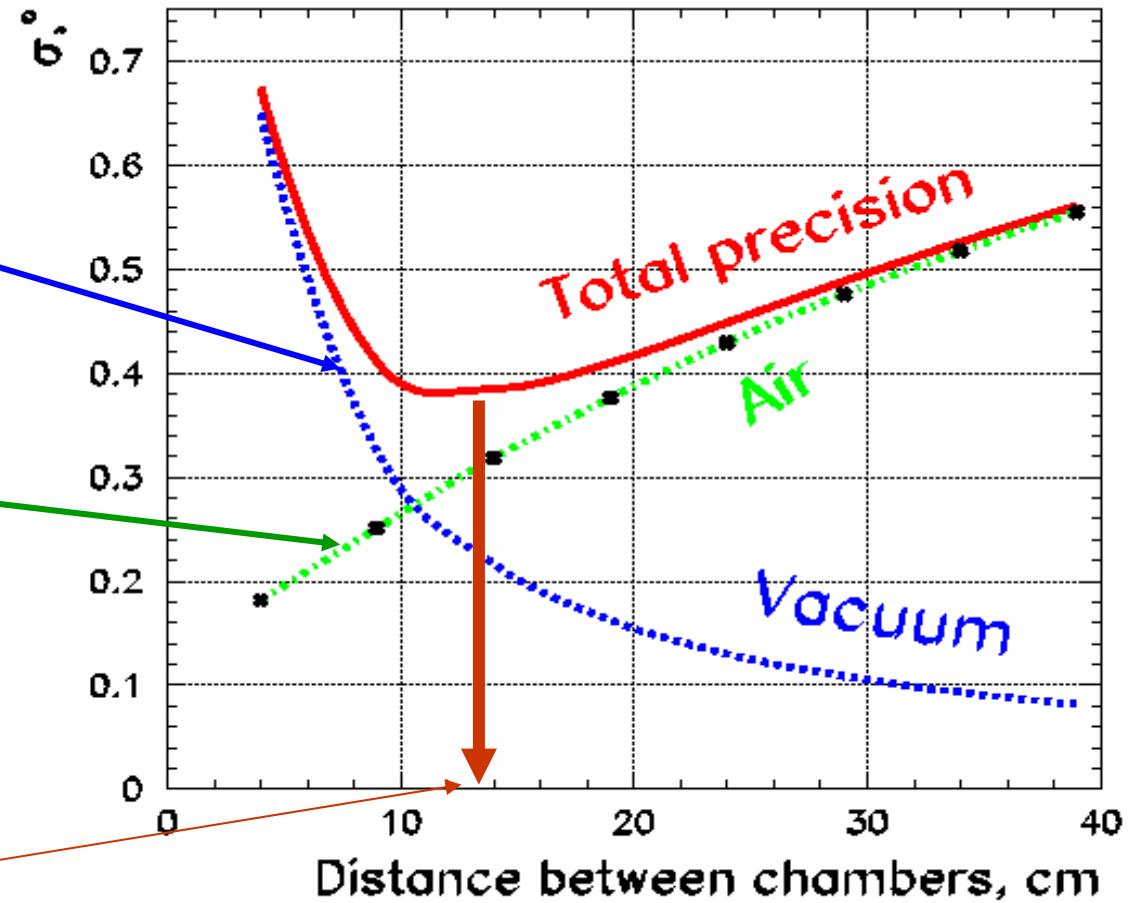
Two factors must be taken into account:

1. Errors in measuring of coordinates due to discrete disposition of sensitive wires in proportional chambers.

2. Positron multiple scattering in air between the chamber samples.

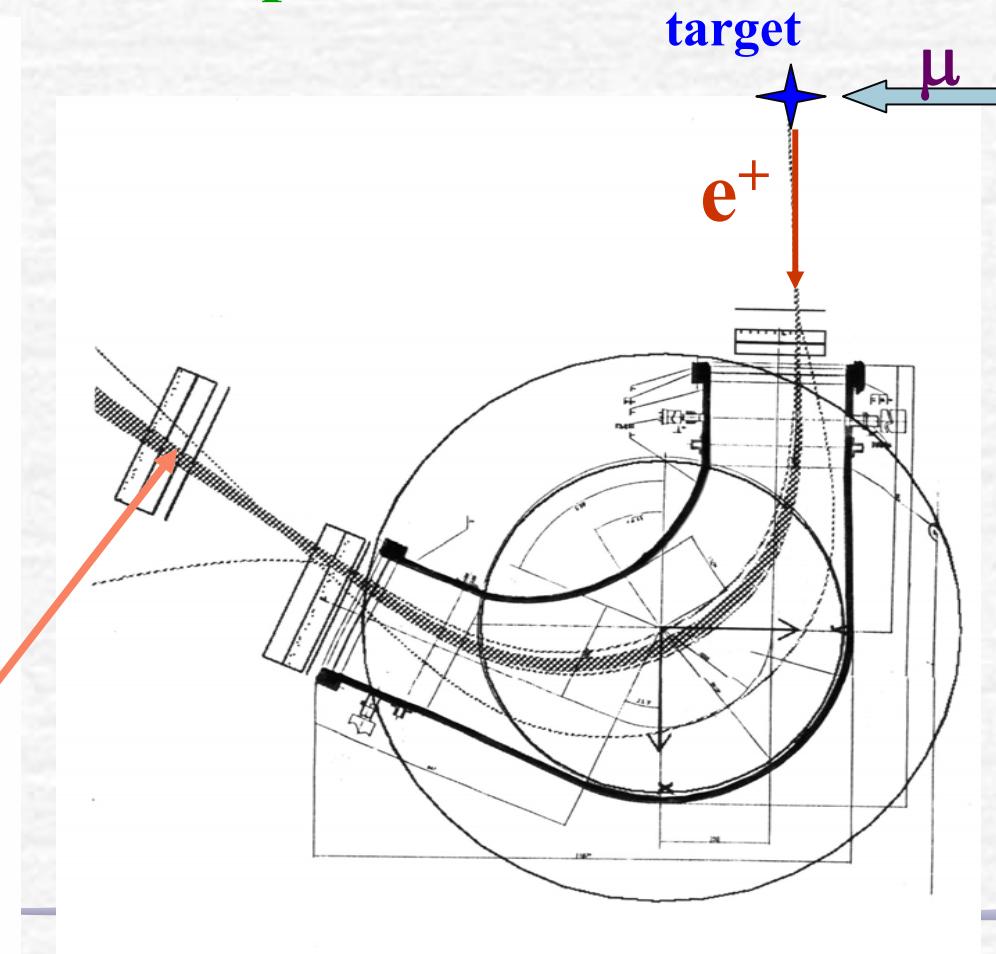
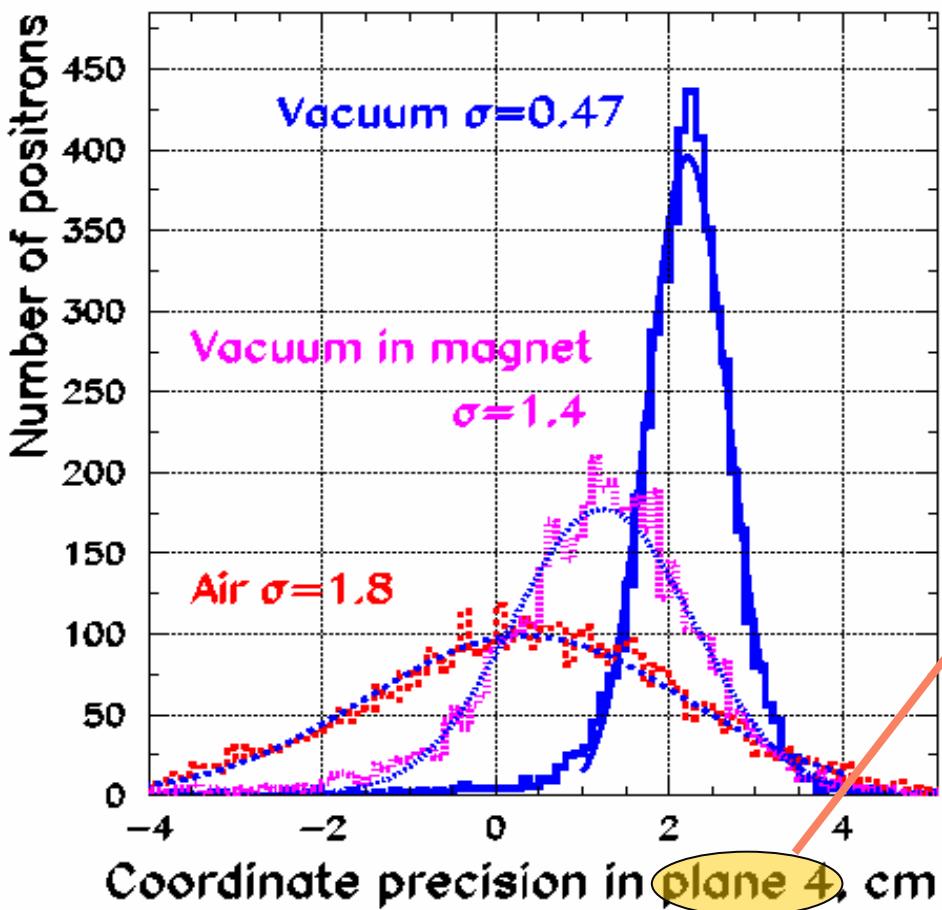
Both factors depends on distance between the samples.

Optimal distance is determined by the minimum of the total precision.



Coordinates measurement precision

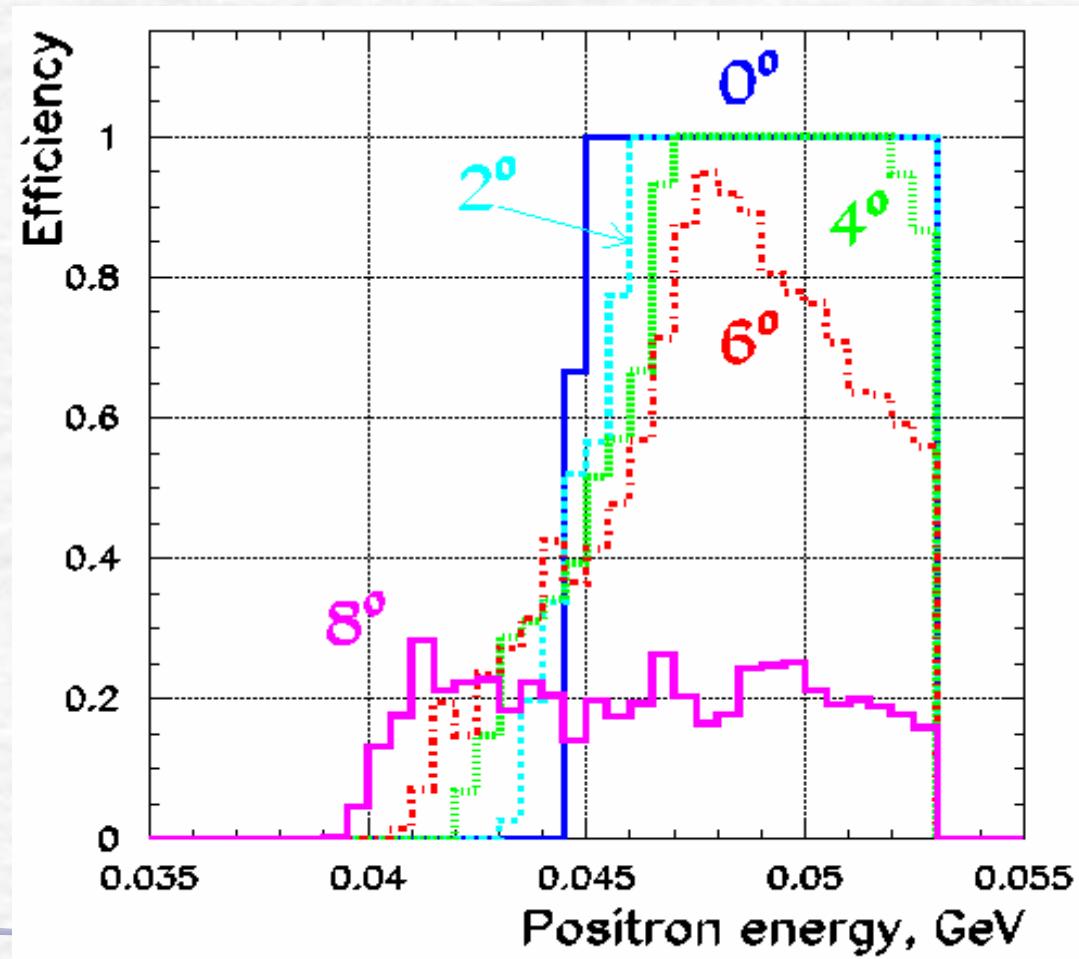
Momentum measurement precision is determined by coordinate precision



