
HERMES Experiment in 2012 (DESY)

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- Main Activities of HERMES in 2012
- Inclusive Vector-Meson Production in Deep-Inelastic Scattering
- Polarization of Lambda and Antilambda Hyperons in HERMES Experiment
- Azimuthal Dependence of Double-Spin Asymmetry in SIDIS
- Summary

Main Activities of HERMES in 2012

- $E_e = 27.6$ GeV, $S_e \approx \pm 0.5$, $S_T \approx \pm 0.9$, $L=1505$ pb⁻¹. End of data taking 2007.
- HERMES activities in data treatment:
 - publication results on inclusive structure functions,
 - study of quark and gluon helicity distributions,
 - asymmetries in deep-virtual Compton scattering,
 - transverse spin effects,
 - charged hadron ratios in quasi-real photoproduction,
 - systematic study of events for pentaquark θ^+ candidates,
 - azimuthal dependence of cross section of semi-inclusive hadron production (P.Kravchenko),
 - hyperon polarization in deep-inelastic scattering (DIS) and photoproduction (S.Belostotski, Yu.Naryshkin, D.Veretennikov),
 - exclusive vector-meson production in DIS (D.Veretennikov: ϕ -meson SDMEs, S.Manaenkov, D.Veretennikov: amplitude analysis of ρ production).
- Publication papers with information from recoil detector.

Inclusive Vector-Meson Production in Deep-Inelastic Scattering

- Vector-Meson Production in DIS and Deep-Virtual Compton Scattering (DVCS) are two processes used to extract Generalized Parton Distributions (GPDs):

$$\gamma^* + N \rightarrow V + N', \quad \gamma^* + N \rightarrow \gamma + N'.$$

Ji's sum rule permits to establish angular momentum contribution to nucleon spin using GPDs.

- Three subprocesses in ρ^0 -meson electroproduction in DIS

i) $e \rightarrow e' + \gamma^*$, ii) $\gamma^* + N \rightarrow \rho^0 + N'$, iii) $\rho^0 \rightarrow \pi^+ + \pi^-$

i) Spin-density matrix of γ^* is known from QED.

iii) Angular momentum conservation: $|\rho^0; 1M\rangle \rightarrow |\pi^+\pi^-; 1M\rangle \rightarrow Y_{1M}(\theta, \varphi)$.

ii) Phenomenological helicity amplitudes, $F_{\lambda_V \lambda_2 \lambda_\gamma \lambda_1}$ of reaction $\gamma^* + N \rightarrow \rho^0 + N'$

λ_1 and λ_2 are helicities of initial (N) and final (N') nucleon in CM system.

λ_γ is virtual photon helicity, $\lambda_\gamma = 0$ scalar (longitudinal) polarization,

$\lambda_\gamma = \pm 1$ transverse polarization.

$\lambda_V = 0$ longitudinal polarization of vector meson, $\lambda_V = \pm 1$ transverse polarization.

Inclusive Vector-Meson Production in Deep-Inelastic Scattering

- Spin-Density Matrix Elements (SDMEs) in Diehl's Formalism: u , l , s , n

$$u_{\lambda_V \lambda_V' \lambda_\gamma \lambda_\gamma'} = \frac{1}{N} \sum_{\lambda_2 = \pm \frac{1}{2}} \left[F_{\lambda_V \lambda_2 \lambda_\gamma + \frac{1}{2}} (F_{\lambda_V' \lambda_2 \lambda_\gamma' + \frac{1}{2}})^* + F_{\lambda_V \lambda_2 \lambda_\gamma - \frac{1}{2}} (F_{\lambda_V' \lambda_2 \lambda_\gamma' - \frac{1}{2}})^* \right].$$

$$N = \sum_{\lambda_V, \lambda_1, \lambda_2} \left[|F_{\lambda_V \lambda_2 1 \lambda_1}|^2 + \epsilon |F_{\lambda_V \lambda_2 0 \lambda_1}|^2 \right] \text{ is normalization factor.}$$

$$\text{Symbolic } u = \frac{1}{N} \sum_{\lambda_2 = \pm \frac{1}{2}} \left[F_{+\frac{1}{2}} F_{+\frac{1}{2}}^* + F_{-\frac{1}{2}} F_{-\frac{1}{2}}^* \right],$$

$$l = \frac{1}{N} \sum_{\lambda_2 = \pm \frac{1}{2}} \left[F_{+\frac{1}{2}} F_{+\frac{1}{2}}^* - F_{-\frac{1}{2}} F_{-\frac{1}{2}}^* \right],$$

$$s = \frac{1}{N} \sum_{\lambda_2 = \pm \frac{1}{2}} \left[F_{\frac{1}{2}} F_{-\frac{1}{2}}^* + F_{-\frac{1}{2}} F_{\frac{1}{2}}^* \right],$$

$$n = \frac{1}{N} \sum_{\lambda_2 = \pm \frac{1}{2}} \left[F_{+\frac{1}{2}} F_{-\frac{1}{2}}^* - F_{-\frac{1}{2}} F_{+\frac{1}{2}}^* \right].$$

Total number of SDMEs is equal to 71.

- Spin-Density Matrix Element Method

SDMEs are Fourier coefficients in angular distribution of charged pions from decay $\rho^0 \rightarrow \pi^+ + \pi^-$.

SDMEs are considered as independent quantities and are free parameters in fit to the angular distribution.

Inclusive Vector-Meson Production in Deep-Inelastic Scattering

- Amplitude Method

Ratios of helicity amplitudes are **free parameters** in fit to the angular distribution and extracted **directly** from experimental angular distribution of final pions.

Number of independent complex ratios is 17 (34 real functions).

SDMEs can be expressed through amplitude ratios.

SDMEs are **not independent** since $71 > 34$.

Amplitude method takes into account correlations between SDMEs.

Precision of Amplitude method is better than that of SDME method.

- Decomposition of helicity amplitudes

$$F_{\lambda_V \lambda_2 \lambda_\gamma \lambda_1} = T_{\lambda_V \lambda_2 \lambda_\gamma \lambda_1} + U_{\lambda_V \lambda_2 \lambda_\gamma \lambda_1}. \text{ Symbolic: } F = T + U.$$

Natural Parity Exchange (NPE) amplitudes, T (10) are due to exchange of reggeons with $J^P = 0^+, 1^-, 2^+, \dots$ (Pomeron, ω , ρ , f_2 , ... reggeons)

$$T = T_{\lambda_2=\lambda_1}^{(1)} + T_{\lambda_2 \neq \lambda_1}^{(2)}, \quad T^{(1)} \leftrightarrow T_{\frac{1}{2}\frac{1}{2}} = T_{-\frac{1}{2}-\frac{1}{2}}, \quad T^{(2)} \leftrightarrow T_{\frac{1}{2}-\frac{1}{2}} = -T_{-\frac{1}{2}\frac{1}{2}}.$$

Unnatural Parity Exchange (UPE) amplitudes, U (8) are due to exchange of reggeons with $J^P = 0^-, 1^+, 2^-, \dots$ (π , a_1 , ... reggeons)

$$U = U_{\lambda_2=\lambda_1}^{(1)} + U_{\lambda_2=-\lambda_1}^{(2)}, \quad U^{(1)} \leftrightarrow U_{\frac{1}{2}\frac{1}{2}} = -U_{-\frac{1}{2}-\frac{1}{2}}, \quad U^{(2)} \leftrightarrow U_{\frac{1}{2}-\frac{1}{2}} = U_{-\frac{1}{2}\frac{1}{2}}.$$

- Amplitude Ratios $\eta_k \equiv T_{\lambda_V \lambda_\gamma}^{(1)}/T_{00}^{(1)}$, $T_{\lambda_V \lambda_\gamma}^{(2)}/T_{00}^{(1)}$, $U_{\lambda_V \lambda_\gamma}^{(1)}/T_{00}^{(1)}$, $U_{\lambda_V \lambda_\gamma}^{(2)}/T_{00}^{(1)}$

Sensitivity of Angular Distribution to Small Amplitudes

- Linear Contributions of Small Amplitudes

Main contribution to angular distribution of π^+ and π^- : $u \approx T^{(1)}T^{*(1)}$.

Extracted by HERMES, published in Eur. Phys. J. C71 (2011) 1609.

Linear contribution of small $U^{(2)}$: $s \approx T^{(1)}U^{*(2)} + U^{(2)}T^{*(1)}$,

Linear contribution of small $T^{(2)}$: $n \approx T^{(1)}T^{*(2)} - T^{(2)}T^{*(1)}$,

Linear contribution of small $U^{(1)}$: $l \approx T^{(1)}U^{*(1)} + U^{(1)}T^{*(1)}$ cannot be studied with transversely polarized target.