Motne Karlo efficiency evaluation

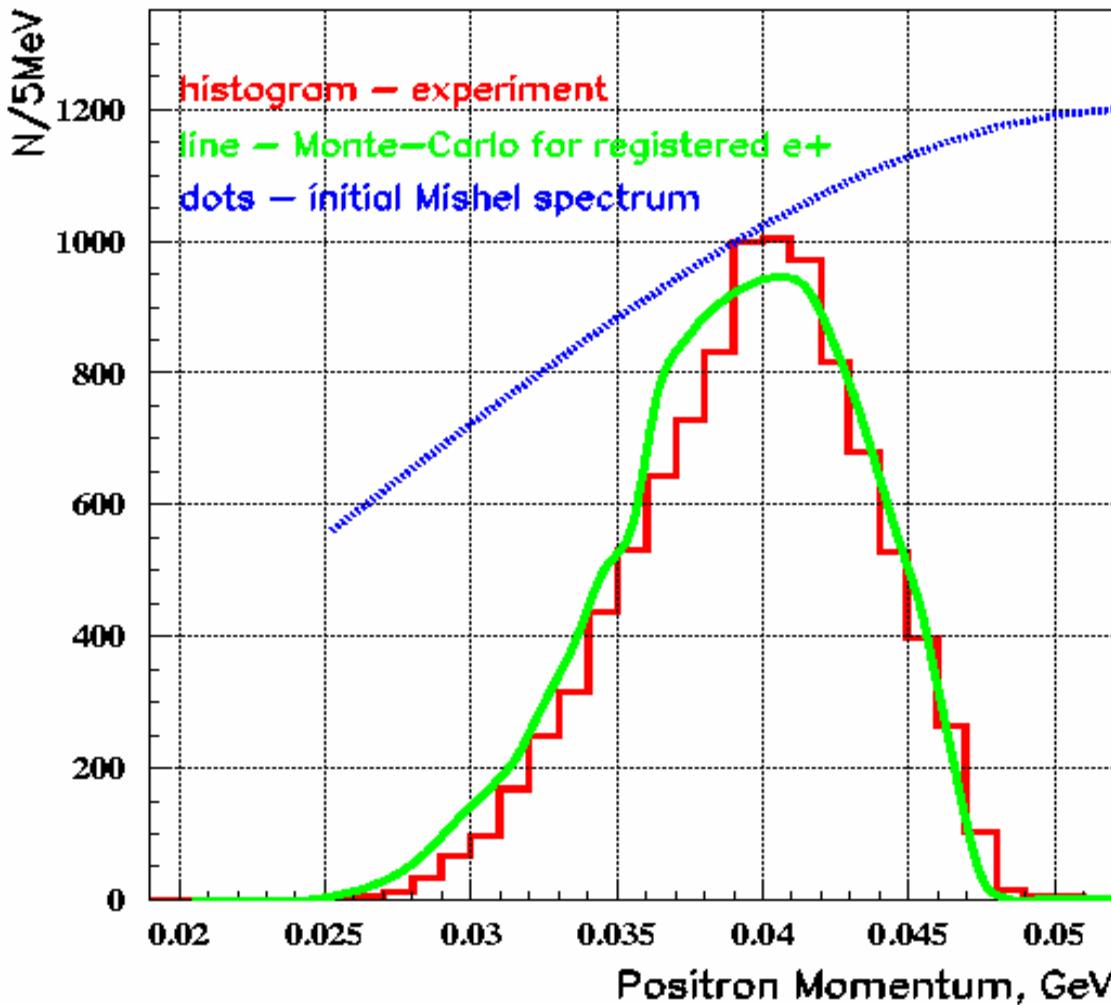
Efficiency of positron registration ε depends on energy E and angle θ of positron $\varepsilon = F(E, \theta)$.

ε is defined by geometrical disposition of the magnetic spectrometer elements: size of the magnetic field region, scale and location of the proportional chambers and distance between the target and spectrometer.



The results of the methodical run are demonstrated the conformity of the realized *simulation*

FAMILON – methodical run

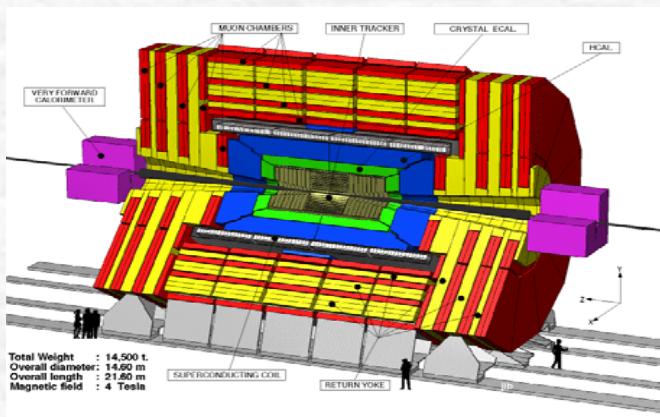


Predicted relative precision Σ_P/P of the positron momentum measurement for different Sut-up modification.

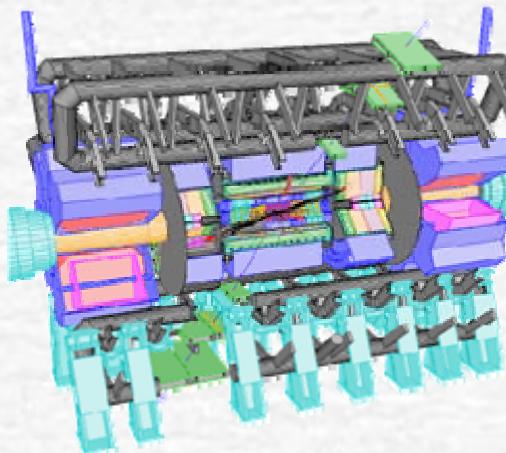
- | | |
|---|---------------------|
| 1. Extreme precision (vacuum elsewhere) - | $5 \cdot 10^{-4}$ |
| 2. Maximal precision for the available design of proportional chambers
(vacuum + 3 plane of the) - | $2.5 \cdot 10^{-3}$ |
| 3. Vacuum only in inside of the magnet - | $5 \cdot 10^{-3}$ |
| 4. Helium elsewhere - | $3 \cdot 10^{-3}$ |
| 5. Air elsewhere - | $9 \cdot 10^{-3}$ |
| 6. <i>Vacuum inside of the magnet, helium in the residual volume -</i> | $2.6 \cdot 10^{-3}$ |