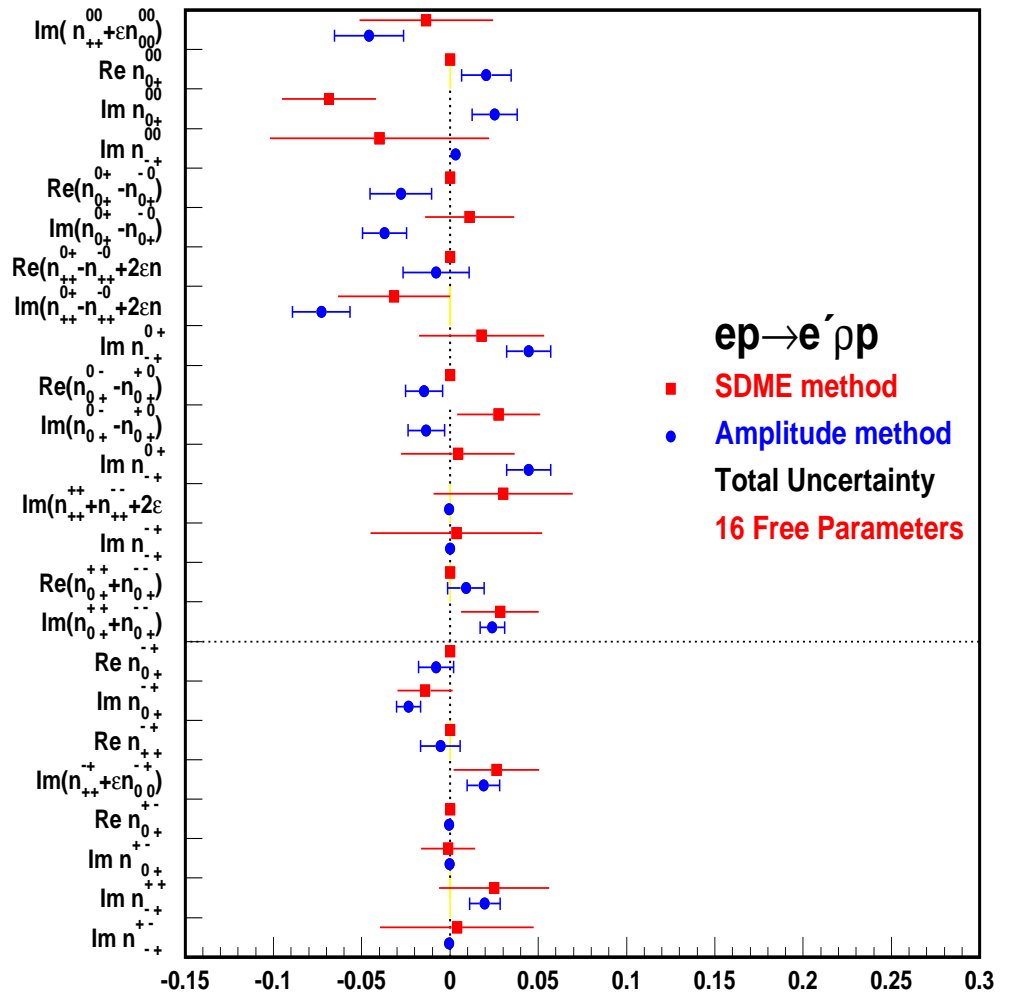
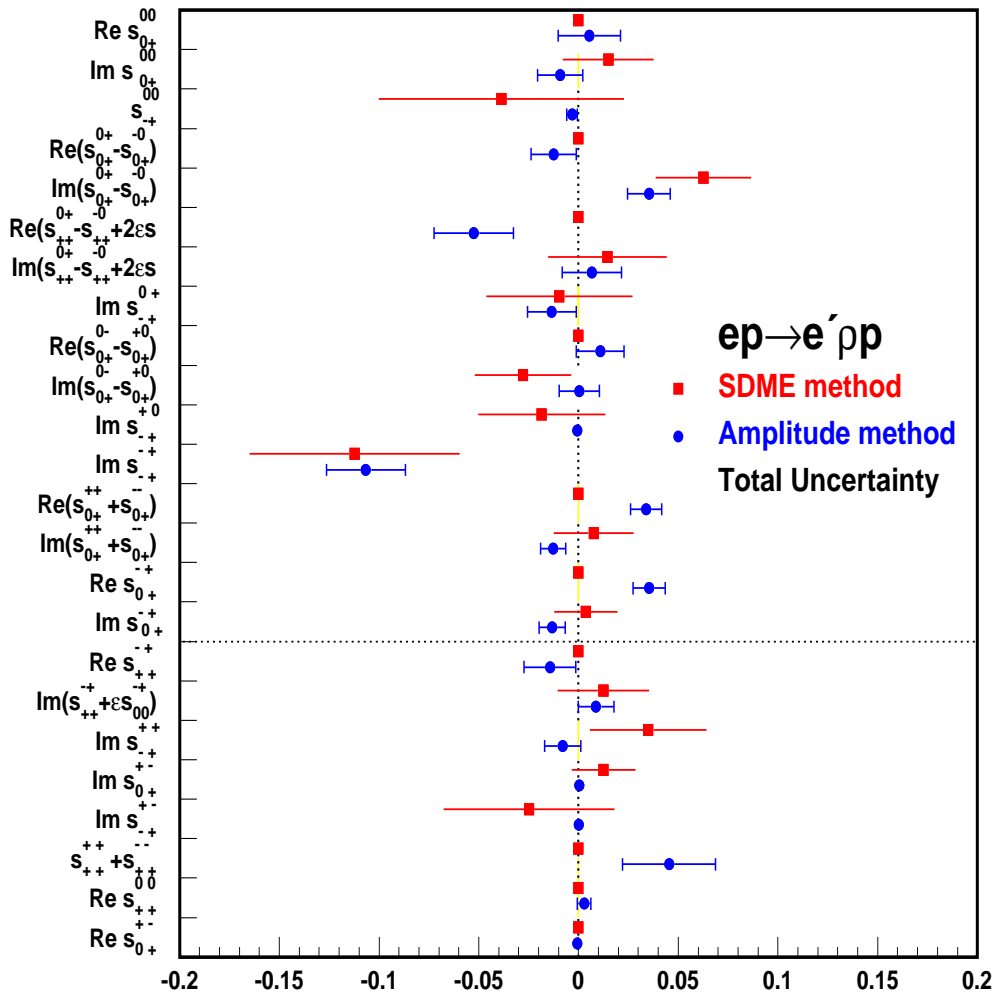
- Important NPE amplitudes:

NPE amplitudes: $T_{00}^{(1)}, T_{11}^{(1)}, T_{10}^{(1)}, T_{1-1}^{(1)}, T_{01}^{(1)}$; $T_{10}^{(2)}, T_{1-1}^{(2)}, T_{01}^{(2)}$

UPE amplitudes: $U_{11}^{(2)}, U_{10}^{(2)}, U_{1-1}^{(2)}, U_{01}^{(2)}$;

Additional amplitudes(?): $U_{11}^{(1)}, T_{11}^{(2)}, T_{00}^{(2)}$

Comparison of SDME and Amplitude Methods for $s_{\mu\mu'}^{\lambda\lambda'}$ and $n_{\mu\mu'}^{\lambda\lambda'}$



Polarization of Lambda and Antilambda Hyperons in HERMES Experiment

- "Spin Crisis" for Λ Hyperon

$$q(x, Q^2) = q(x, Q^2) \uparrow\uparrow + q(x, Q^2) \downarrow\uparrow, \quad \Delta q(x, Q^2) = q(x, Q^2) \uparrow\uparrow - q(x, Q^2) \downarrow\uparrow,$$
$$\Delta q \equiv \int_0^1 \Delta q(x, Q^2) dx, \quad Q^2 = -(k - k')^2 \equiv -q^2, \quad x = \frac{Q^2}{2(P_N \cdot q)}.$$

$$\Sigma = \Delta u_P + \Delta d_P + \Delta s_P = 0.33 \pm 0.03 \text{ for proton,}$$

$$F = 0.464 \pm 0.008 \text{ and } D = 0.806 \pm 0.008 \text{ } \beta\text{-decay constants for baryon octet,}$$

$$\Rightarrow \Delta u_\Lambda = \Delta d_\Lambda = -0.16 \pm 0.01, \quad \Delta s_\Lambda = 0.57 \pm 0.01 \text{ (R.L.Jaffe)}$$

$$\text{Lattice-QCD } \Delta u_\Lambda = \Delta d_\Lambda = -0.02 \pm 0.04, \quad \Delta s_\Lambda = 0.68 \pm 0.04$$

- Fragmentation Function

$$\text{Massless particles } F_q^\Lambda(z, Q^2) = F_{q\uparrow}^{\Lambda\uparrow}(z, Q^2) + F_{q\uparrow}^{\Lambda\downarrow}(z, Q^2),$$

$$\Delta F_q^\Lambda(z, Q^2) = F_{q\uparrow}^{\Lambda\uparrow}(z, Q^2) - F_{q\uparrow}^{\Lambda\downarrow}(z, Q^2),$$

$$z = E_\Lambda/E_q, \quad Q^2 = -q^2 \text{ photon virtuality.}$$

$$D_q^\Lambda(z, Q^2) = \frac{\Delta F_q^\Lambda(z, Q^2)}{F_q^\Lambda(z, Q^2)}, \quad D_q^\Lambda(Q^2) = \frac{\int \Delta F_q^\Lambda(z, Q^2) dz}{\int F_q^\Lambda(z, Q^2) dz}.$$

Complementarity of DIS and e^+e^- annihilation

$$\text{DIS: } u\text{-dominance, } \Delta F_u^\Lambda; \quad e^+e^- \rightarrow Z^0 \rightarrow \Lambda\bar{\Lambda} : \Delta F_s^\Lambda \quad |S_s| \approx 0.98, \quad |S_u| \approx 0.67$$

- Relation between Parton Distributions and Fragmentation Functions

Model estimates (Ashery, Lipkin) for first moments of valence quark distributions

$$D_q^\Lambda(Q^2) = \frac{\int \Delta F_q^\Lambda(z, Q^2) dz}{\int F_q^\Lambda(z, Q^2) dz} \approx \frac{\Delta q_\Lambda(Q^2)}{q_\Lambda(Q^2)}.$$

Polarization of Lambda and Antilambda Hyperons in HERMES Experiment

- **Target and Current Fragmentation**

$x = \frac{1}{2}Q^2/(P_N \cdot q)$, $q = (\nu, 0, 0, \sqrt{\nu^2 + Q^2})$ in nucleon rest (lab.) system.