LHC

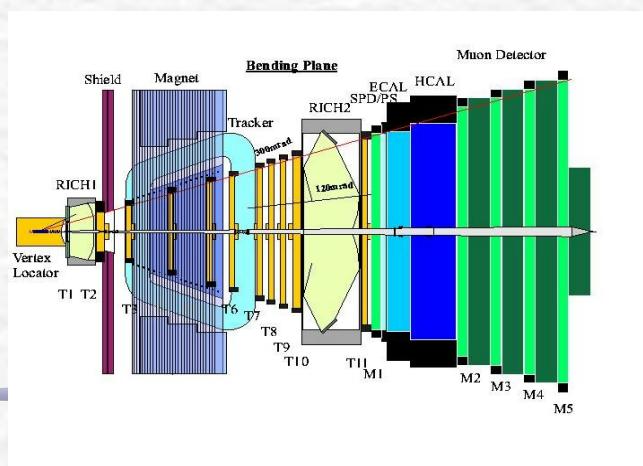
CMS



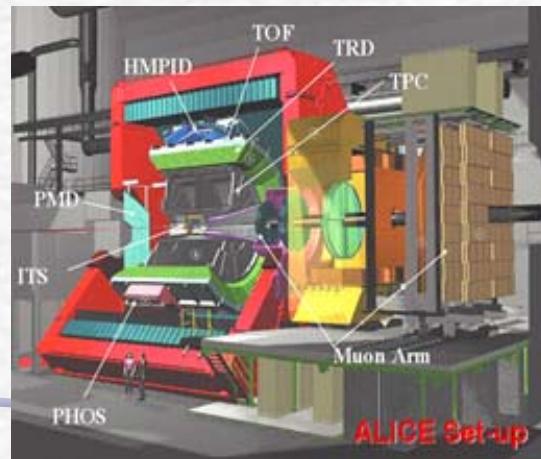
ATLAS



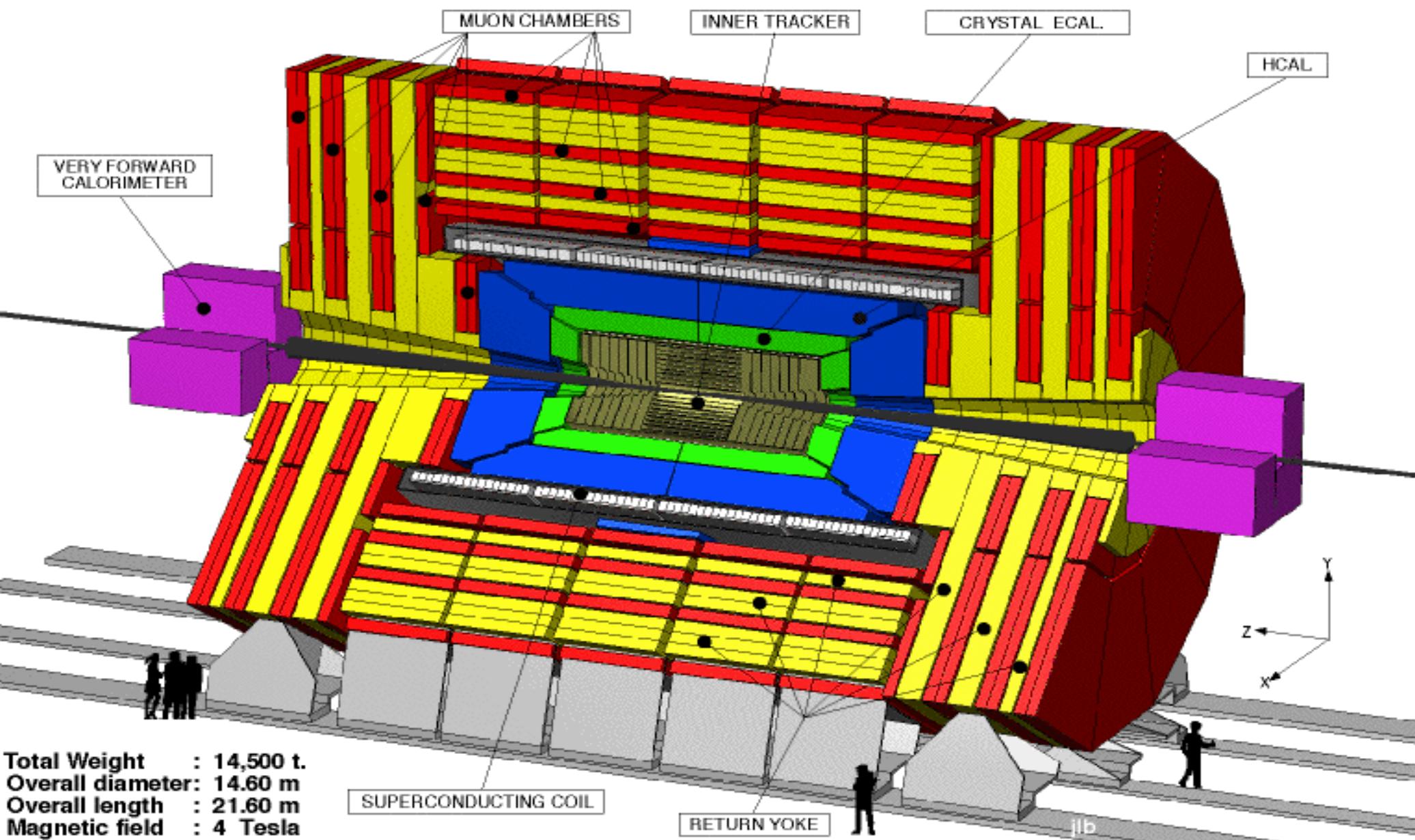
LHCb



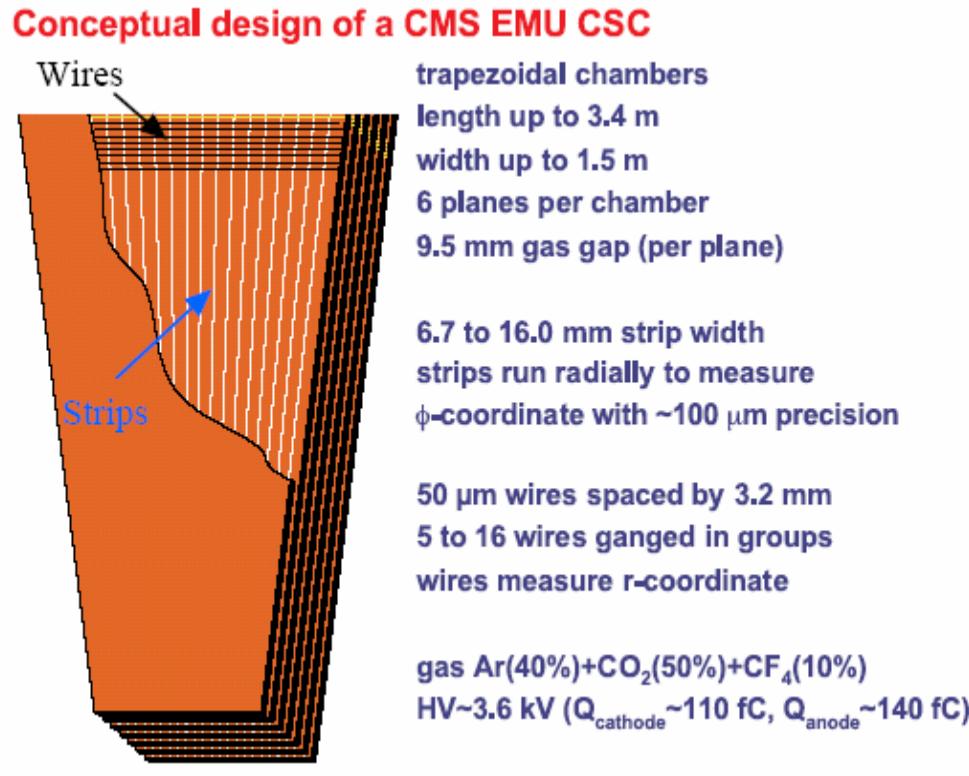
ALICE



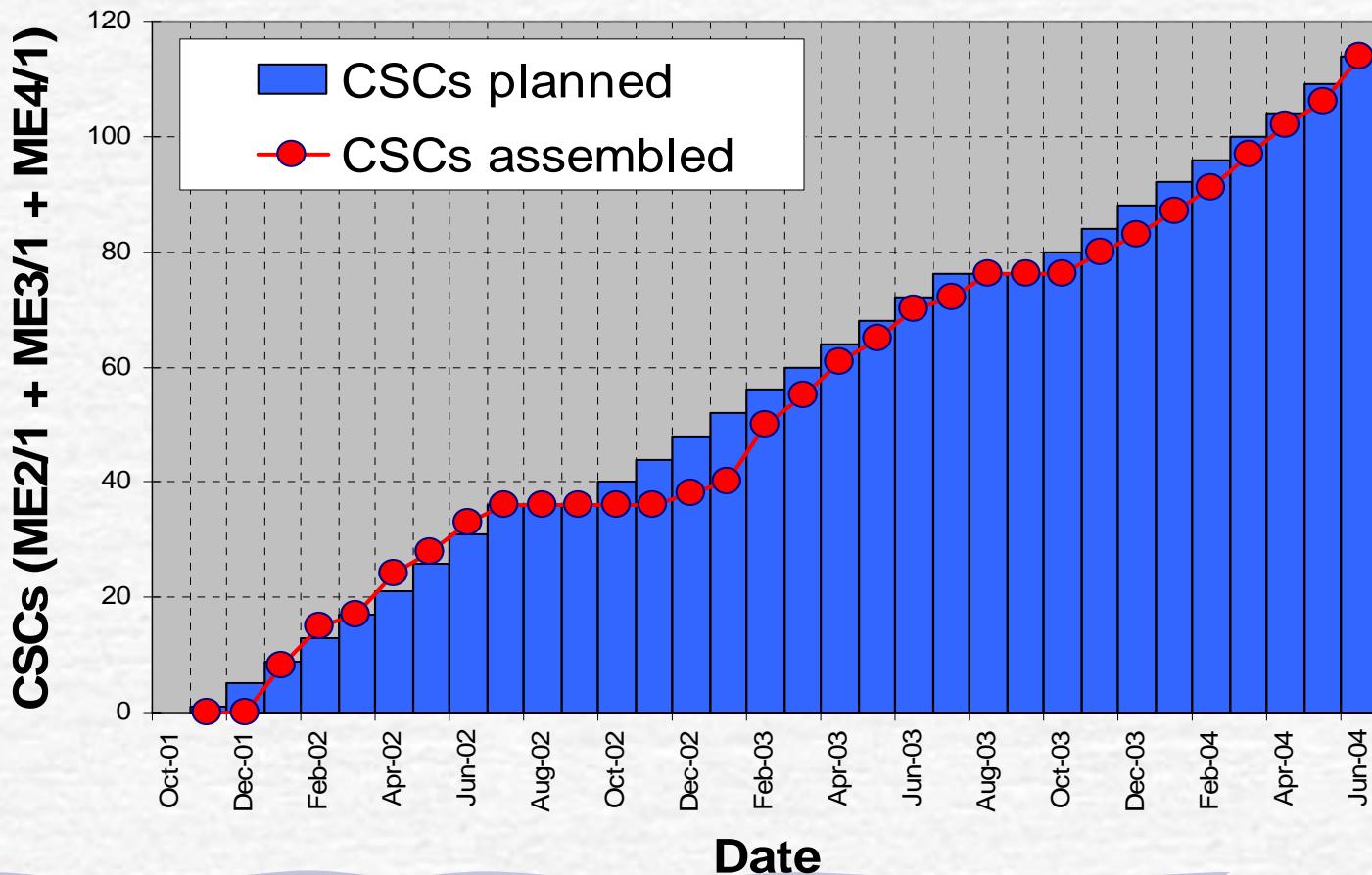
CMS



Пияф должен был
изготовить
120
6-слойных камер
500 000 анодных
нитей



CSC Production at PNPI



PNPI CSC Factory



Assembling with electronics



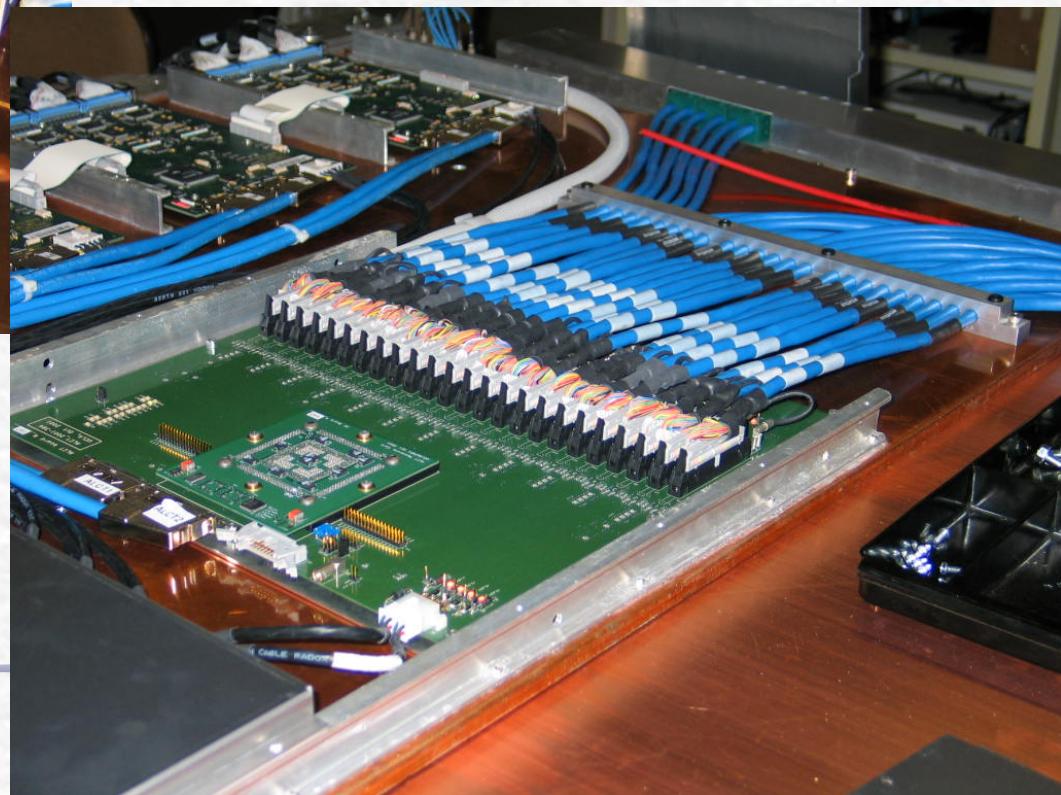
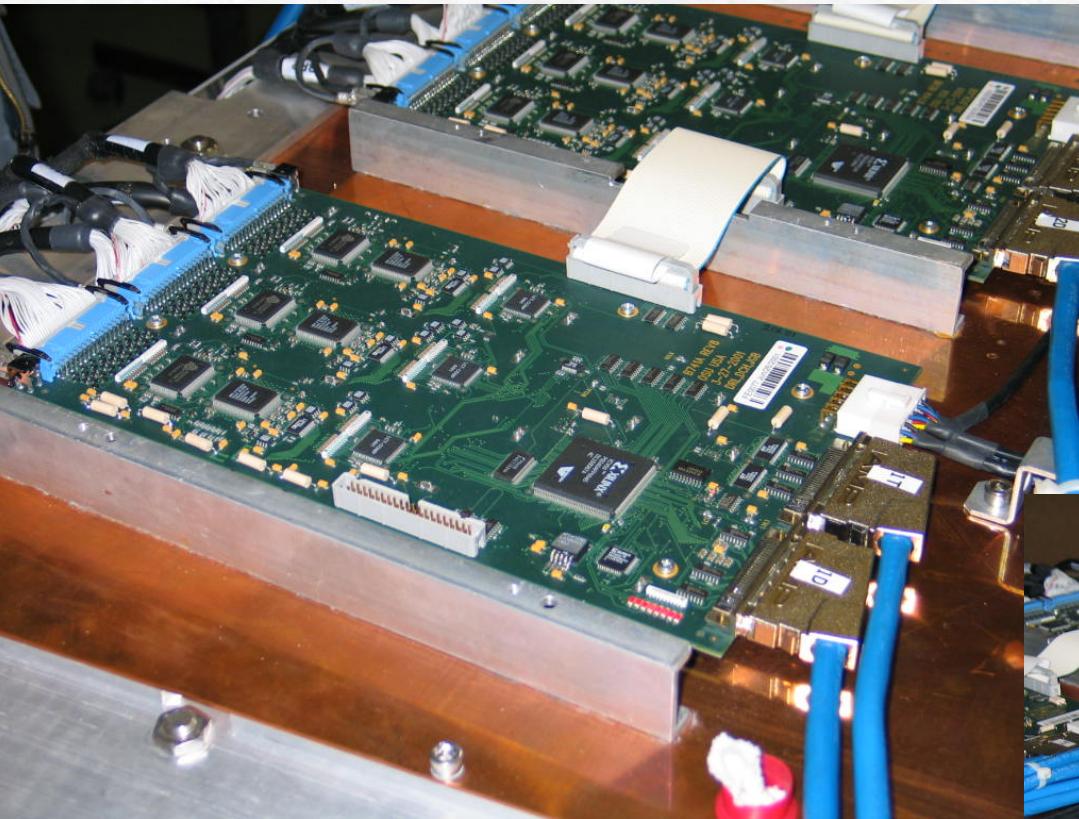
PNPI Fast Site



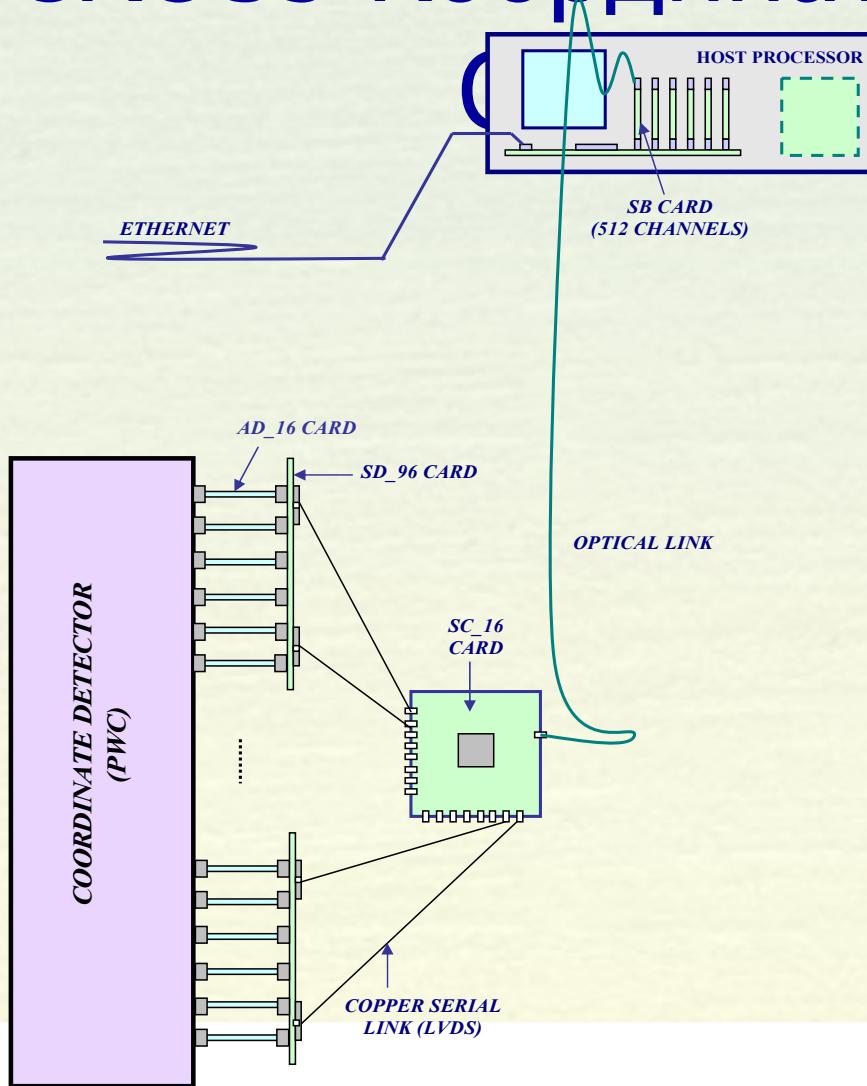
Transportation to CERN







CROS3 Координатная Система Синхронизации



AD_16 – 16-канальный усилитель-дискриминатор

SD_96 – Системный модуль синхронизации, задержки и кодирования

SC_16 – Системный концентратор данных

SB – Системный буфер и интерфейс

CROS3 Координатная Система Считывания

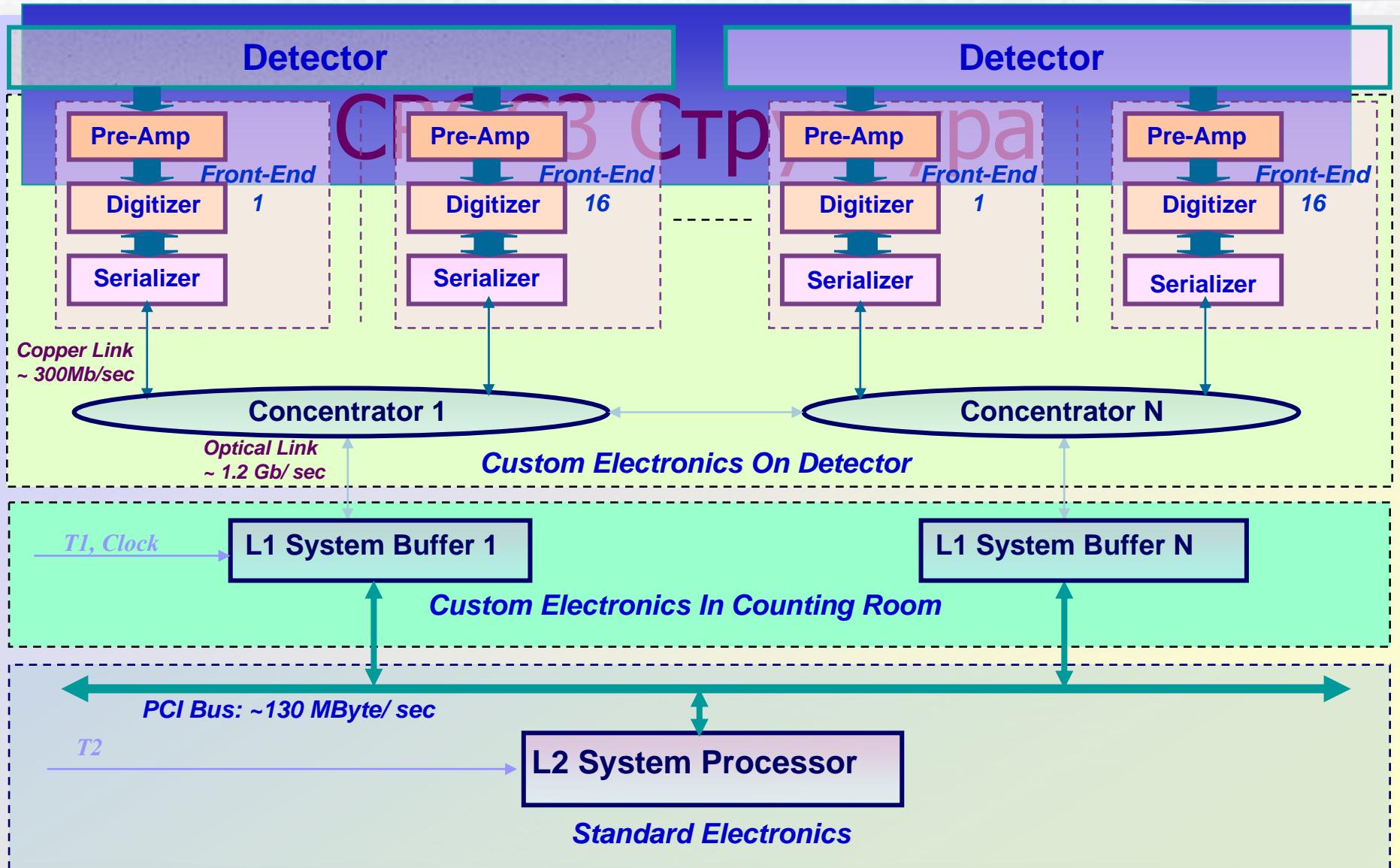
CROS3 Координатная Система Считывания



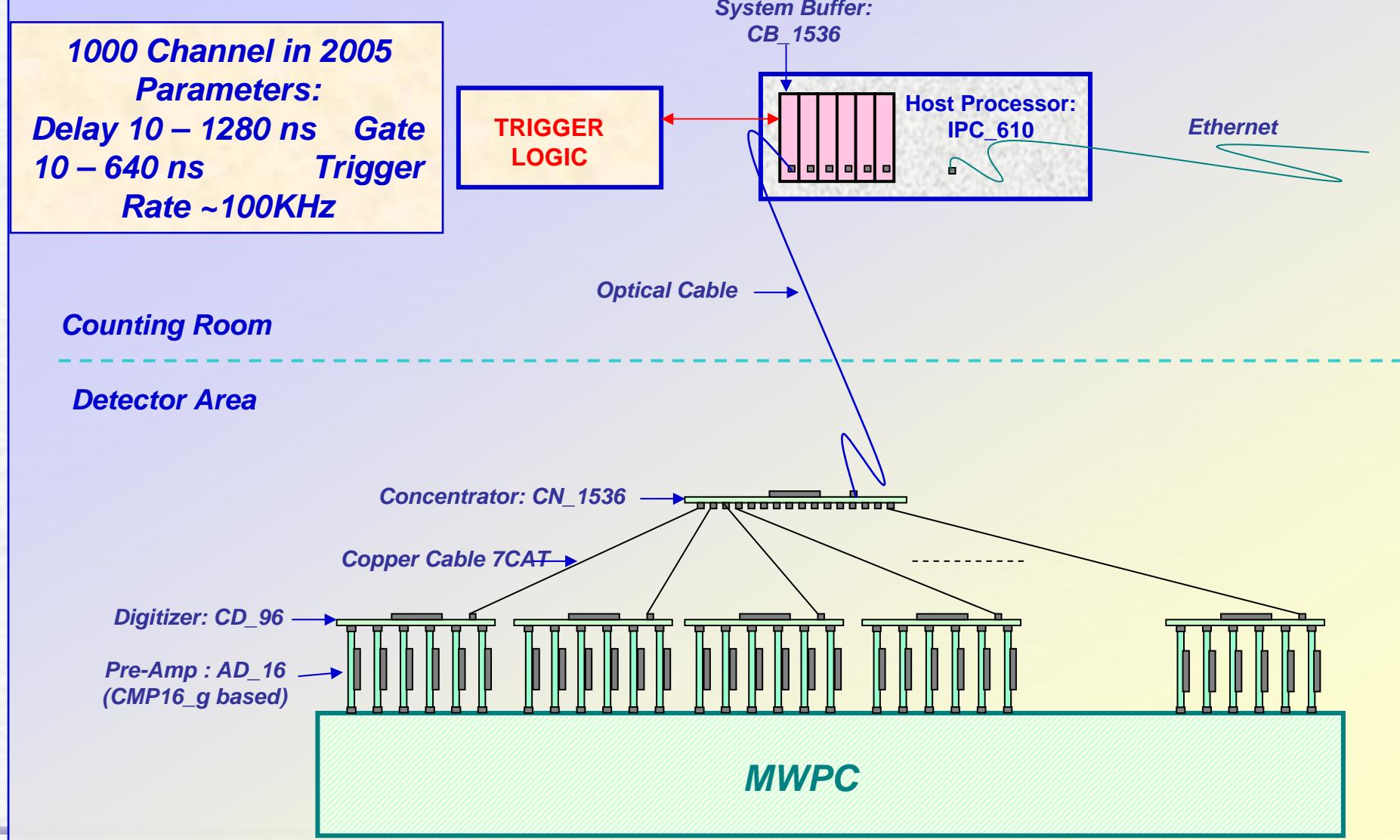
*CROS3 – прототип координатной системы
считывания, разрабатываемый с 2003
Учитывает достоинства (и недостатки)
предыдущих систем CROS, CROS2
Использует достижения современных
технологий интегральных микросхем в том
числе – ASIC CMP16_g и FPGA Xilinx Spartan II*

Особенности системы:

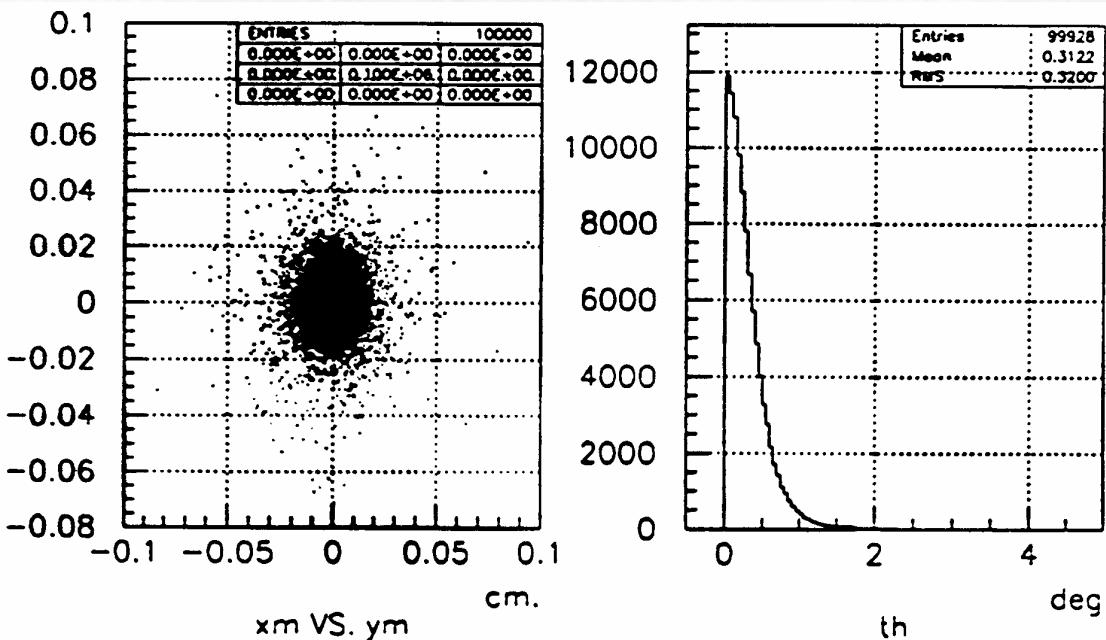
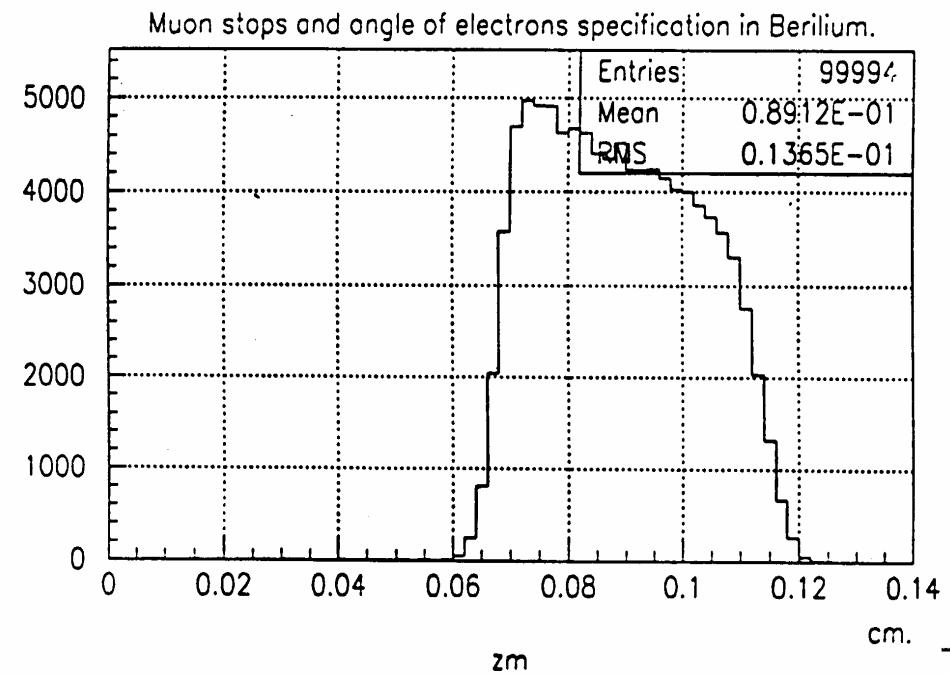
- * Предусилитель, дискриминатор, задержки и считывание расположены непосредственно на детекторе*
- * Быстрое кодирование и считывание данных с частотой 40 МГц*
- * Возможность измерения временного распределения срабатывания каналов в интервале «ворот» схемы совпадений с дискретностью до 2.5 нс*



CROS3_PWC Архитектура



Энергетический разброс пучка после мишени



Энергетический разброс
пучка после мишени

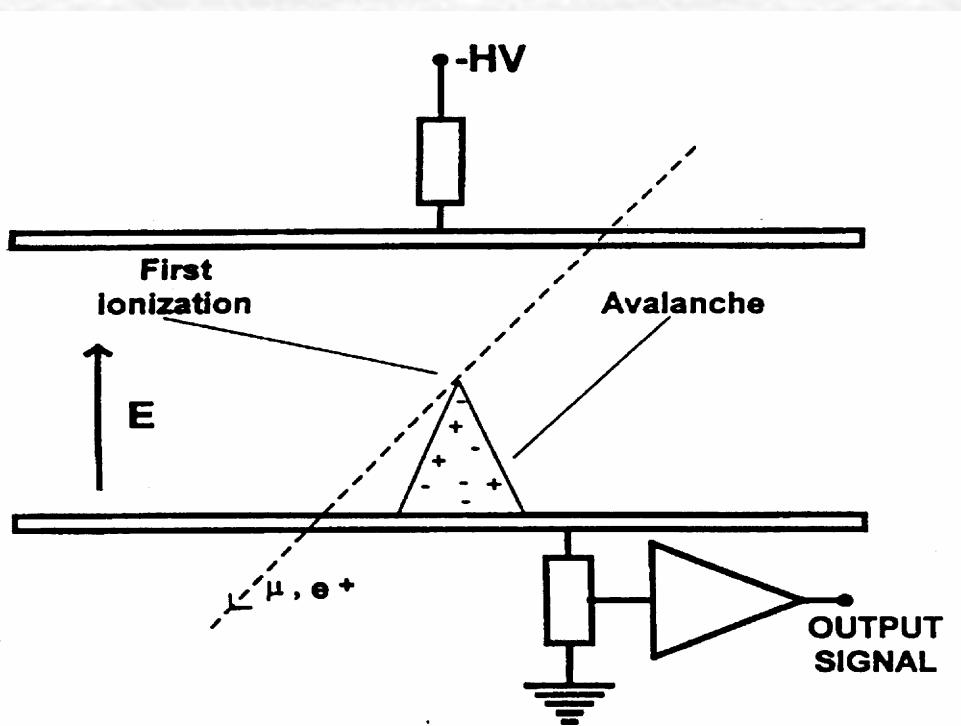


Figure 11: The Plane Parallel Chamber.