Target fragmentation $x_F < 0$, $z < 0.2$. Current fragmentation $x_F > 0$, $z > 0.2$ where $x_F = P_z^\Lambda / \max(P_z^\Lambda)$ in CM system, $z = E^\Lambda / E_q = E^\Lambda / \nu$ in lab. system.

- **Spin-Transfer Coefficients $D_{Lj}^\Lambda(z, Q^2)$ for Massive Particle**

All consideration in Cartesian right-handed Λ rest frame.

Hyperon polarization vector, \vec{S}^Λ can be found from $W = \frac{1}{4\pi} \left[1 + \alpha(\vec{S}^\Lambda \cdot \vec{P}_N) / |\vec{P}_N| \right]$,

$\alpha = 0.642 \pm 0.013$ for $\Lambda \rightarrow p + \pi^-$ and -0.642 ± 0.013 for $\bar{\Lambda} \rightarrow \bar{p} + \pi^+$.

$(\vec{S}^\Lambda)_j = D_{Lj}^\Lambda(x, z, Q^2) D(y) S_e$, $j = x, y, z$, $D(y) = \frac{1-(1-y)^2}{1+(1-y)^2}$, $y = \nu / E_e$.

$$D_{Lj}^\Lambda(x, z, Q^2) = \frac{\sum_q \left[D_{Lj}^{q \rightarrow \Lambda}(z, Q^2) F_q^\Lambda(z, Q^2) e_q^2 q(x, Q^2) \right]}{\sum_q \left[F_q^\Lambda(z, Q^2) e_q^2 q(x, Q^2) \right]}.$$

First Lorentz system of frame:

$j \equiv L' = x, y, z$. Z -axis is along virtual photon three-momentum, \vec{q} .

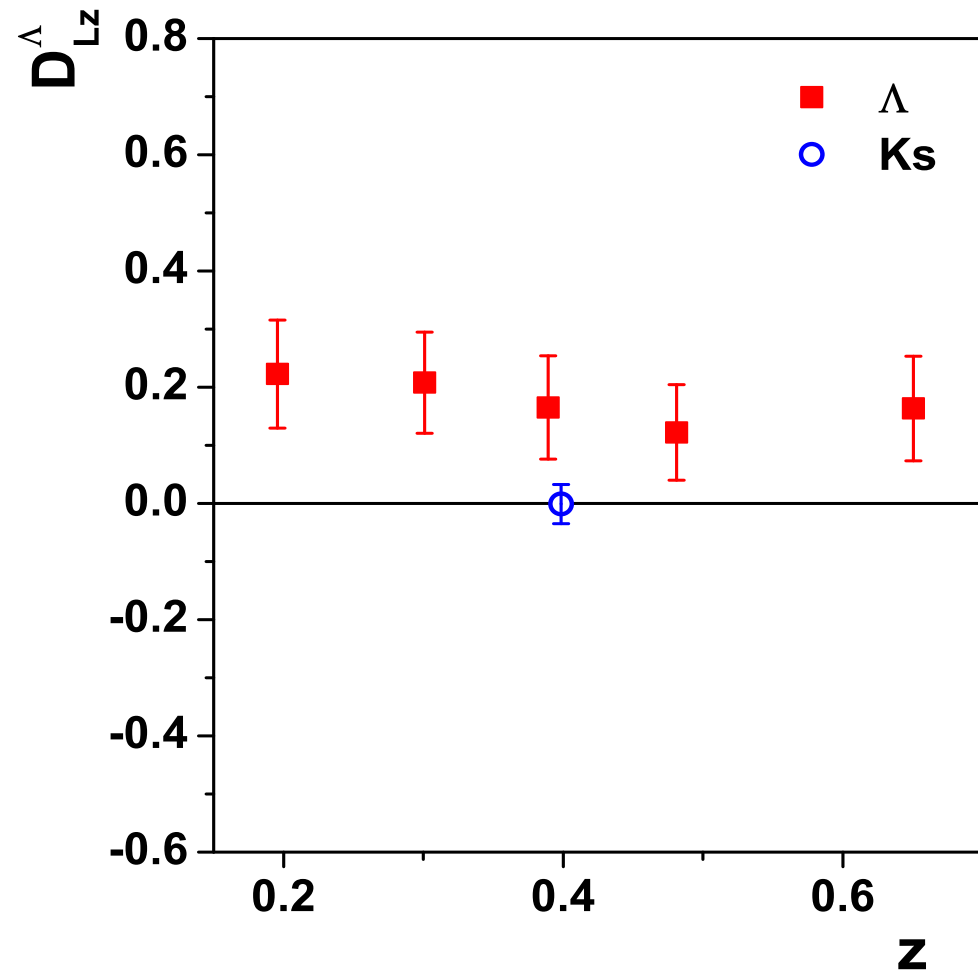
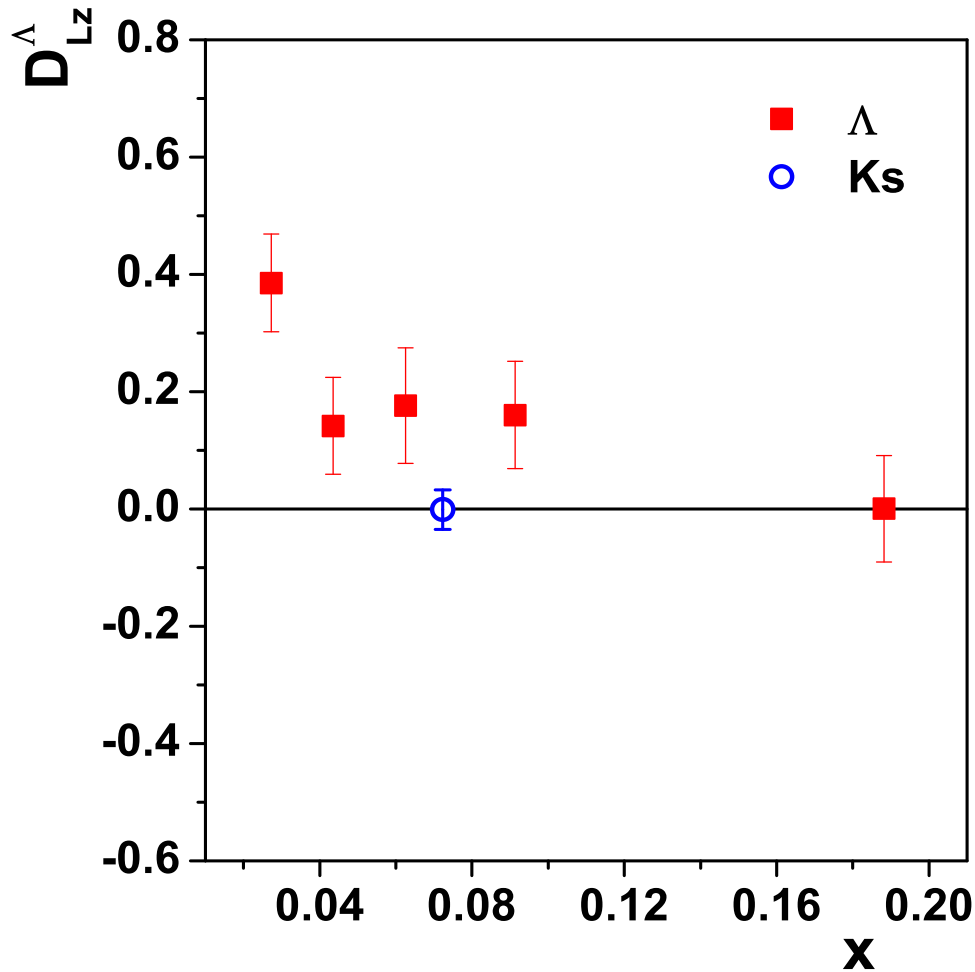
Y -axis is parallel to $\vec{q} \times \vec{P}_\Lambda$ in lab. system. X -axis is orthogonal to Y and Z axes.