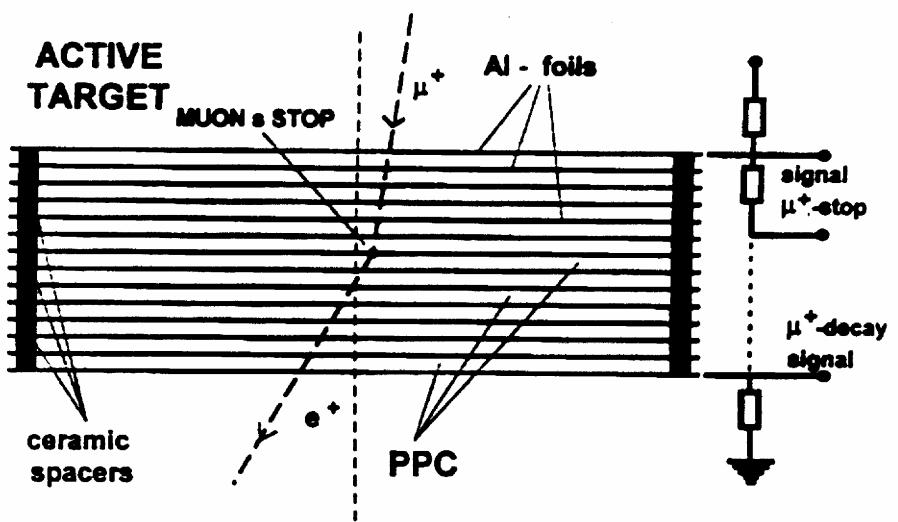
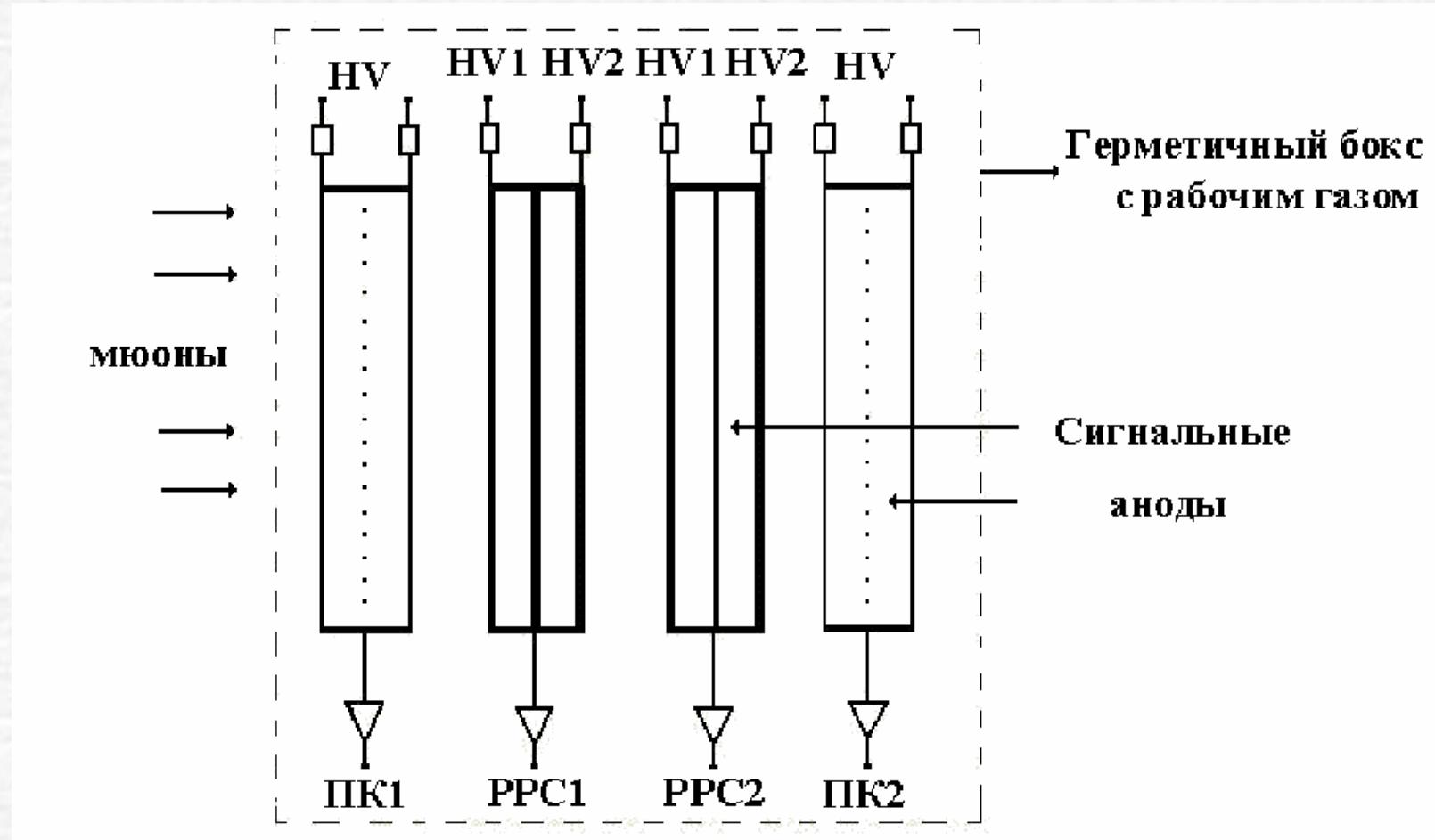
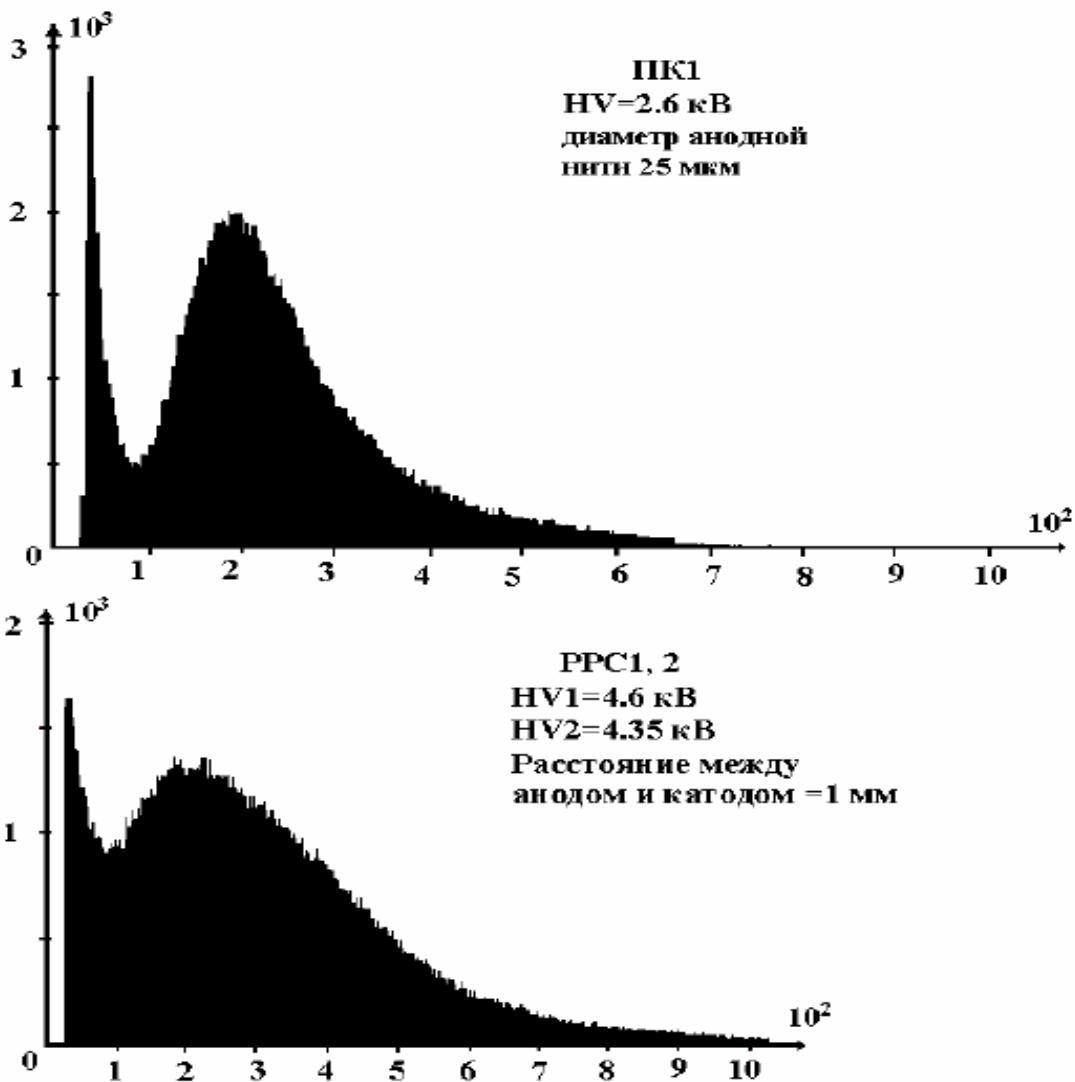
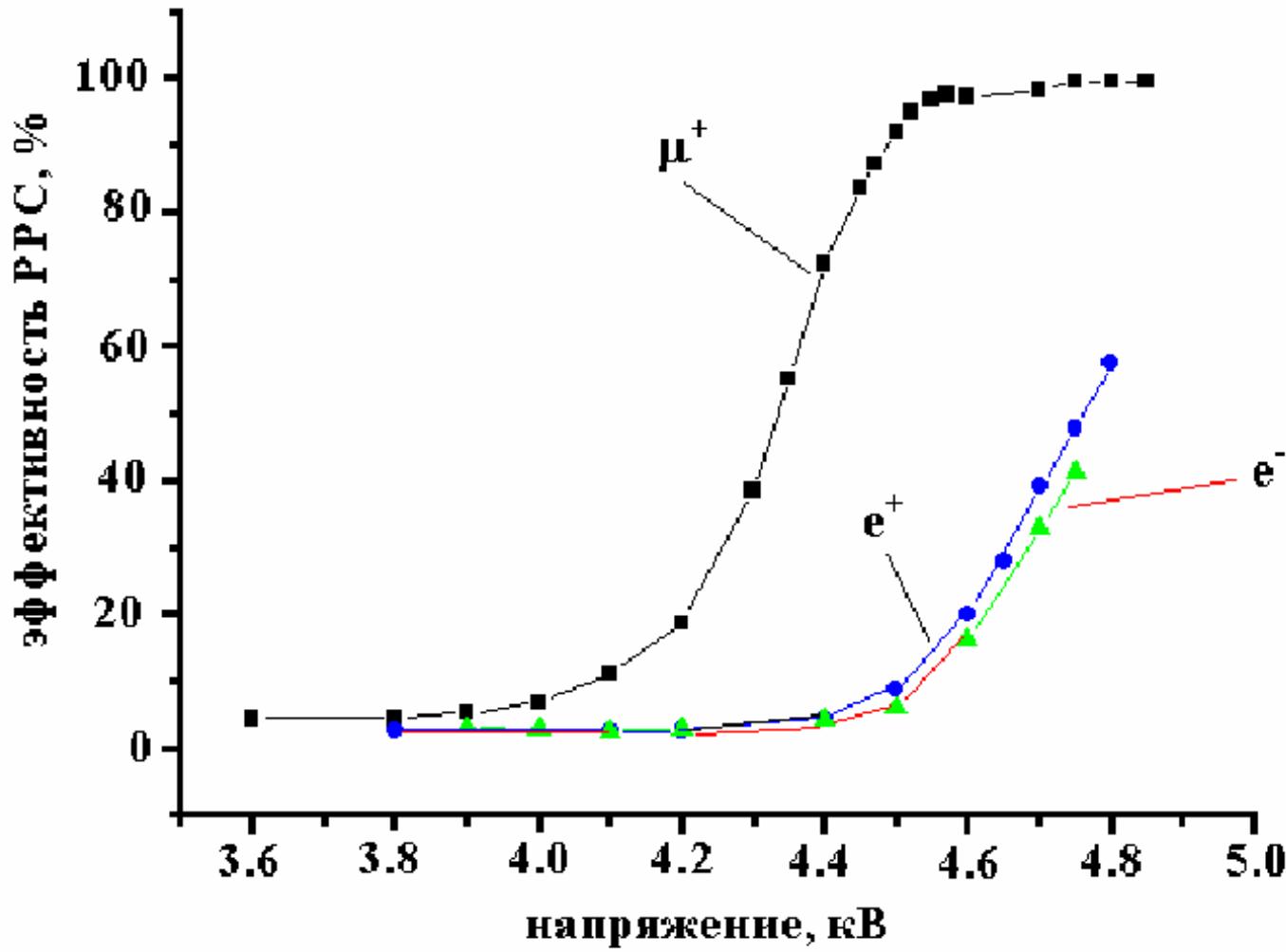
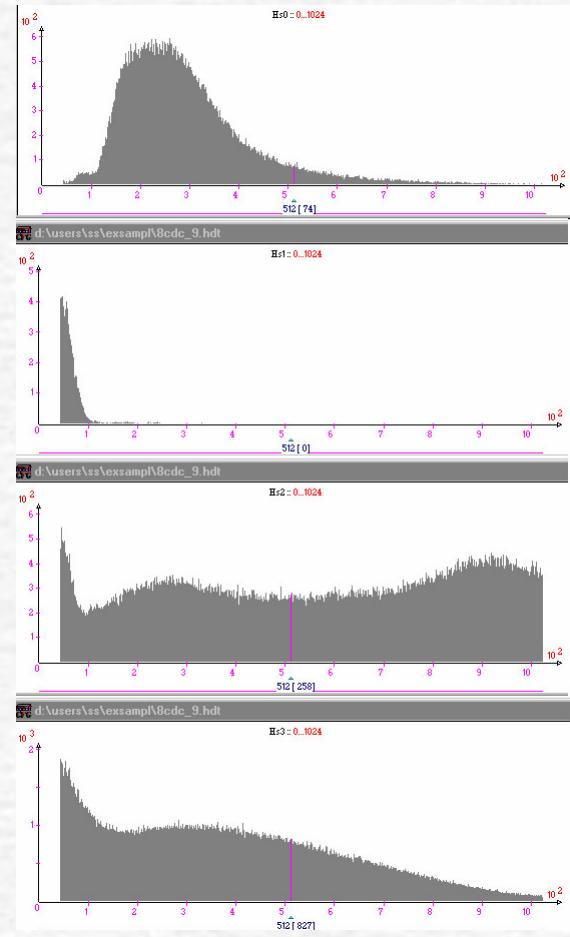
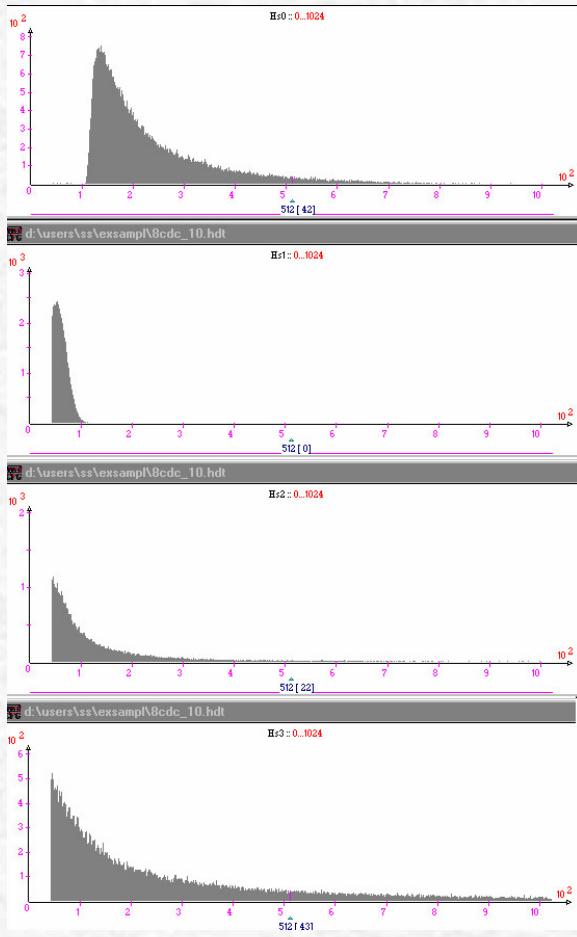