Second Lorentz system of frame:

$j \equiv L' = x', y', z'$. Z' -axis is along hyperon three-momentum \vec{P}_Λ in lab. system.

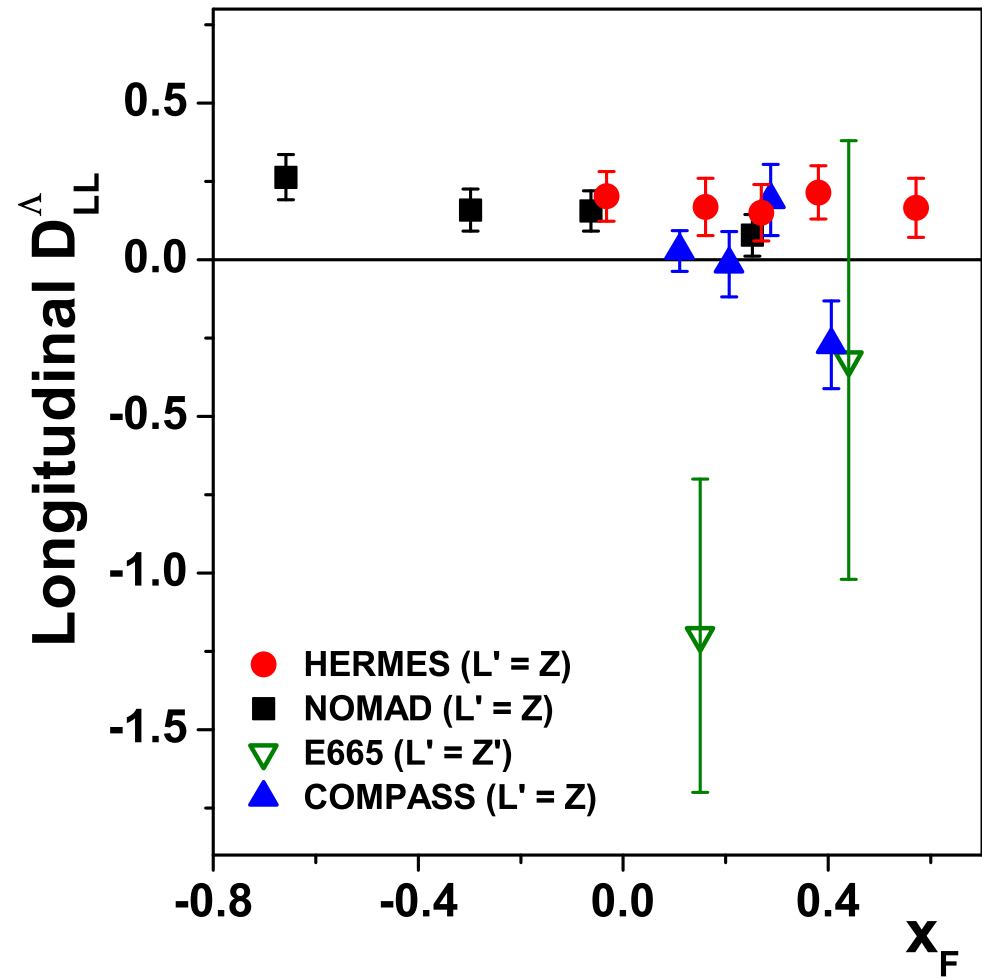
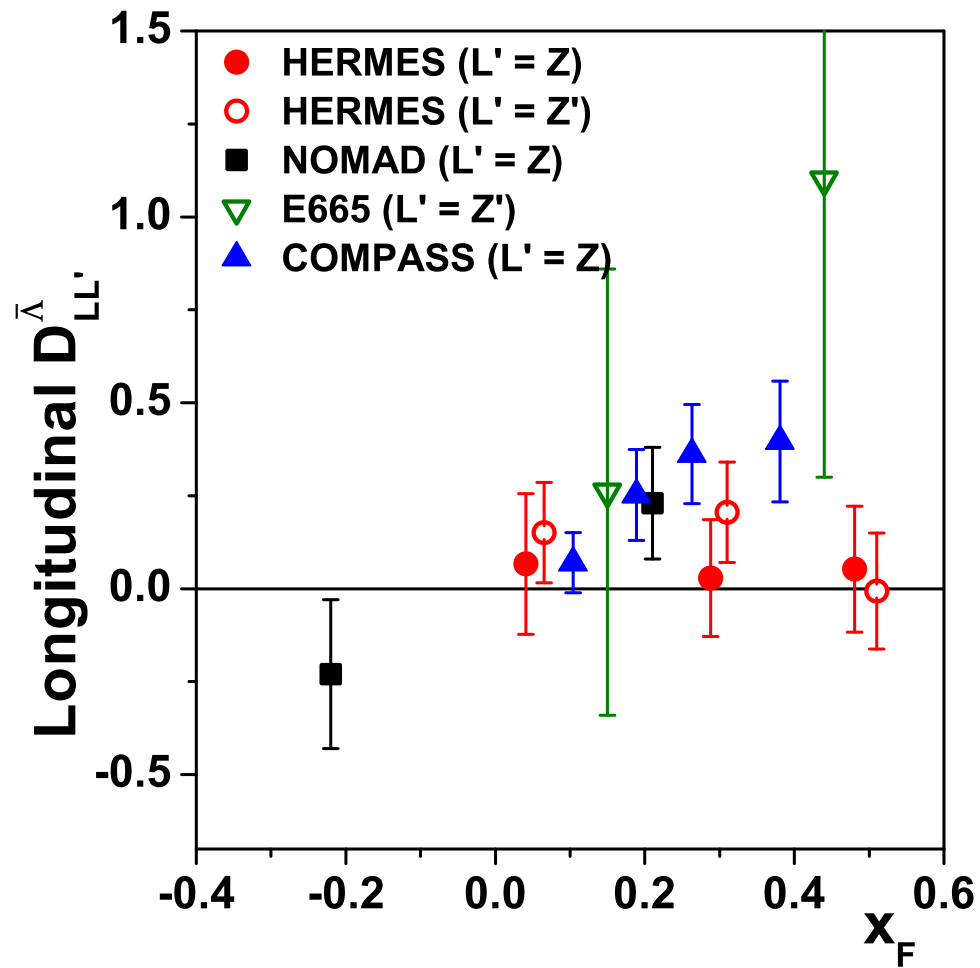
Y' -axis coincides with Y -axis. X' -axis is orthogonal to Y' and Z' axes.