Figure 12: The Multi PPC structure as an Active target.









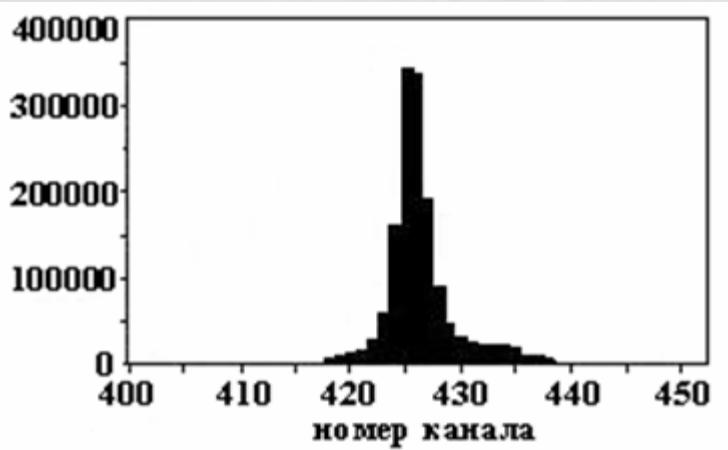


Рис. 5. Временное разрешение PPC газовым зазором 1мм (в одном канале гистограммы 0,625 нс).

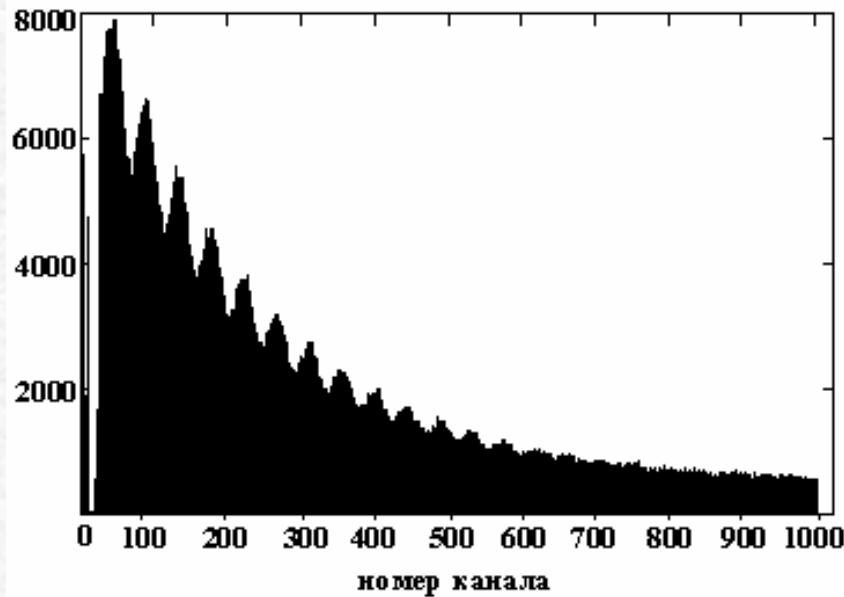
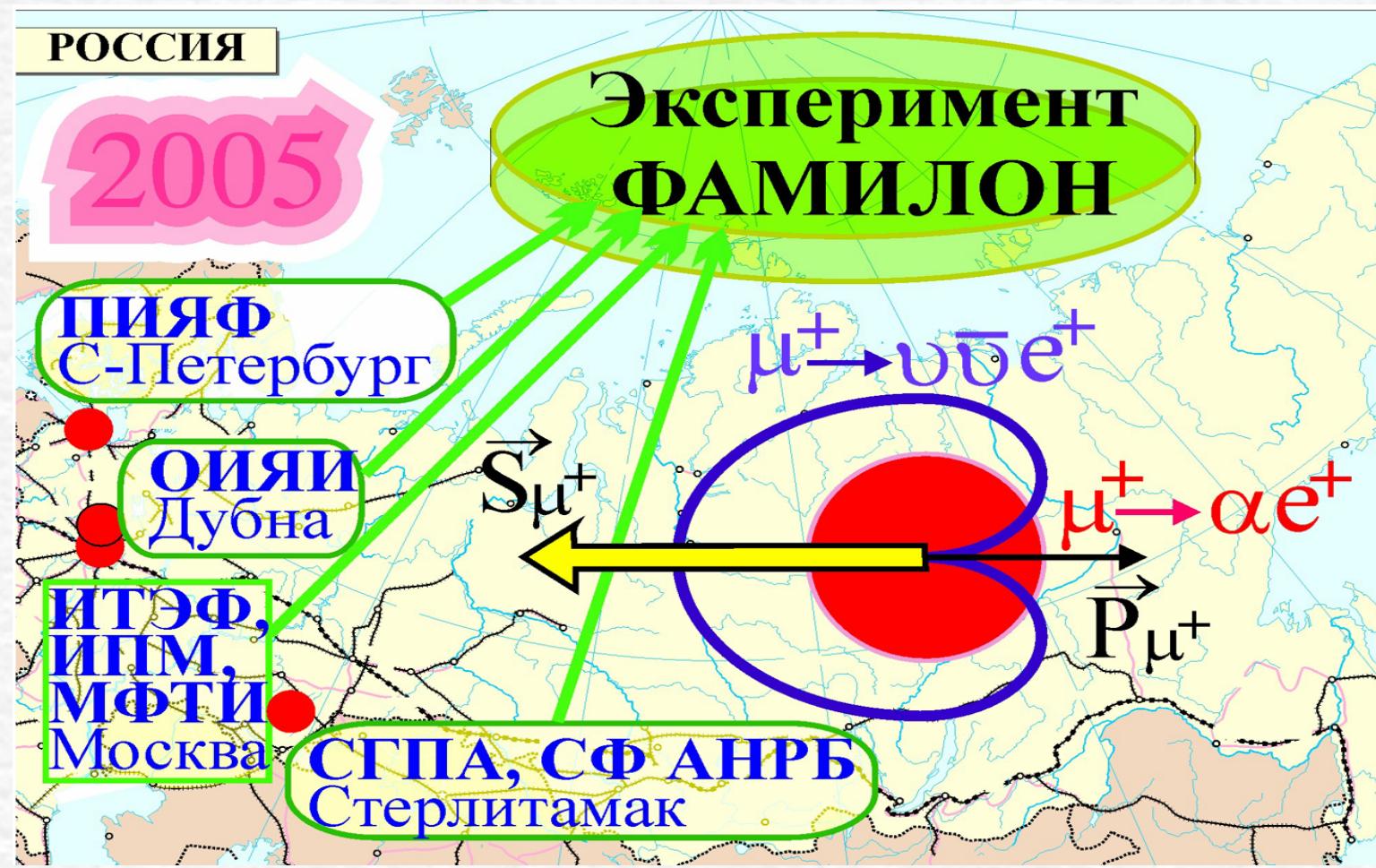


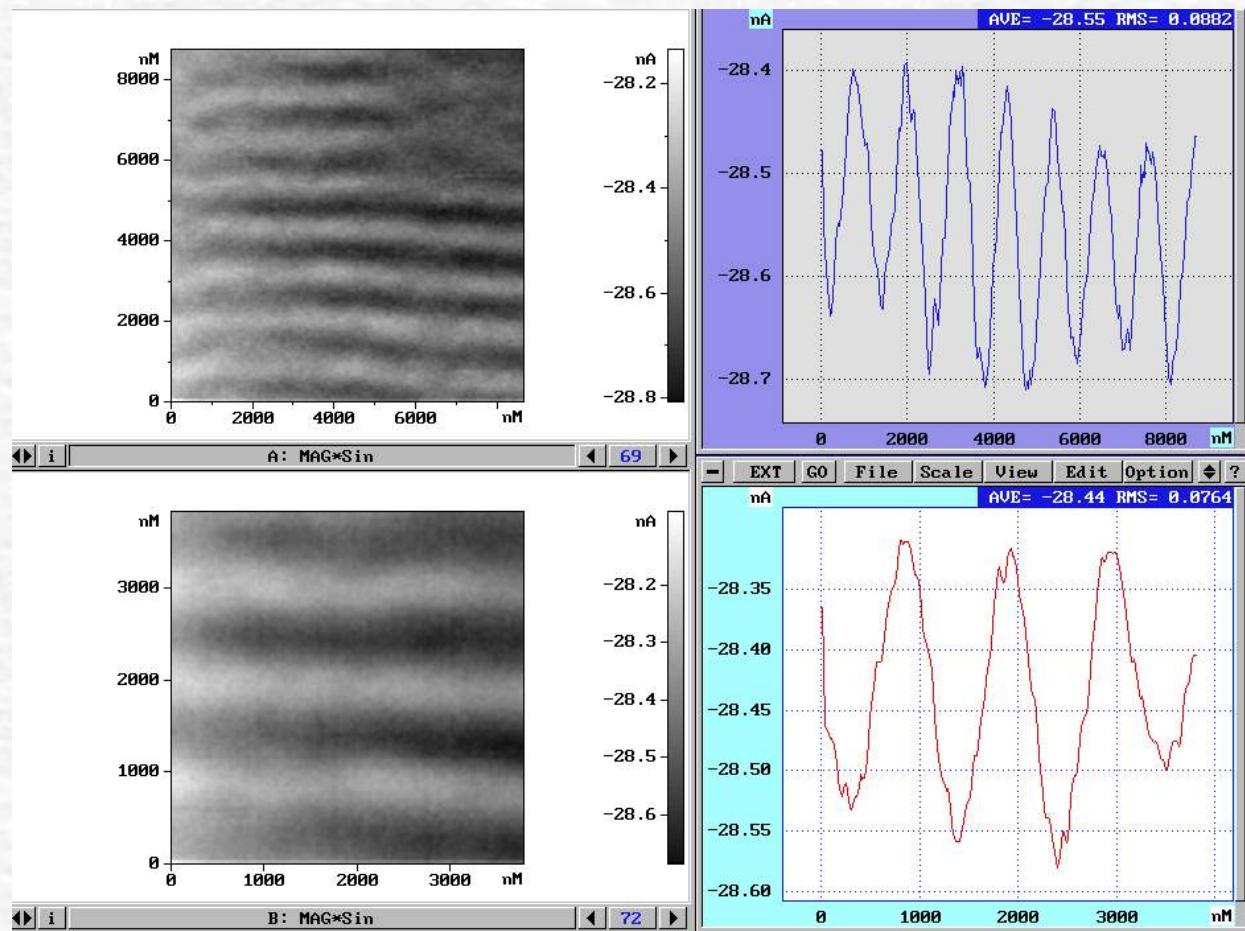
Рис. 6. SR - спектр.

Project FAMILON II

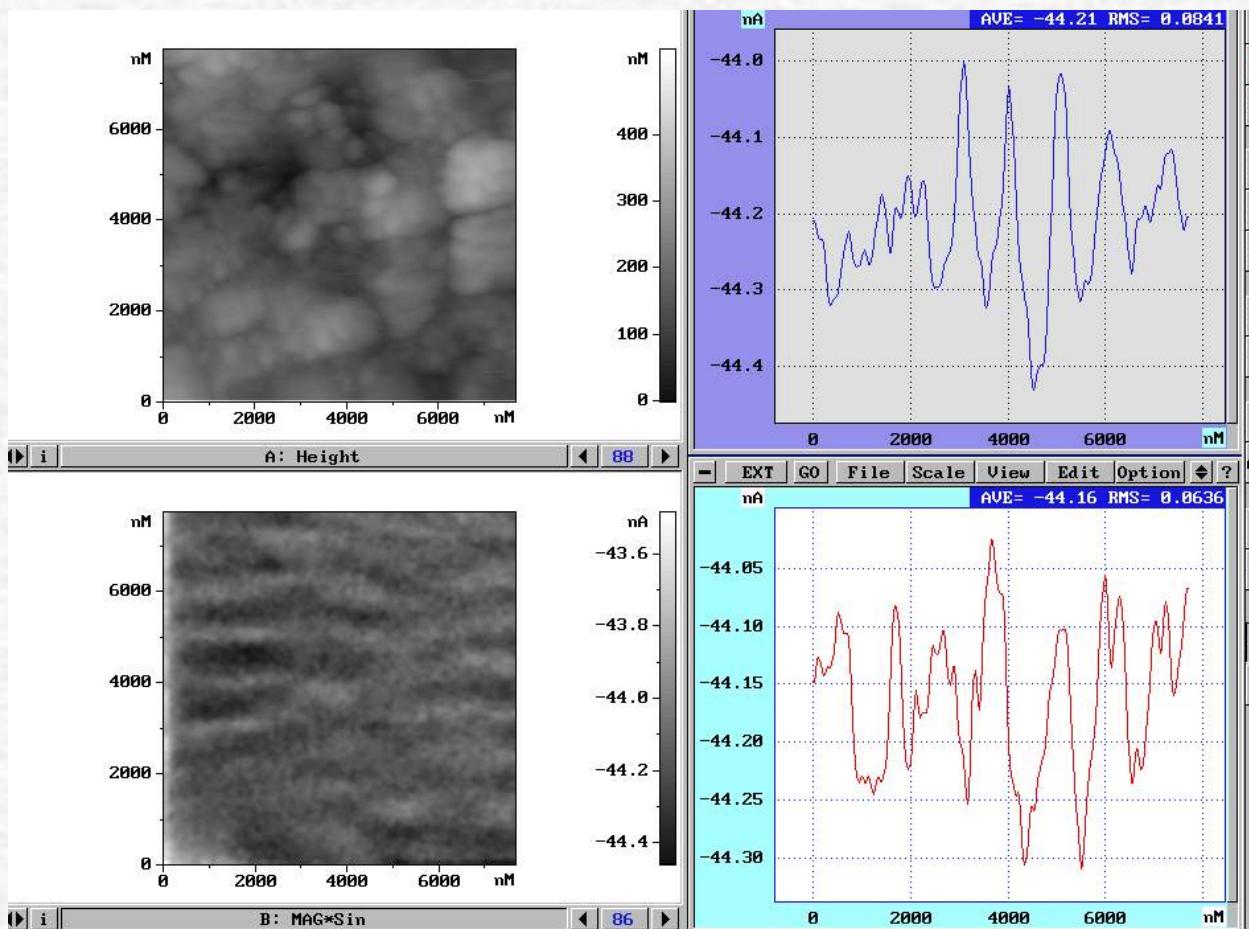
In order to improve of the TRIUMF experiment and to get $R_\alpha \leq 3 \cdot 10^{-8}$, it is necessary to have the energy resolution $\Delta\epsilon/\epsilon \sim 10^{-4}$, the time measurement accuracy of 250 ps, the solid angle $\Omega \sim 1.2$ sr, and the rate of muon stops of 2.106 s^{-1} . It takes approximately 1000 hours of beam time on the 99% polarized “surface” muon beam.

To realize it, we propose to create the μ SR-spectrometer using the Time Projection Chamber to measure the momentum of a positron and a set of the Plane Parallel chambers as an active target to obtain the μ SR-spectrum.

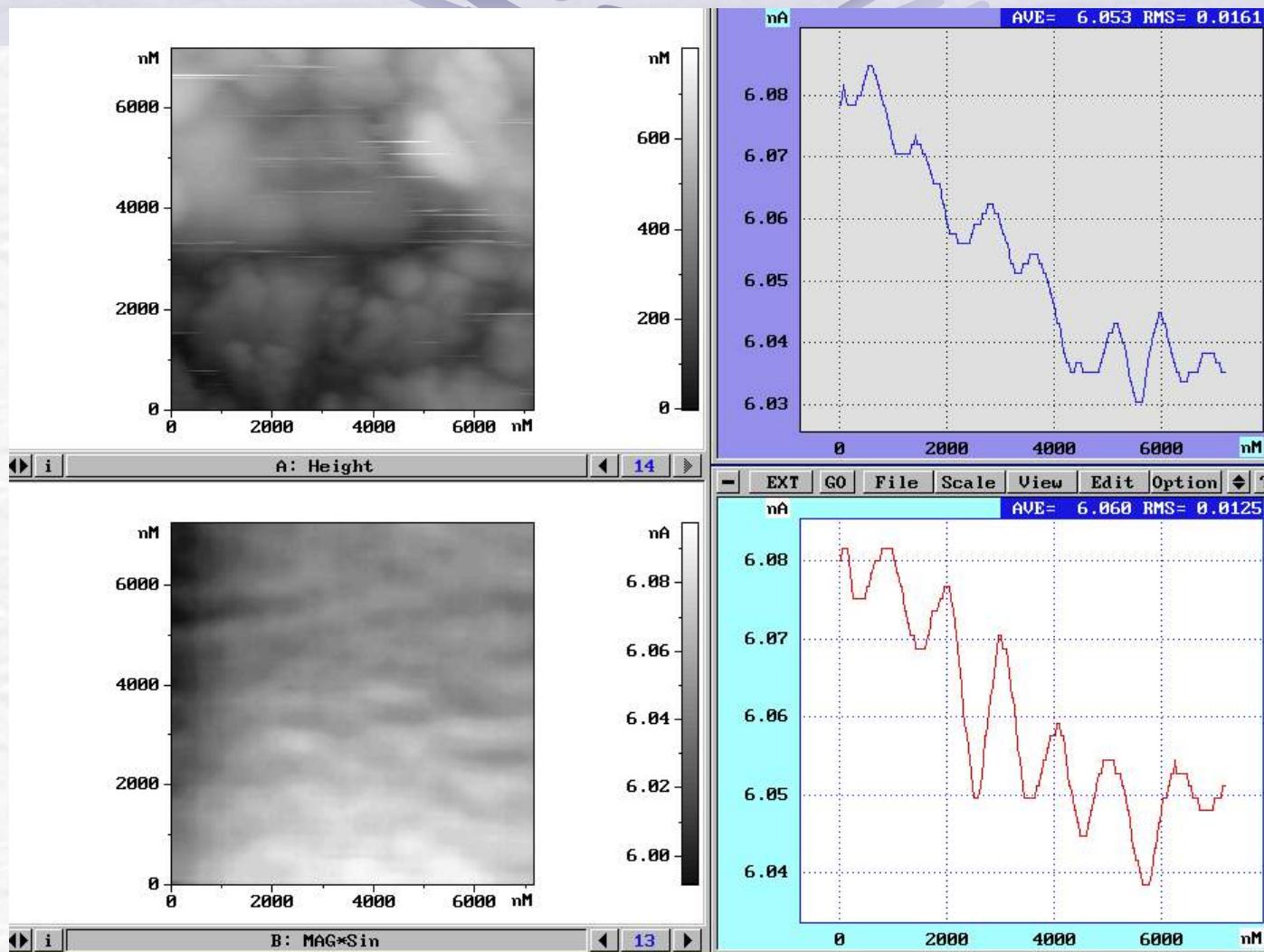




Фазовые контрасты МСМ режима поверхности исходной трансформаторной стали. Профилограммы вдоль оси Y при X = 4 мкм и X = 2 мкм соответствующих сканов



Топография и фазовый контраст МСМ режима поверхности намагниченной трансформаторной стали
Профилограммы фазового контраста выполнены вдоль оси Y при X = 2 мкм (верхняя) и X = 4 мкм (нижняя)



Топография и фазовый контраст МСМ режима поверхности отожжённой трансформаторной стали.
Профилограммы фазового контраста выполнены вдоль оси Y при X = 2 мкм (верхняя) и
X = 6,5 мкм (нижняя)

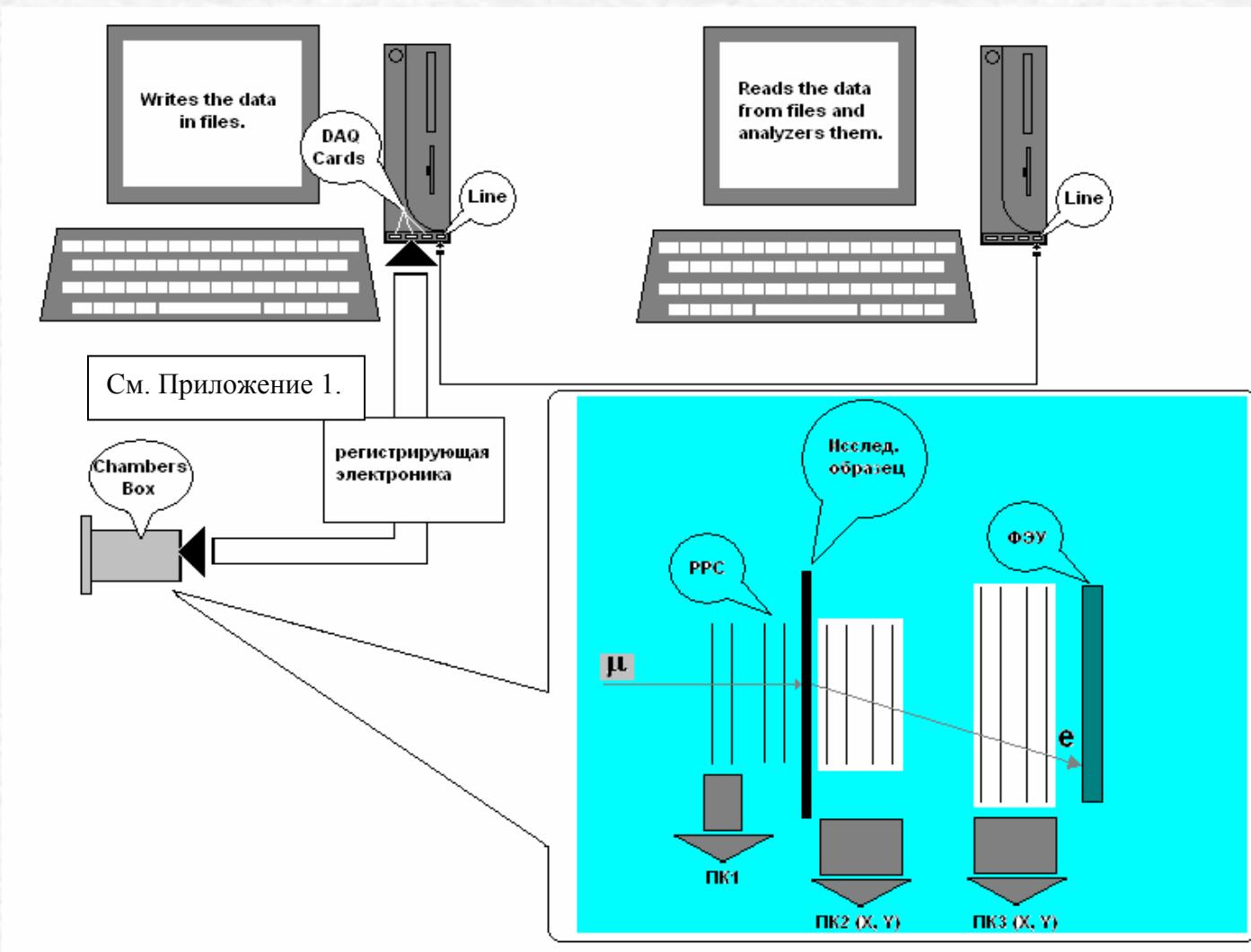


Рис.1. Схема постановки эксперимента.



СЦ- сцинтиллятор;

ПК1-ПК3 – пропорциональные камеры;

PPC- плоскопараллельная камера;

ФЭУ1-ФЭУ2- фотоэлектронные умножители;

ПУ- предусилитель;

4ФК- формирователь с компенсацией амплитудного влияния;

Ф- формирователь;

Д- дискриминатор;

ПВК- преобразователь время-код.