Polarization of Lambda and Antilambda Hyperons in HERMES Experiment

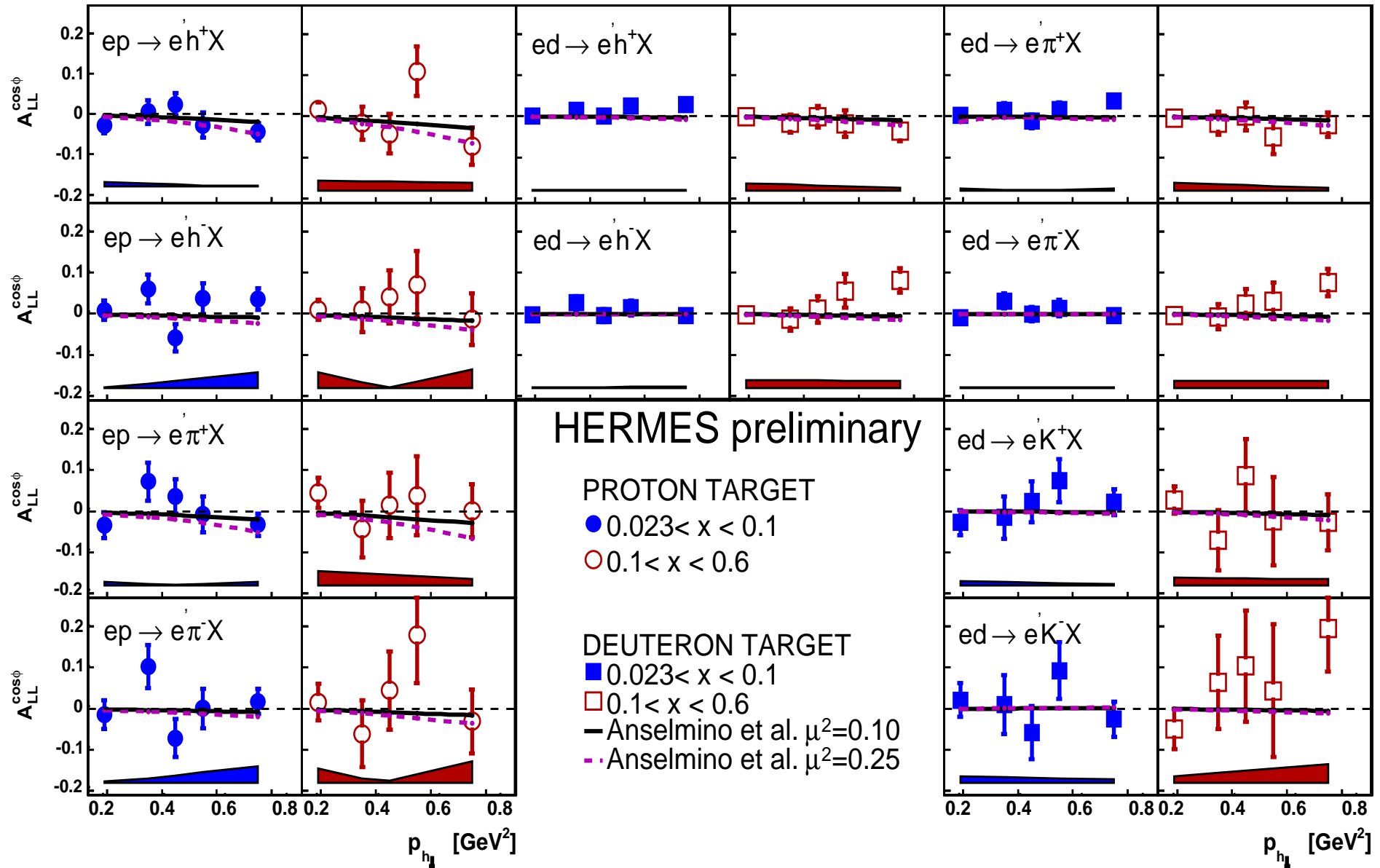


$$\frac{\Delta q(x=z)}{q(x=z)} \approx D_{Lz}^{\Lambda}(z) \text{ is positive.}$$

Polarization of Lambda and Antilambda Hyperons in HERMES Experiment



Azimuthal Dependence of Double-Spin Asymmetry in SIDIS



Summary

- End of HERMES data treatment is always in two years.
- Amplitude analysis of ρ^0 -meson electroproduction can be finished next year.
- Study of Λ and $\bar{\Lambda}$ polarization in SIDIS is close to publication.
- Paper on azimuthal dependence of double-spin asymmetry in SIDIS is ready to first circulation.

Conferences and Publications

- S.Belostotski: talk at DSPIN-2012.
P.Kravchenko: talk at DIS-2012.
- Paper preparation: DC-83, DC-88, DC-79.
- HERMES publications:
 - A.Airapetian et. al., IHEP 07 (2012) 032.
 - A.Airapetian et. al., IHEP 10 (2012) 042.
 - A.Airapetian et. al., submitted to Phys. Rev. D.
 - A.Airapetian et. al., Eur. Phys. J. C72 (2012) 1921.