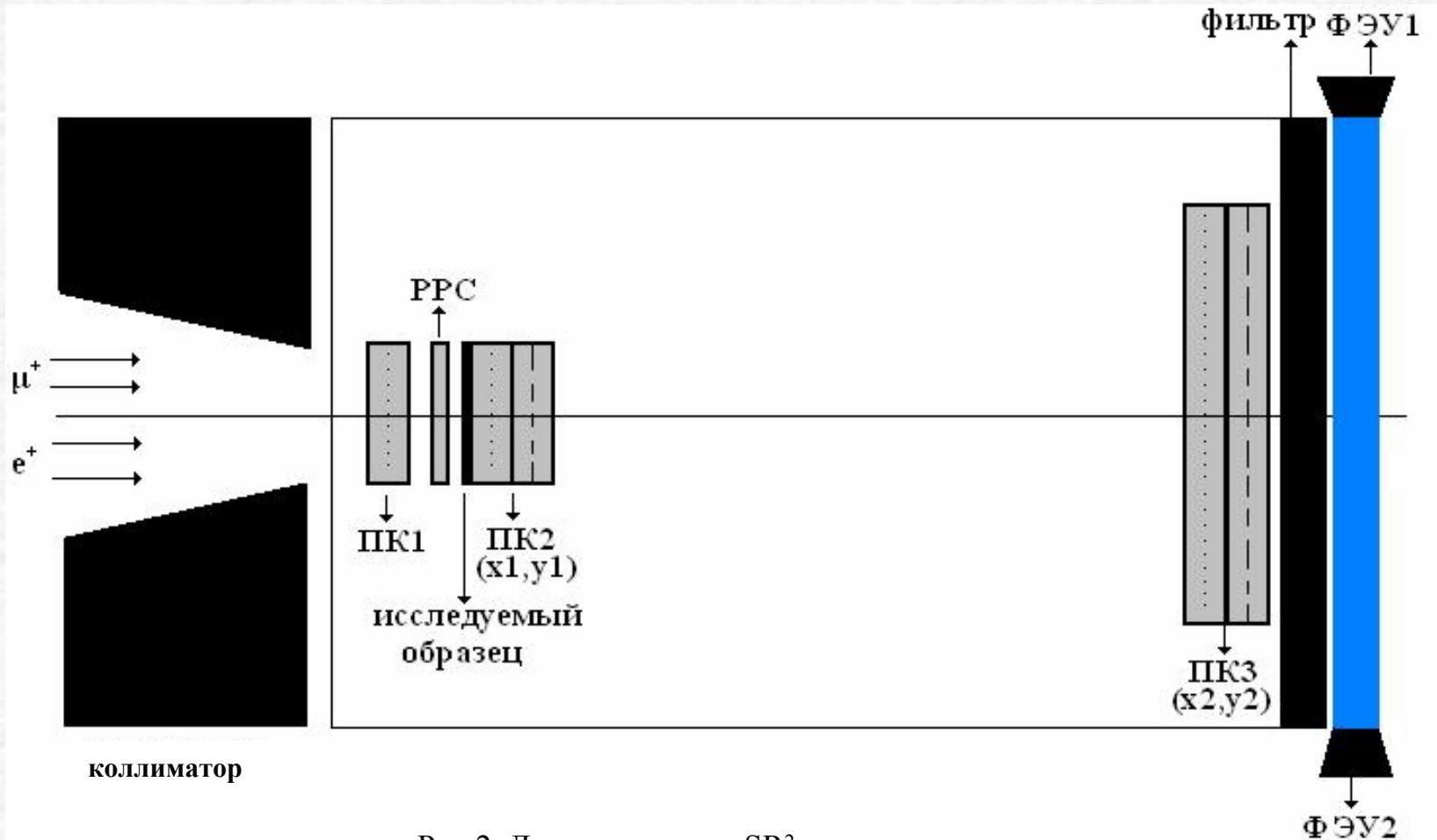


Рис.2. Детектор для muSR²-эксперимента.

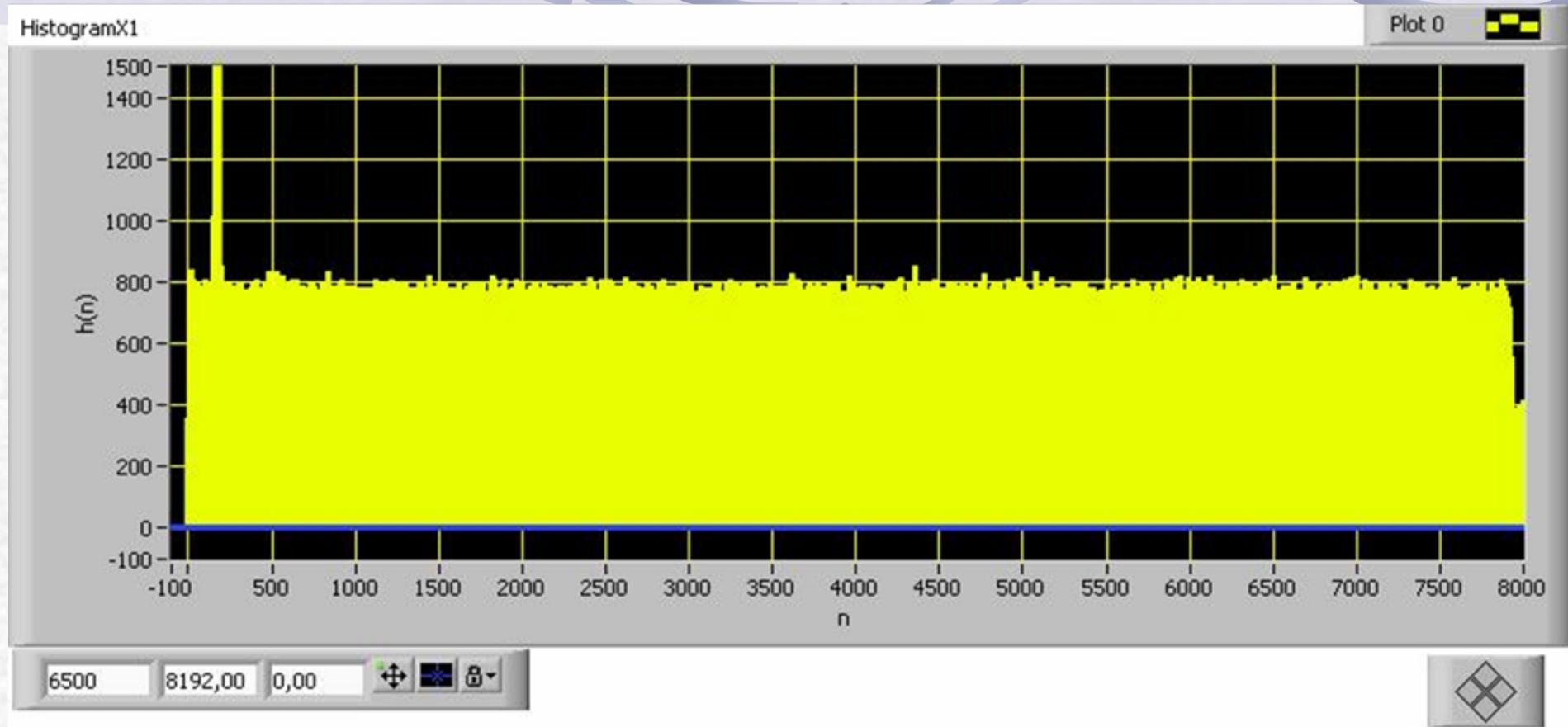


Рис. 8. Работа TDC (то же самое, что и рис. 7).

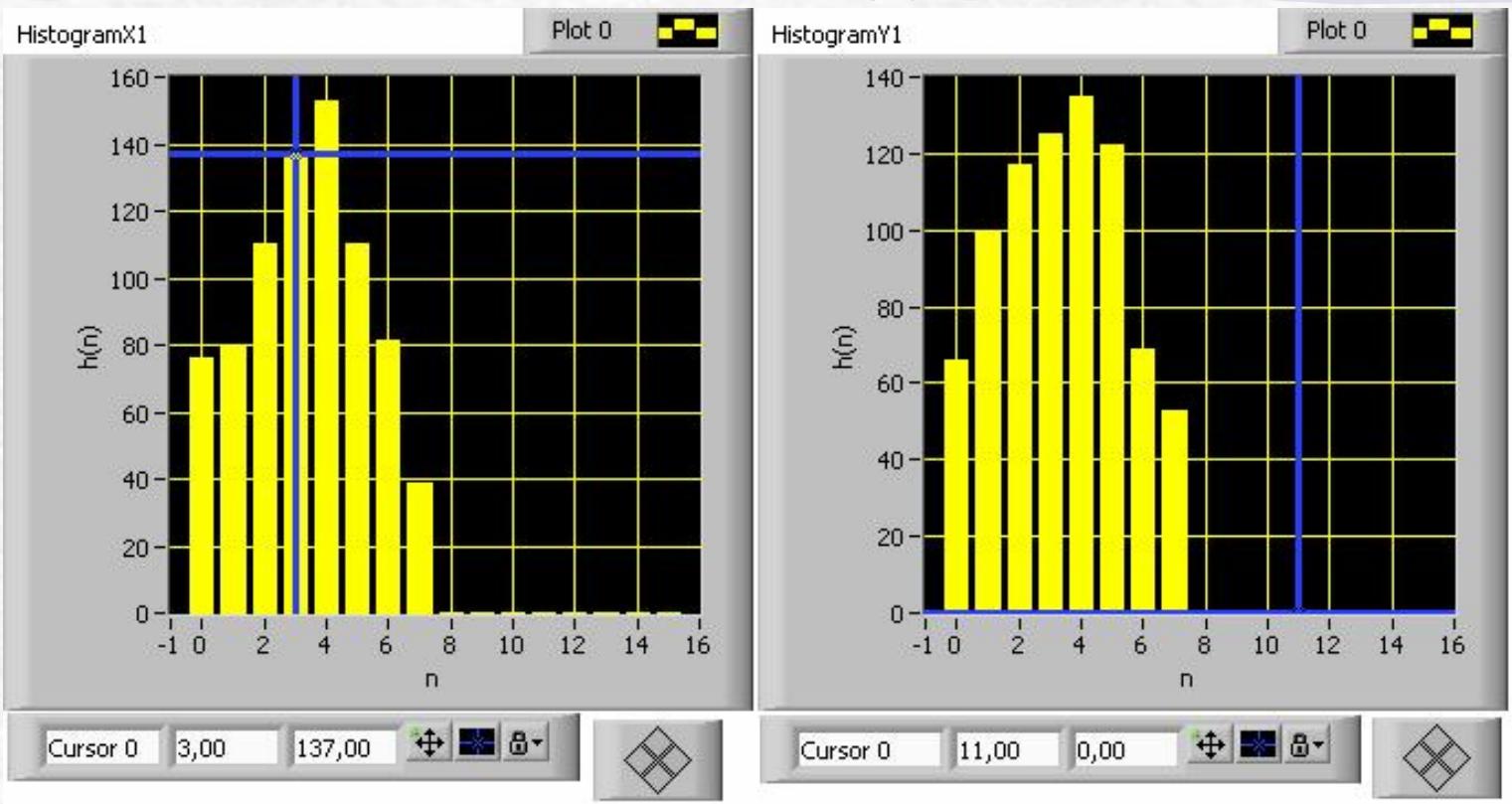


Рис. 10. Координатная система ПК2 (Х1, Y1).

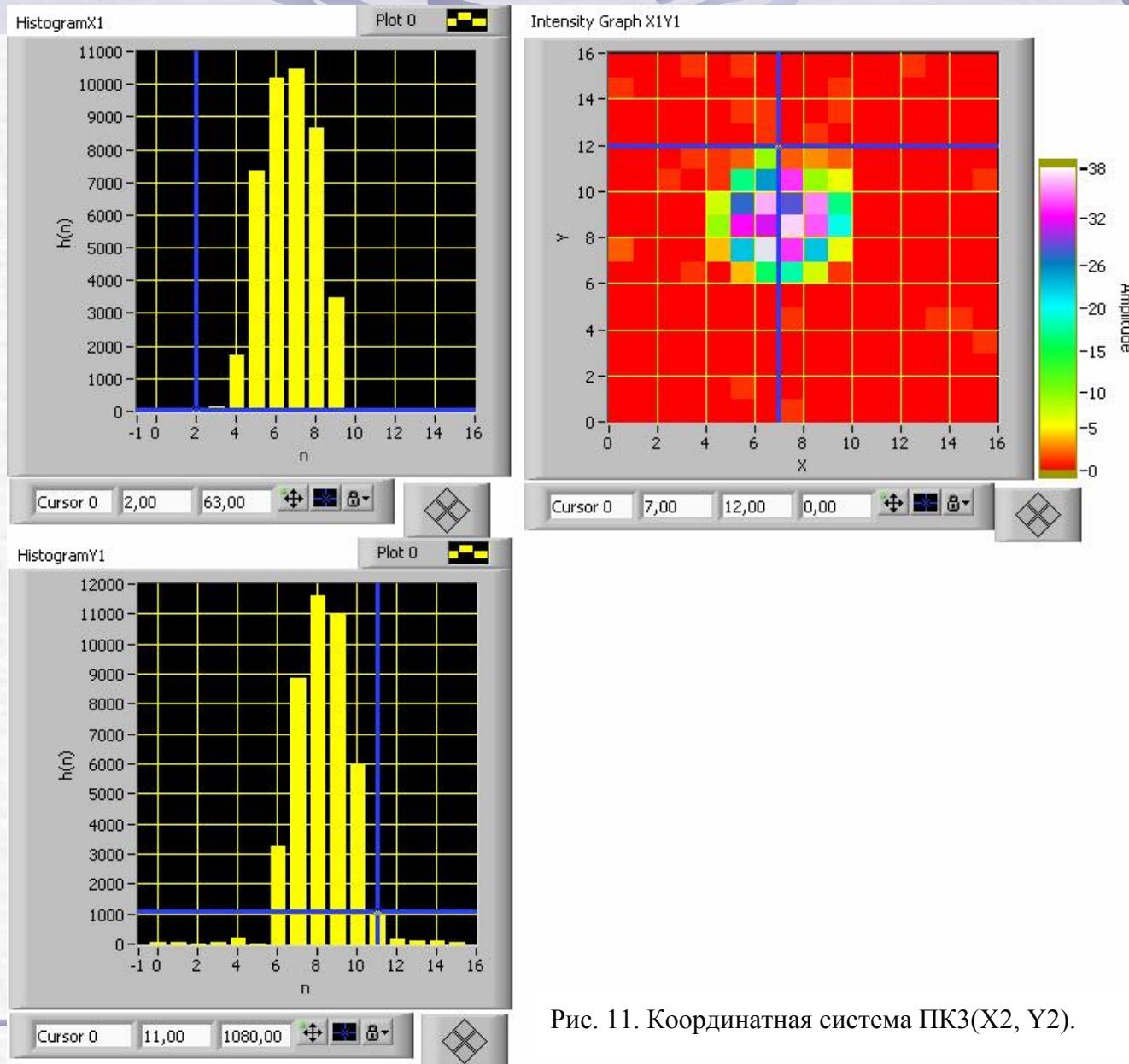


Рис. 11. Координатная система ПК3(X2, Y2).

